

# The $\gamma$ Decay of the GDR Under Extreme Conditions

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2<sup>nd</sup> Workshop on

Level Density and Gamma Strength



Oslo, May 11 - 15, 2009



## OUTLINE :

### Measurement with *exotic* beams

- 1. The Pygmy Dipole Resonance (PDR) in neutron rich nuclei ( $^{68}\text{Ni}$ )



### Measurement with *stable* beams

- 1. Measurement of the Isospin mixing in the N=Z nucleus  $^{80}\text{Zr}$  at  $T \approx 2\text{MeV}$  with use of Giant Dipole Resonance (GDR)
- (2. GDR in Highly Excited  $^{132}\text{Ce}$  Nuclei)



**Laboratori Nazionali di Legnaro**

Study of  $\text{LaBr}_3:\text{Ce}$  Scintillators  
for application in High energy gamma ray spectroscopy

Milano



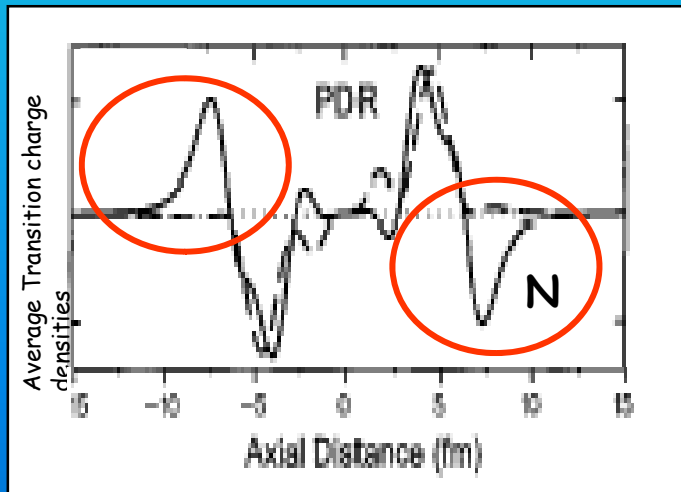
## 2. Measurements with *exotic* beams

### 3. The Pygmy Dipole Resonance (PDR) in neutron rich nuclei ( $^{68}\text{Ni}$ )

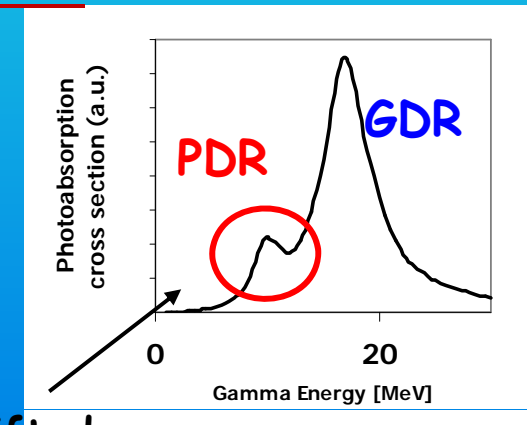
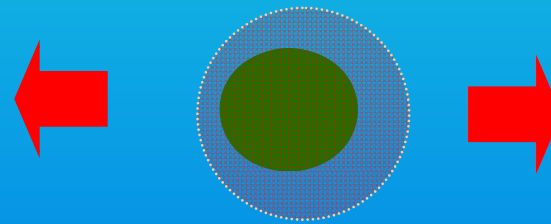


#### Pygmy Dipole Resonance

Simple picture: More or less Collective (coherently) oscillation of (loosely bound) neutron skin against the core



Richter NPA 731(2004)59



E1 strength **shifted** towards low energy (centroid energy depends on the thickness of n-skin)

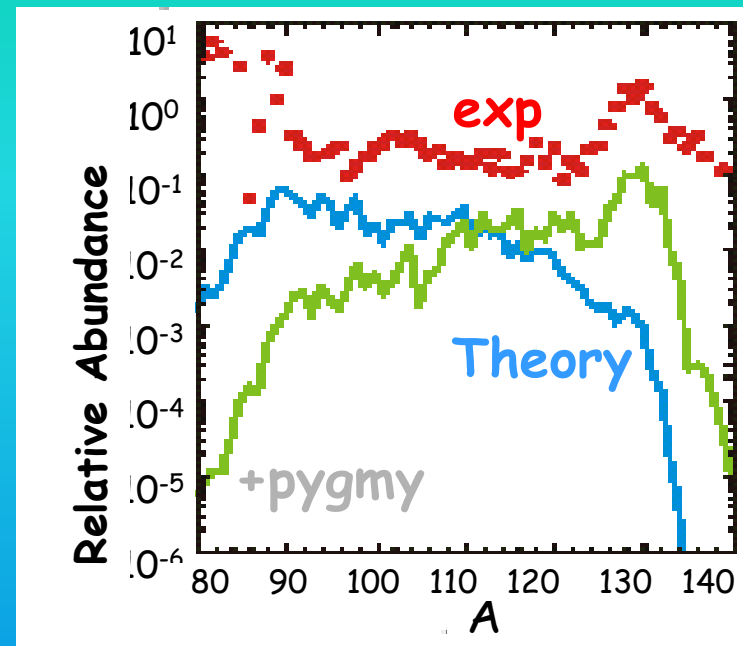


## Why ?...(very brief)

Pygmy Resonance may have an  
very important  
impact on the r-process  
nucleosynthesis

Giant resonances are of paramount important for nuclear astrophysics. Often, relevant reaction rates under astrophysical conditions are dominated by giant-resonance contributions, frequently in unstable nuclei. For instance, neutron-rich nuclei with loosely bound valence neutrons may exhibit very strong  $(\gamma, n)$  strength components near particle threshold and thus, in turn, enhanced neutron-capture rates. Re-

Nupecc long range plan 2004



S.Goriely, Phys. Lett. B436 10 (1998)

S.Goriely and E. Khan, Nucl. Phys. A706 (2002) 217

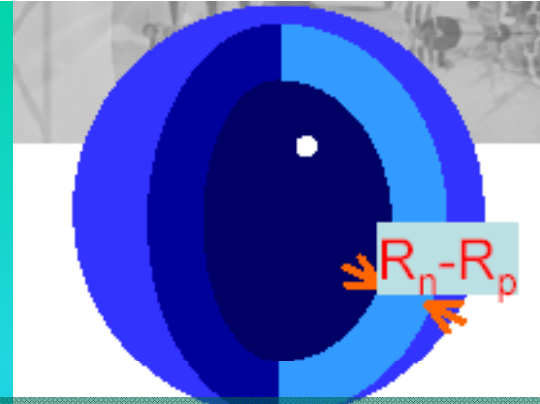
AND ▶ how collective properties  
change with neutron number

AND...

# PYGMY resonance and Neutron Skin radius

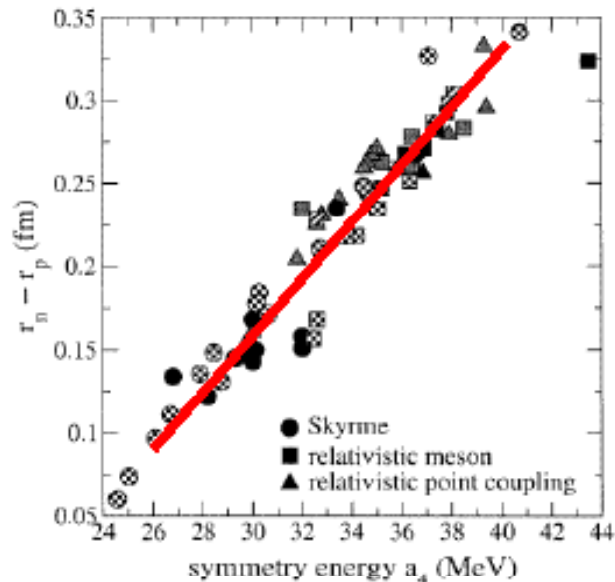
Excess neutrons forming the **skin** gives rise to pygmy dipole transitions at excitation energies below the **GDR**.

Relation between symmetry energy and Radius of neutron Skin (Furnstahl relation) ... AND Pygmy resonance (Energy, EWSR), since related to skin

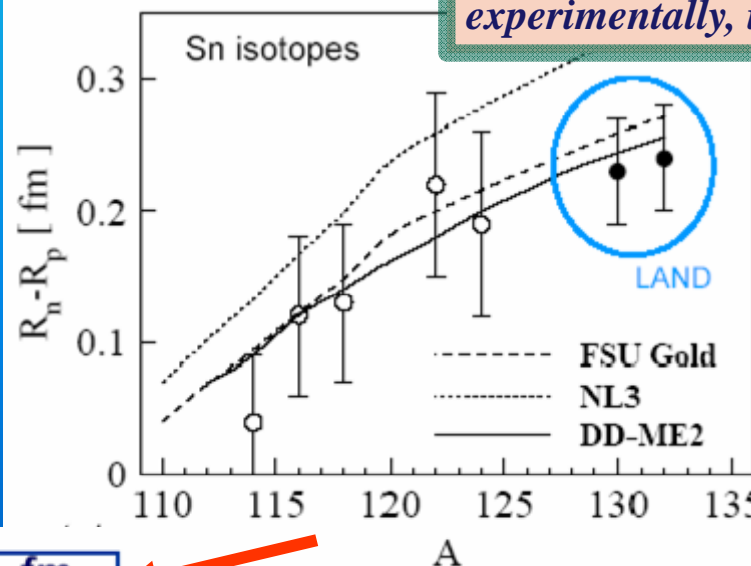


Precise knowledge of neutron-skin thickness could constrain the density dependence of  $S(\rho)$

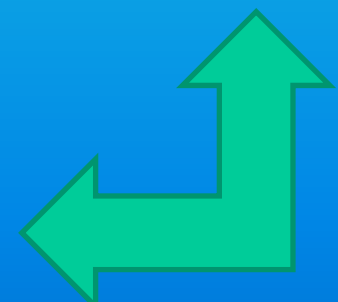
Pygmy-Strength (since related to skin) should do the same job, but, *experimentally, is accessed much easier!*



(Furnstahl relation NPA706 (02))



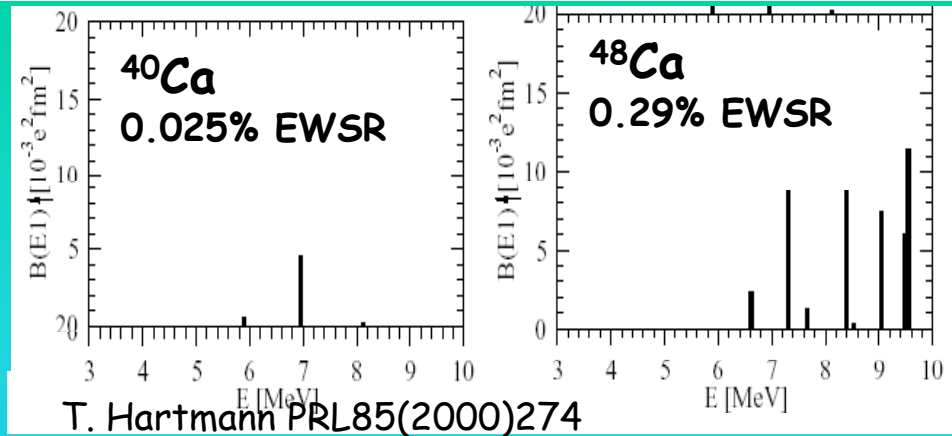
$R_n - R_p = 0.18 \pm 0.035 \text{ fm}$   
Extrapolation for Pb



# How to excite this mode??

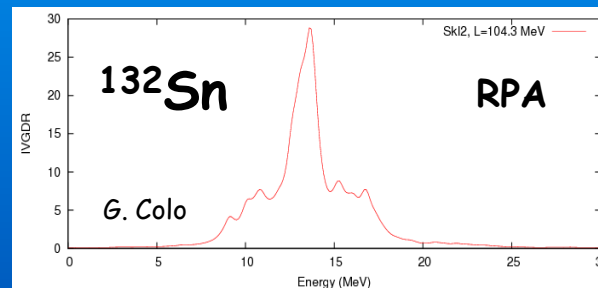
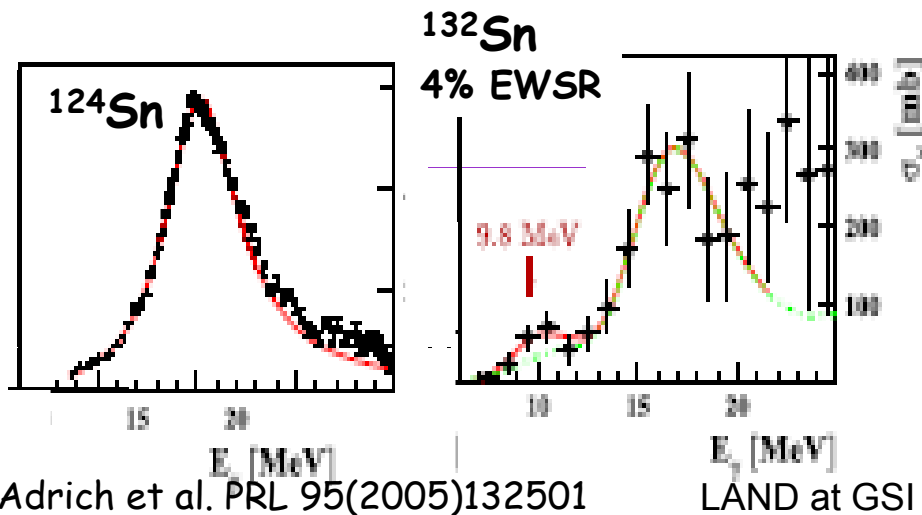
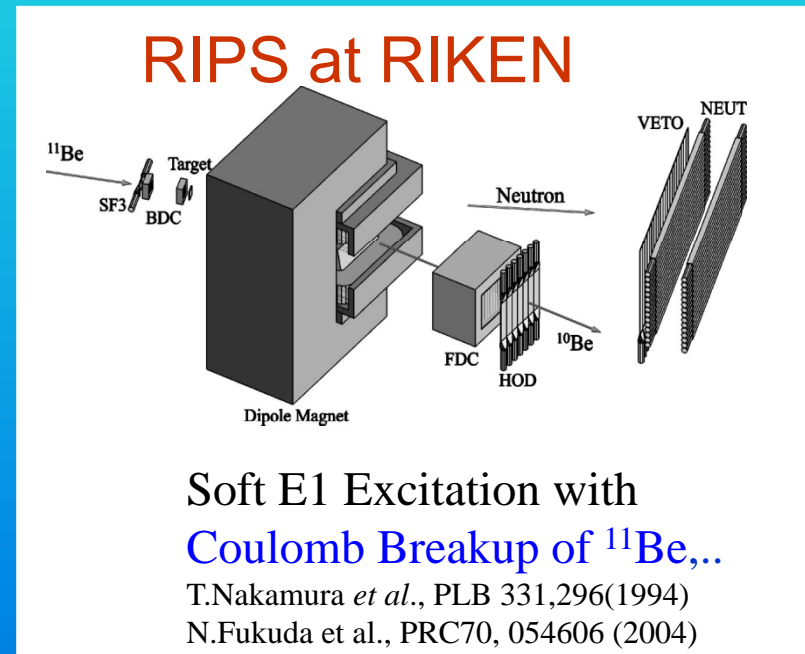
**Stable nuclei**  $\Rightarrow$

photon  
scattering, Photoabsorption  
( $\gamma, \gamma'$ ), ( $\gamma, n$ )...



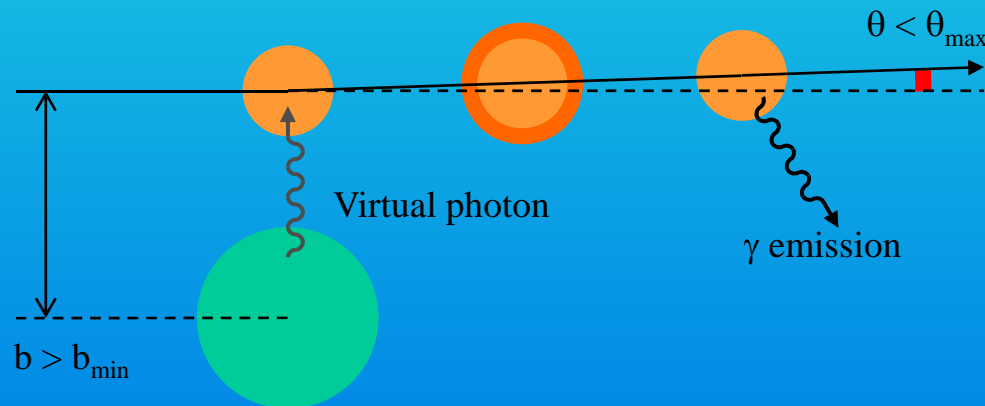
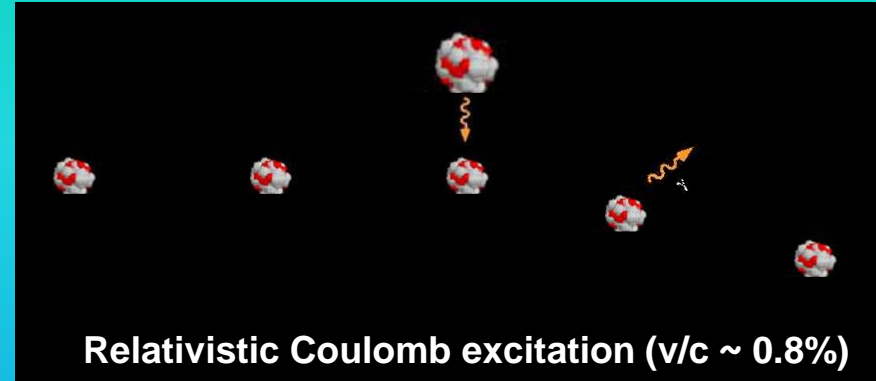
**Exotic nuclei**  $\Rightarrow$

Virtual photon breakup  
or Virtual photon scattering



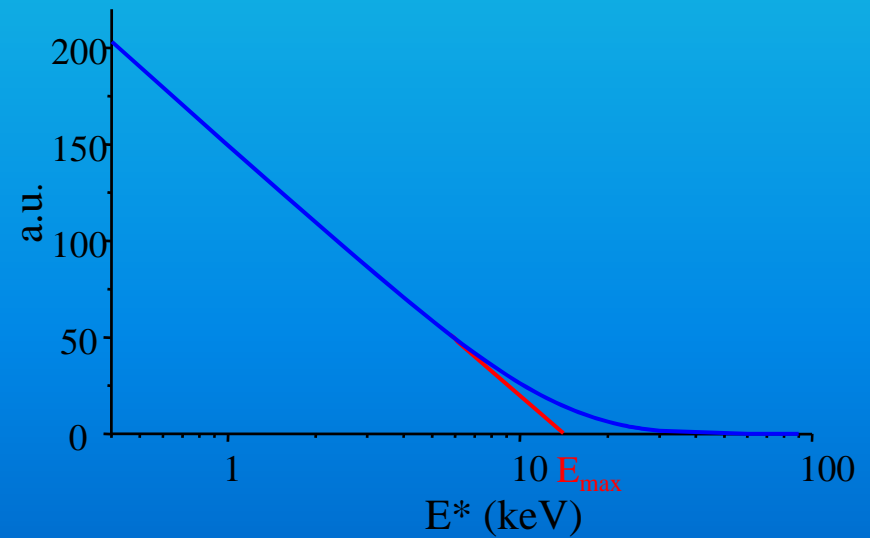
## Virtual photon scattering technique (1)

- Peripheral heavy-ion collision on a high Z target at relativistic energies
- Virtual photon excitation and decay



$$\frac{d\sigma_C}{dE^*} = \sum_{\pi\lambda} \frac{1}{E^*} N_{\gamma}^{\pi\lambda}(E^*) \cdot \sigma_{\gamma}^{\pi\lambda}(E^*)$$

Virtual Photon spectra E1



$$E_{\max} = \frac{\beta\gamma}{b_{\min}} \hbar c$$

# Virtual photon scattering technique (2)

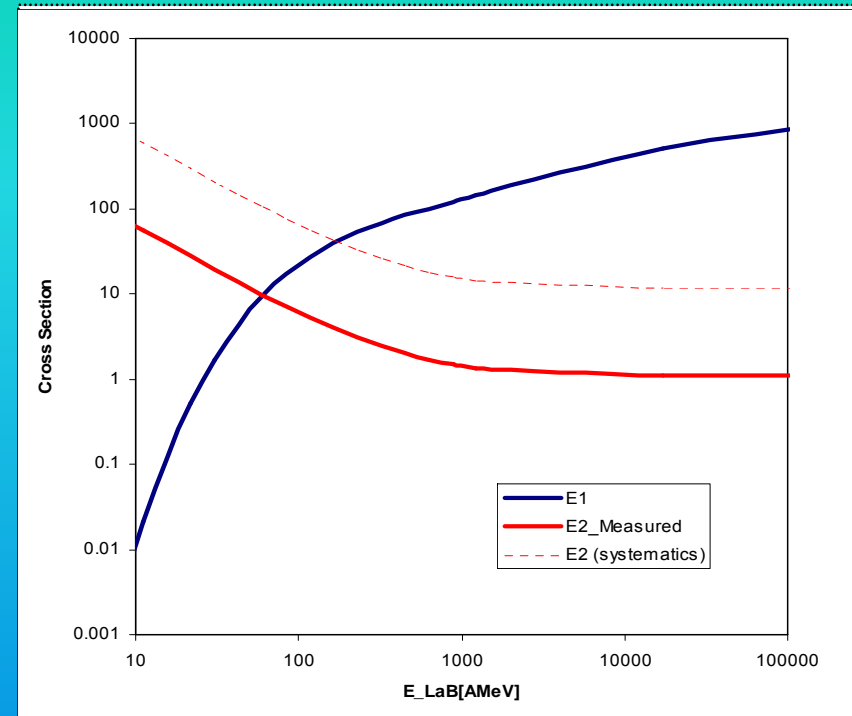
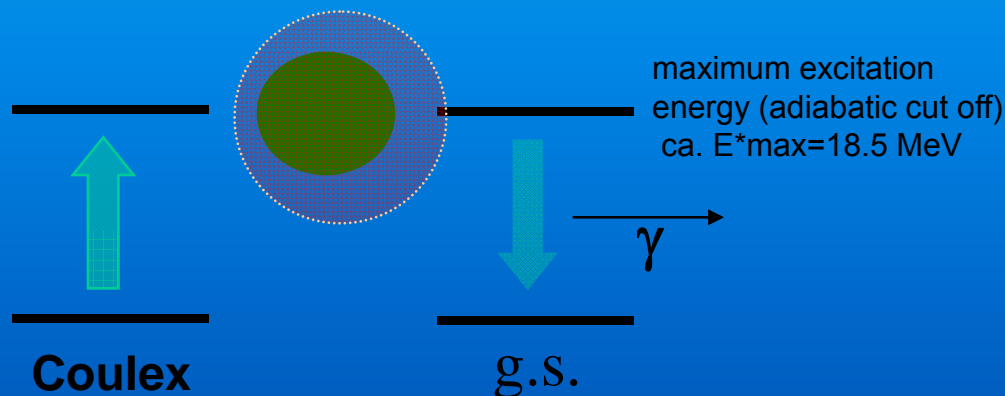
• **High selectivity for dipole excitation !!**

## GDR + PYGMY Excitation

600 MeV/u  $^{68}\text{Ni} + ^{197}\text{Au}$  (April 2005)  
 400 MeV/u  $^{68}\text{Ni} + ^{197}\text{Au}$  (May 2004)

$$\frac{\sigma(GDR)}{\sigma(GQR)} \approx 20$$

Virtual photon excitation and decay of **GDR - PYGMY**



→ At large energies the cross section for the Coulomb excitation of the GR **overcomes** the nuclear geometrical cross section!

**GDR Ground state decay branching ratio**  
 ~ 2% measured on  $^{208}\text{Pb}$



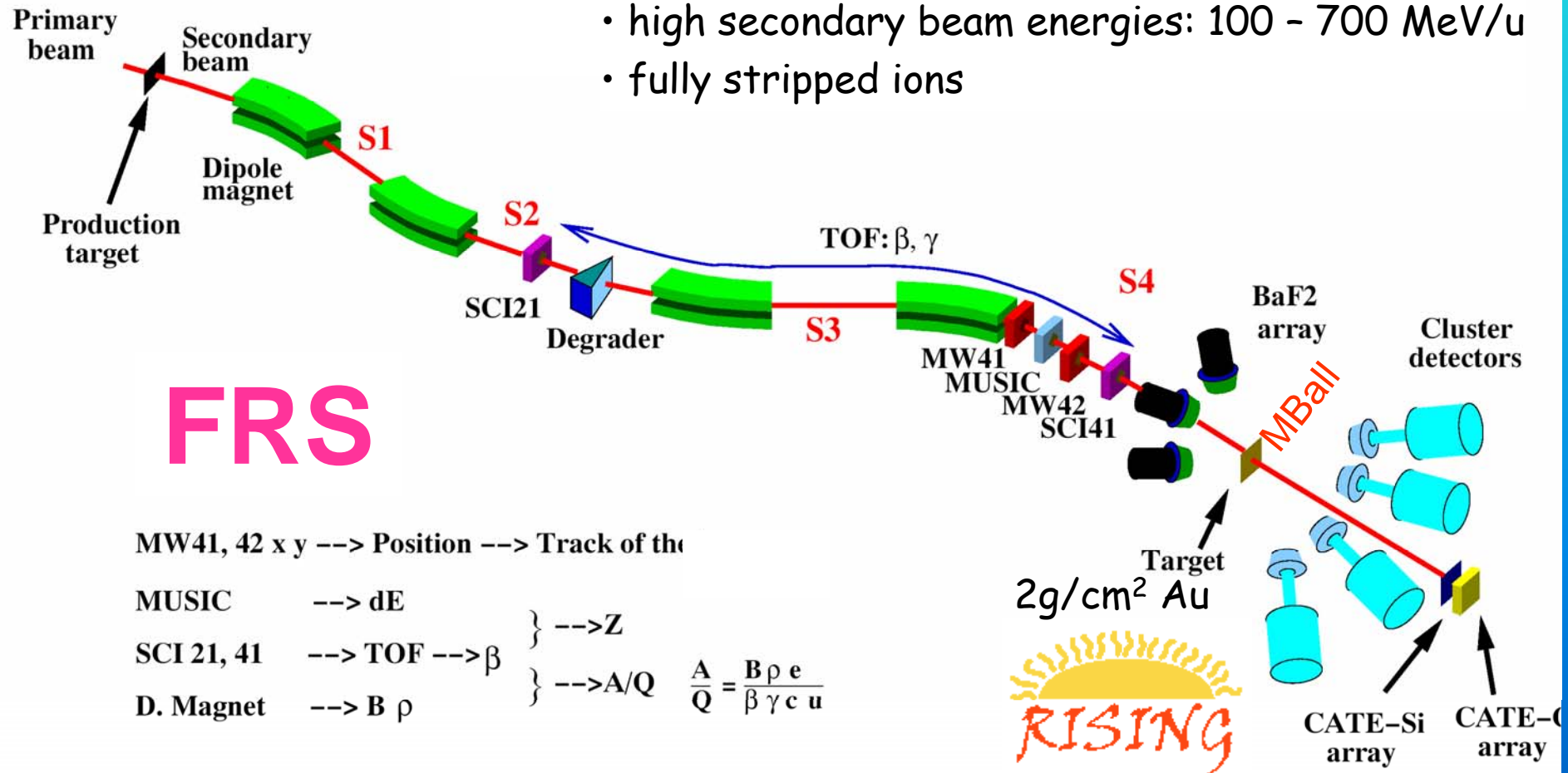
# High resolution $\gamma$ -spectroscopy at the FRS

$^{68}\text{Ni}$  beam produced by fragmentation of  $^{86}\text{Kr}$  @ 900 MeV/u  
on thick Be target ( $4\text{g}/\text{cm}^2$ ):

- $10^{10}$  pps pill  $^{86}\text{Kr}$
- Spill length 6s, period 10 s

FRS provides secondary radioactive ion beams:

- fragmentation and fission of primary beams
- high secondary beam energies: 100 - 700 MeV/u
- fully stripped ions



## FRS+RISING ARRAY

### Euroball 15 Clusters

Located at  $16.5^\circ$ ,  $33^\circ$ ,  $36^\circ$   
Energetic threshold  $\sim 100$  keV

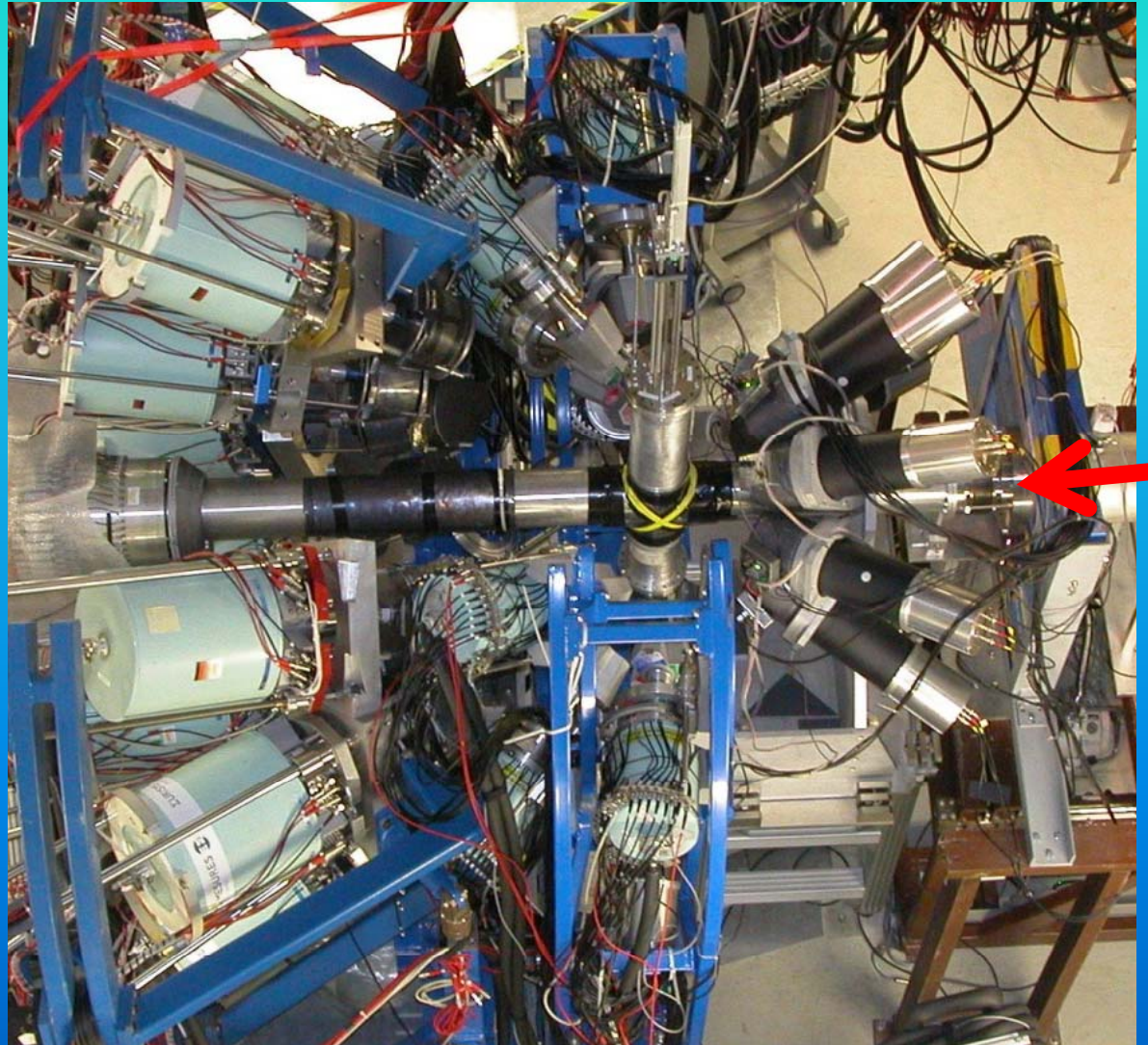
### Hector 8 $\text{BaF}_2$

Located at  $142^\circ$  and  $88^\circ$   
Energetic threshold  $\sim 2$  MeV

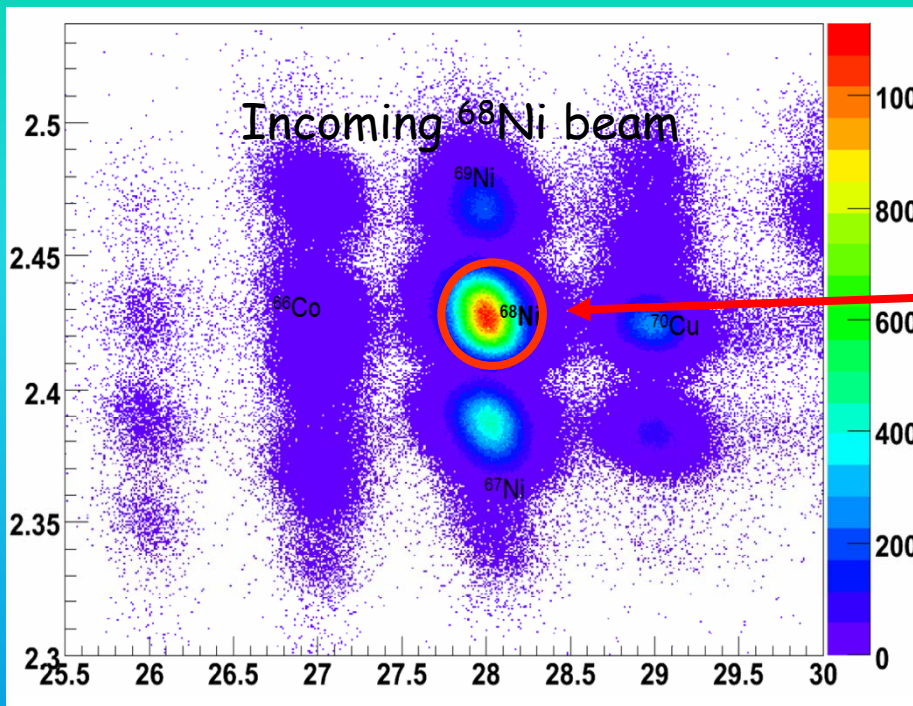
### Miniball 7 $\text{HPGe}$ segmented detectors

Located at  $46^\circ$ ,  $60^\circ$ ,  $80^\circ$ ,  $90^\circ$   
Energetic threshold  $\sim 100$  keV

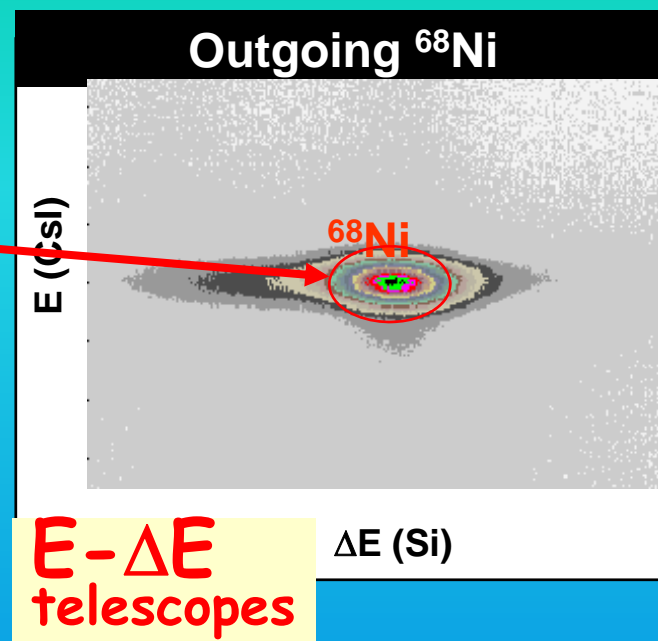
Beam identification and **tracking detectors**  
**Before and after the target**



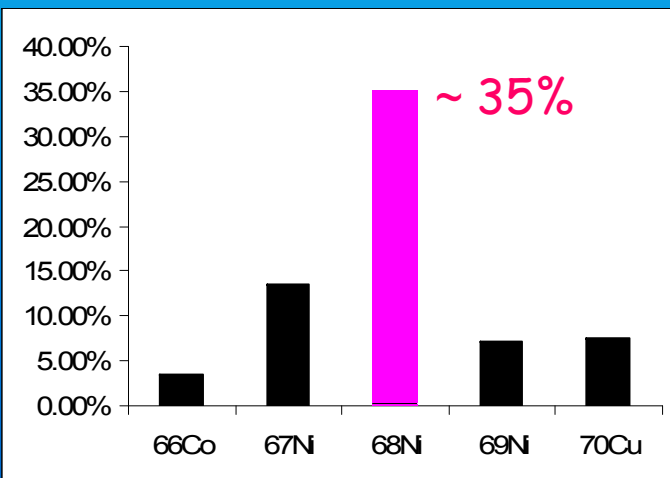
# Coulomb excitation of $^{68}\text{Ni}$ @ 600 AMeV



G  
A  
T  
E



**E-ΔE telescopes**



~ 6 Days of effective beam time  
 ~ 400 GB of data recorded

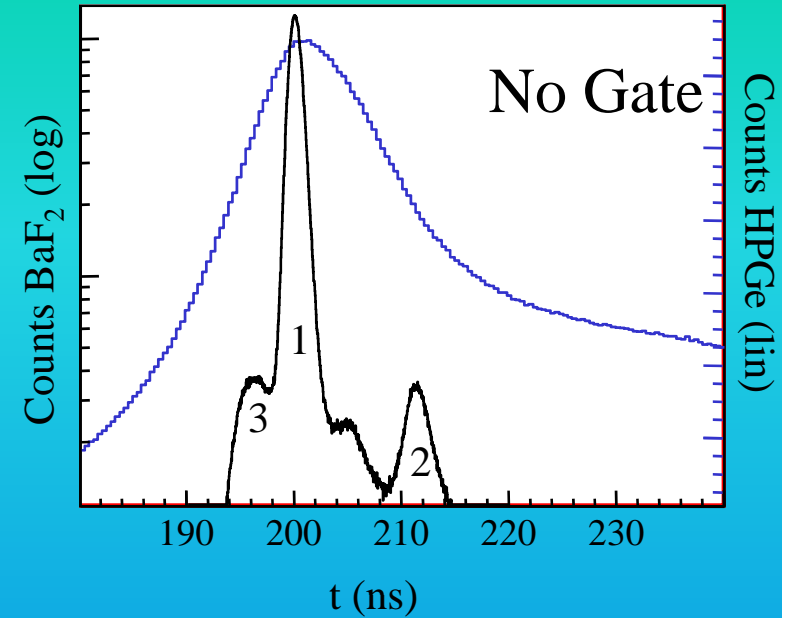
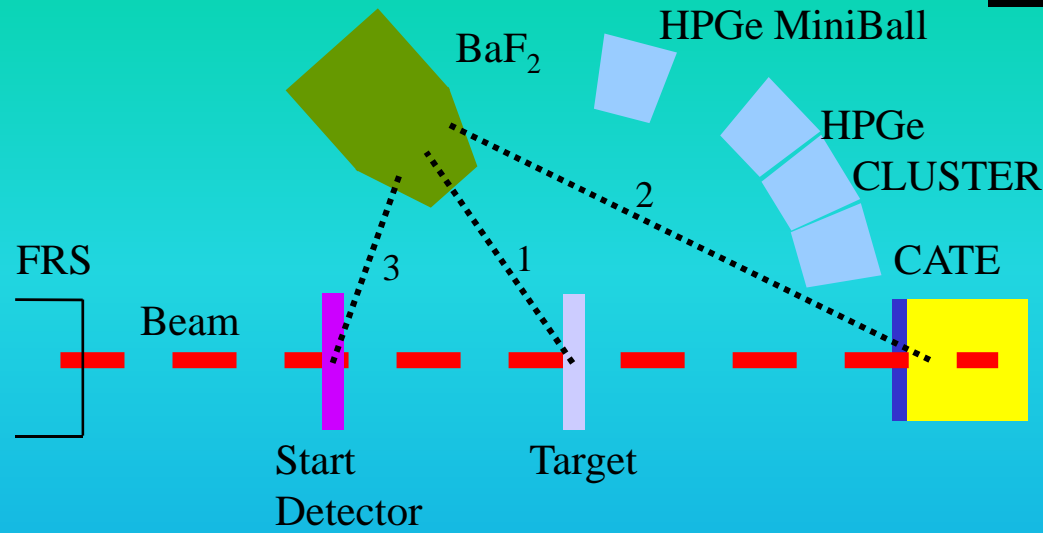
~  $1 \cdot 10^8$  'good  $^{68}\text{Ni}$  events'



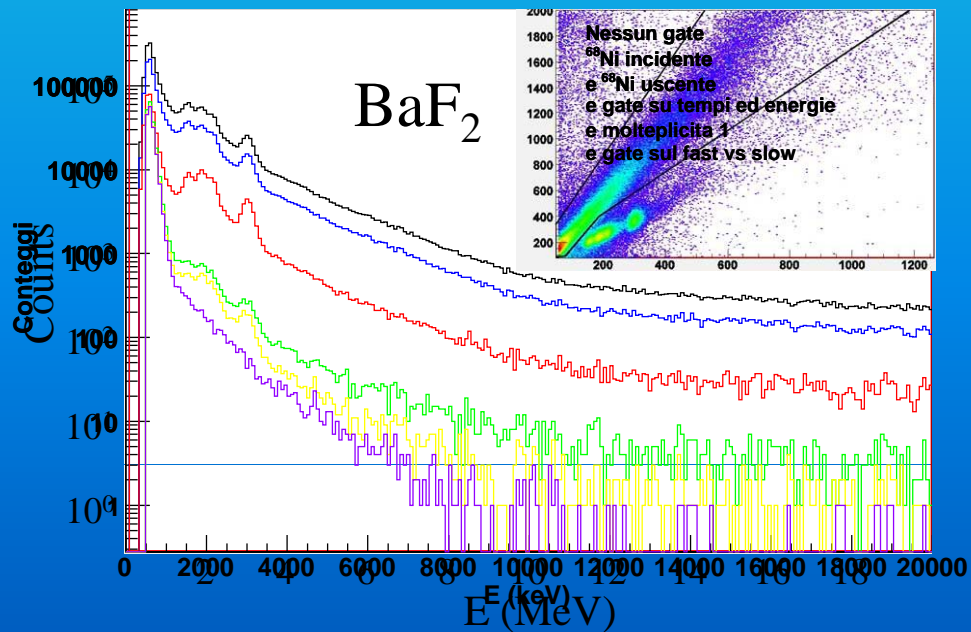
Incoming+Outgoing  $^{68}\text{Ni}$



# Technical Details

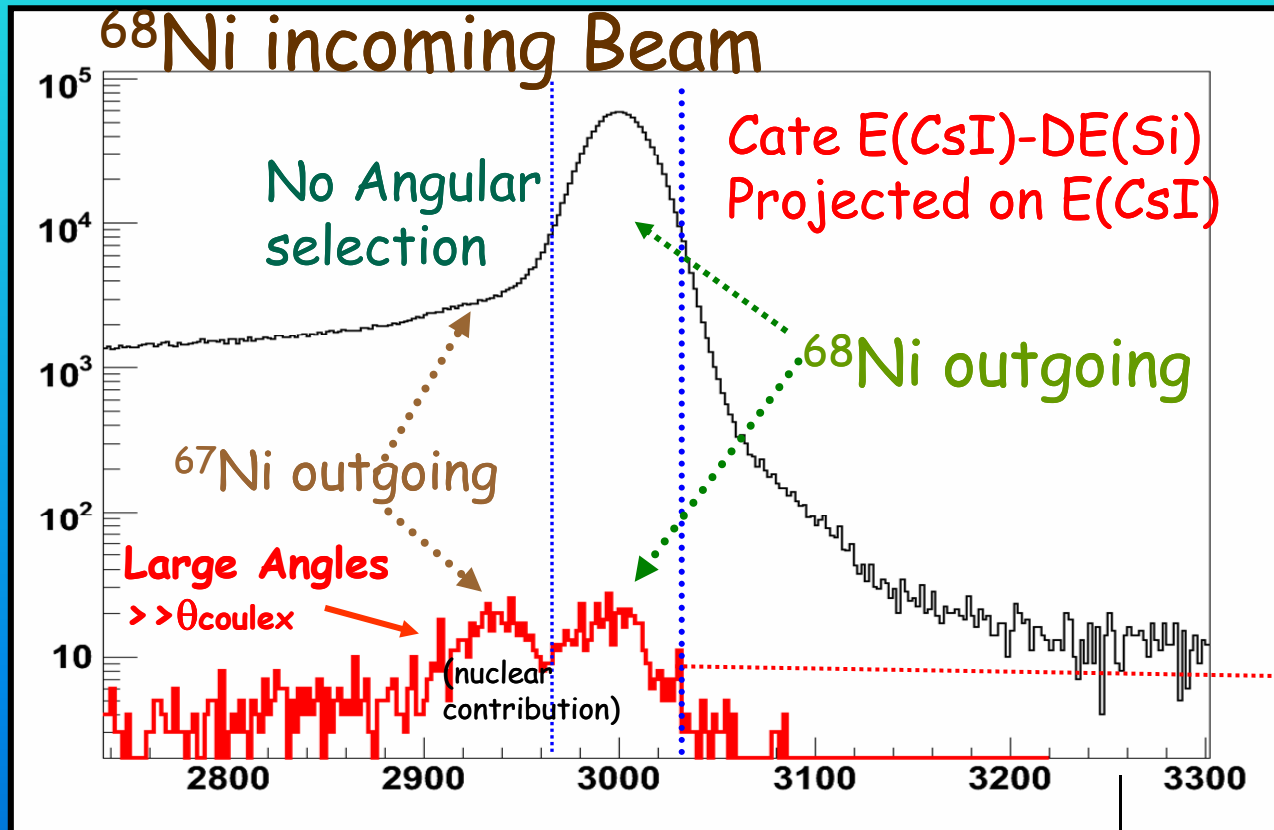


Spettro energetico di  $^{68}\text{Ni}$  Pulse shape analysis



	Condizioni	HPGe	BaF <sub>2</sub>
	No gate	100 %	100 %
	<sup>68</sup> Ni in	62 %	60 %
	+ <sup>68</sup> Ni out	15 %	18 %
	+ prompt	8.6 %	7.4 %
	+ M <sub>γ</sub> = 1	7.8 %	6.3 %
	+ fast vs slow PSA		6.0 %

# Spectrum of the ejectile measured in the zero degree calorimeter (CATE)

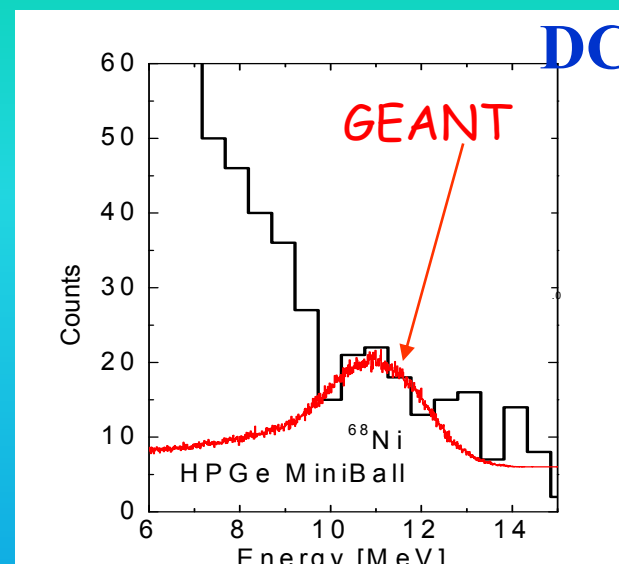
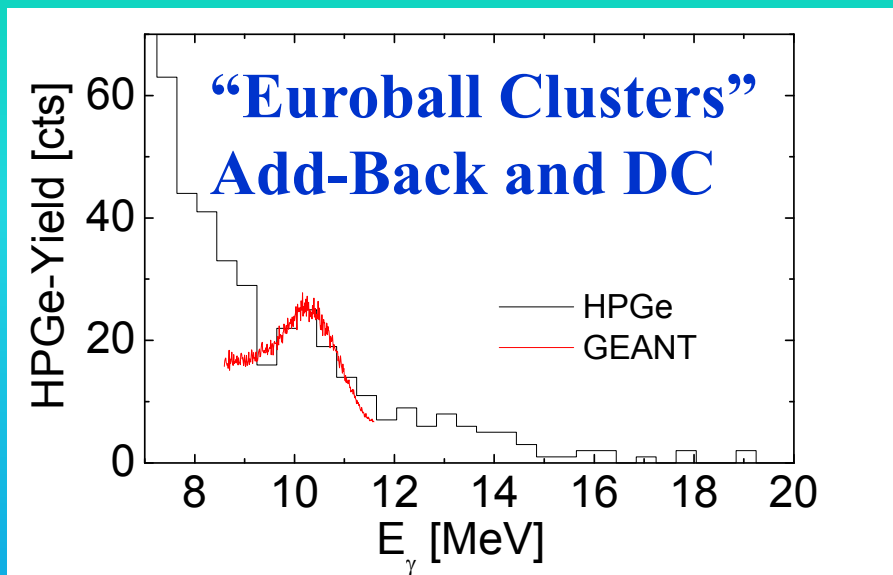


Good selection of  $^{68}\text{Ni}$  after the interaction with Au target

At  $b \ll b_{\text{min}}$  contributions from Coulomb and Nuclear interaction



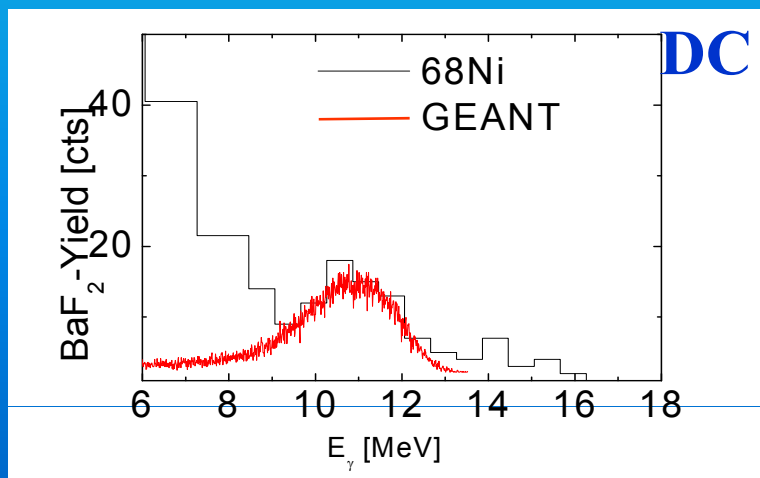
# RESULTS Coulomb excitation : $^{197}\text{Au}(^{68}\text{Ni}@600\text{AMeV}, ^{68}\text{Ni}^*)^{197}\text{Au}$



**Forward : EUROBALL**

**HPGe**

**Center: MINIBALL**

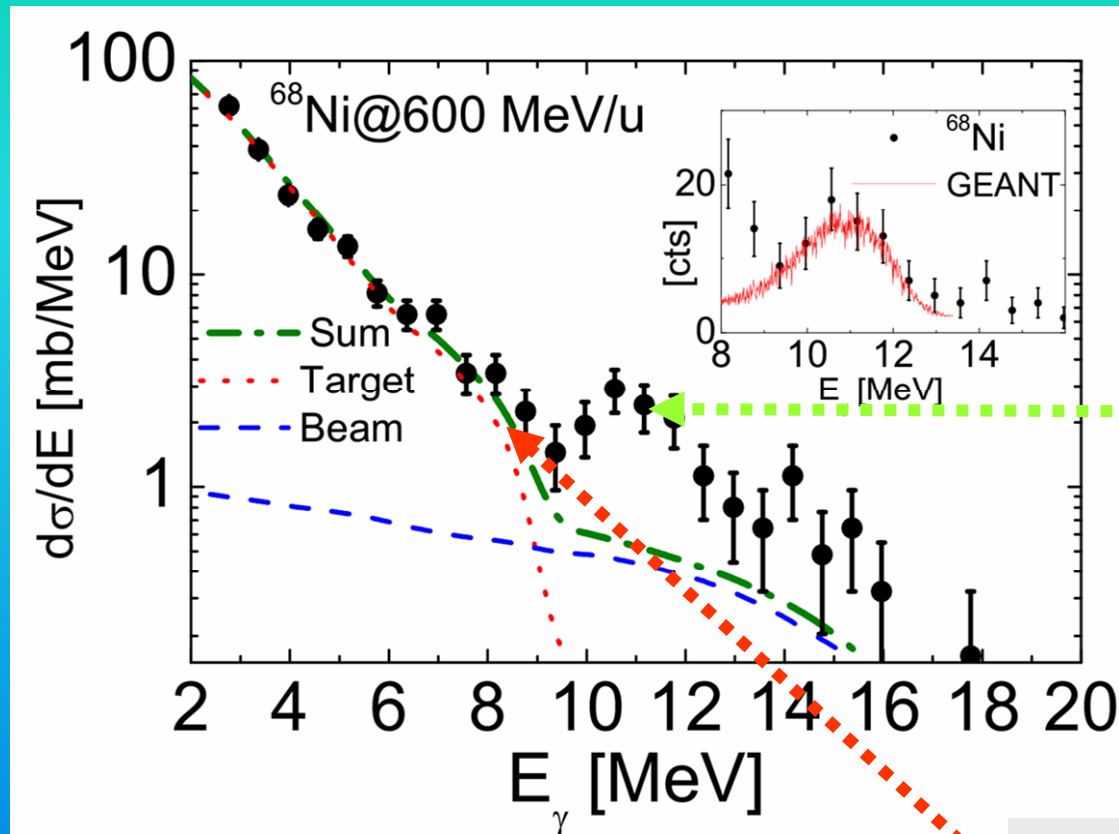


**Backward HECTOR BaF<sub>2</sub>**

**Structure @ 11 MeV  
in *all* detectors**

*following lorentz boost and E1 angular distribution*

# $\gamma$ -rays spectrum of BaF<sub>2</sub> detectors



an excess yield  
due to beam  
emission !!

## Conditions:

- <sup>68</sup>Ni-incoming-selection
- <sup>68</sup>Ni-outgoing-selection
- TOF-in prompt
- Outgoing angle check
- Doppler correction
- $m\gamma=1$

Statistical emission of  $\gamma$ -rays  
from :

target nuclei (<sup>197</sup>Au)  
beam nuclei (<sup>68</sup>Ni)

folded with Response Function  
including Doppler correction!

# Data Analysis

Coulomb excitation Yield is product of 3 terms:

**Virtual photo number**, photoabsorption cross section, **Branching**

$$\frac{d^2\sigma_{C\gamma}}{d\Omega dE_\gamma}(E_\gamma) = \frac{1}{E_\gamma} \frac{dn_\gamma}{d\Omega}(E_\gamma) \sigma_\gamma(E_\gamma) R_\gamma(E_\gamma).$$

[... Beene, Bortignon,  
Bertulani ...]

Calculate the ground state  $\gamma$ -ray decay  
from a GR state following a Coulomb excitation

**! Coulomb excitation probability is directly proportional to  
the Photonuclear cross section**

[Eisenberg, Greiner, Bertulani, Alder, Winther, ...]

$$\frac{d^2\sigma_{C\gamma}}{d\Omega dE_\gamma}(E_\gamma) = \frac{1}{E_\gamma} \frac{dn_\gamma}{d\Omega}(E_\gamma) \sigma_\gamma(E_\gamma) R_\gamma(E_\gamma).$$



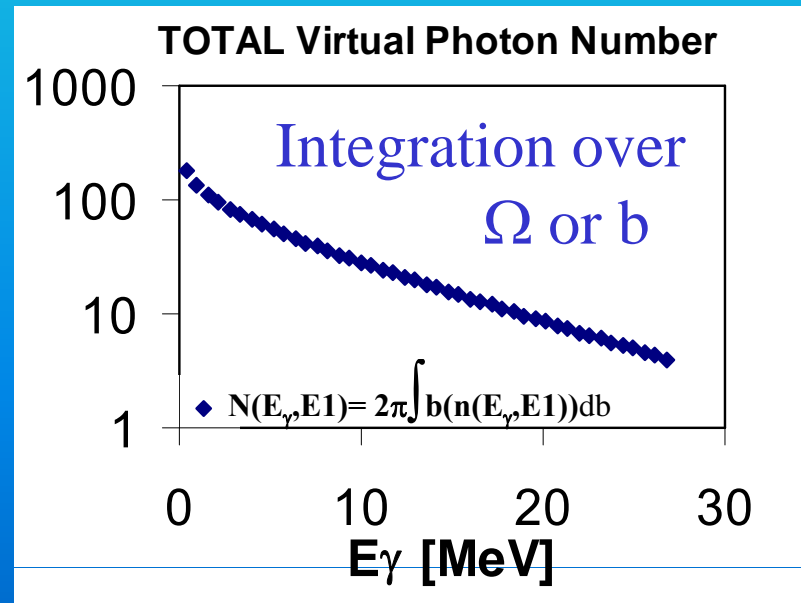
The functions  $n_{\pi\lambda}(\varepsilon)$  are called the *virtual photon numbers*, and are given by

$$n_{E1}(b, \varepsilon) = \frac{Z_1^2 \alpha}{\pi^2} \frac{\xi^2}{b^2} \left(\frac{c}{v}\right)^2 \left\{ K_1^2 + \frac{1}{\gamma^2} K_0^2 \right\}$$

= number of equivalent photons  
 Does **NOT** depend on the nuclear structure !

### Equivalent(virtual)-photon method

*Flux of virtual photons per unit area impinging on collision partners.*



# Gamma decay - Branching ratio and level density

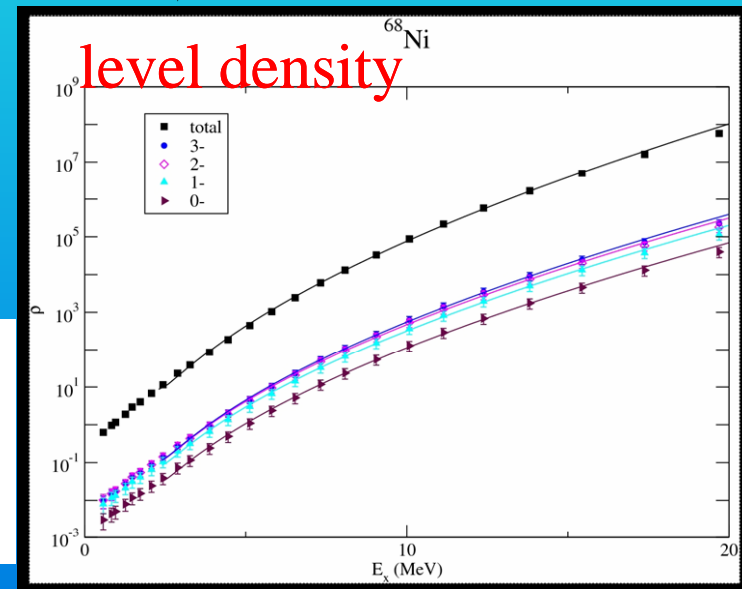
$$\frac{d^2\sigma_{C\gamma}}{d\Omega dE_\gamma}(E_\gamma) = \frac{1}{E_\gamma} \frac{dn_\gamma}{d\Omega}(E_\gamma) \sigma_\gamma(E_\gamma) R_\gamma(E_\gamma).$$

## Branching Ratio for $\gamma$

Double-contribution model\*,  
direct GR decay + the compound states :

$$R_\gamma(E_\gamma, \rho_{LD}) = \frac{\Gamma_0^{GR}}{\Gamma^{GR}} + \frac{\Gamma^{GR\downarrow}}{\Gamma^{GR}} C \frac{\langle \Gamma_\delta^c \rangle}{\langle \Gamma^c \rangle}.$$

\*[Beene, et al PLB (1985) and ref therein]



C.N. Gilbreth and Y. Alhassid, private communication  
Shell model Monte Carlo (SMMC)  
Y. Alhassid et al. PRL 99, 162504 (2007)



## (GDR-PDR) Coulomb excitation of $^{26}\text{Ne}$ or $^{68}\text{Ni}$ at relativistic energies

The extraction of the  $B(E1)$  strength requires the estimation of the direct and compound  $\gamma$ -decay of the dipole state to the ground state

[Beene, et al PLB (1985)]

$$R_{decay}(E1) = \left[ \frac{\Gamma_{\gamma 0}^{\uparrow}}{\Gamma} + C \frac{\Gamma_{\gamma 0}^{\downarrow}}{\Gamma} \frac{\langle \Gamma_{\gamma 0}^{CN} \rangle}{\langle \Gamma^{CN} \rangle} \right]$$

J.Beene et al PRC 41(1990)920

The compound term depends on the ratio between the gamma and total decay width

$$\langle \Gamma_{\gamma 0}^{CN} \rangle = \frac{2}{\pi} \frac{\Gamma_{\gamma 0}^{\uparrow}}{\Gamma_{\gamma 0}^{\downarrow}} \frac{1}{\rho}$$

J.Beene et al PLB 164(1985)1

The gamma decay width depends on

The value of the level density at the resonance energy

$$\text{Direct } \Gamma_{\gamma 0}^{\uparrow} = \frac{1}{3\pi^2(\hbar c)^2} E^2 \sigma_{int}$$

$\sigma_{int}$  = photo-absorption cross-section

Spreading width

$$\frac{\Gamma_{\gamma 0}^{\downarrow}}{\Gamma} \simeq 1 \quad \frac{\Gamma_{\gamma 0}^{\downarrow}}{\Gamma} < 1$$

Heavier nuclei    Lighter nuclei

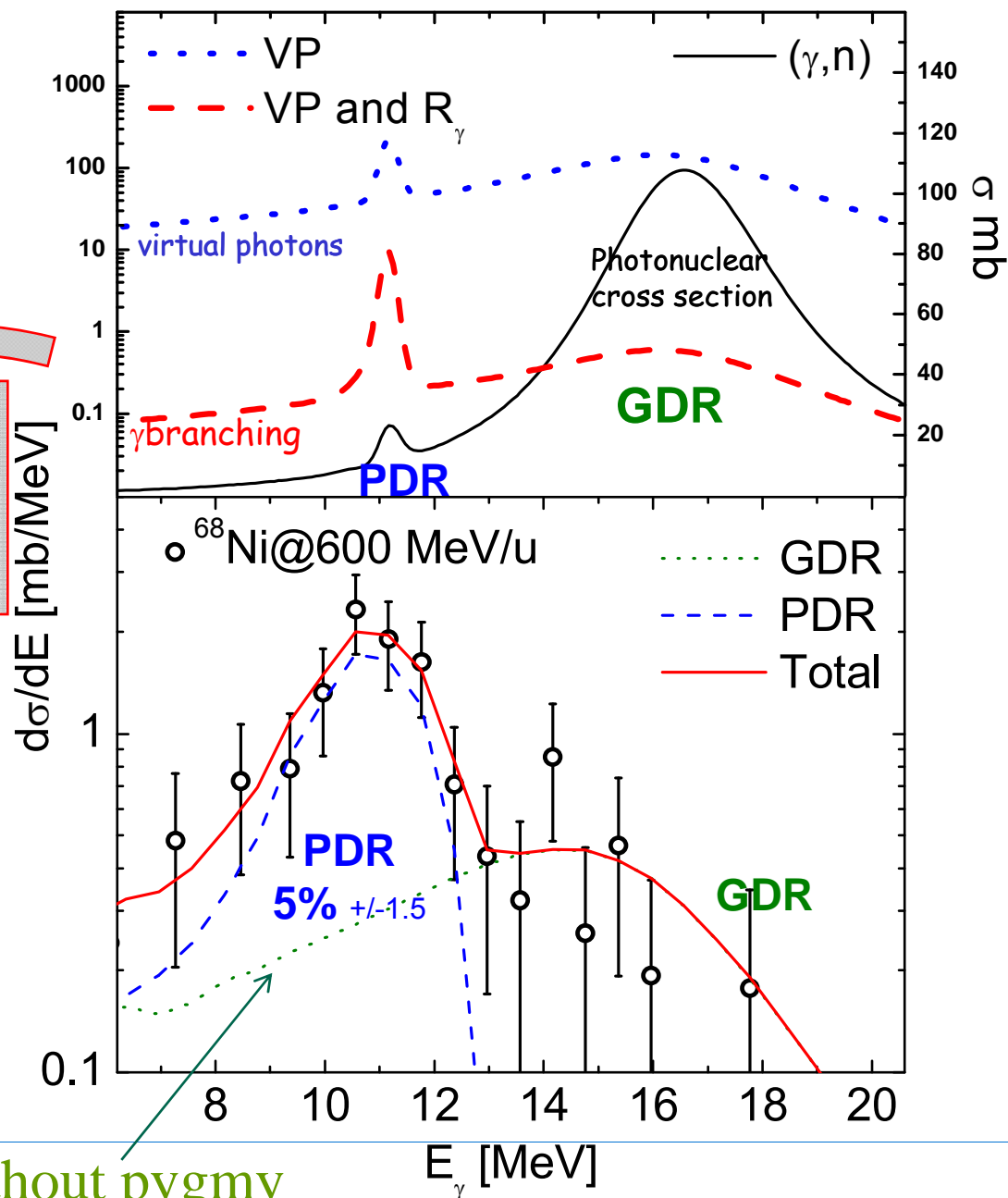
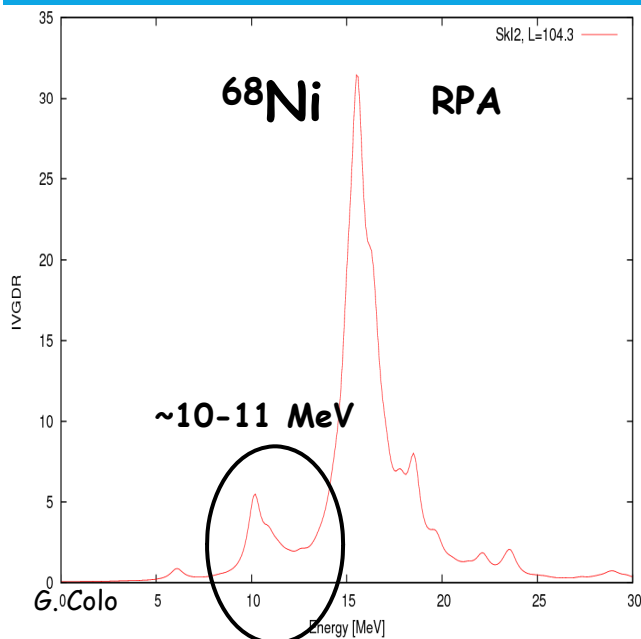
**Relativistic Coulomb excitation probability is directly proportional** [Eisenberg, Greiner,

Bertulani, Baur, Alder, Winther, Weizsaecker, Williams...] **to the Photonuclear cross section**

$$\frac{d\sigma_{c\gamma}}{dE_\gamma} = RF \left\{ \frac{1}{E_\gamma} N_\gamma(E_\gamma) \cdot \sigma_\gamma(E_\gamma) \cdot R_\gamma(E_\gamma) \right\}$$

ResponseFunction

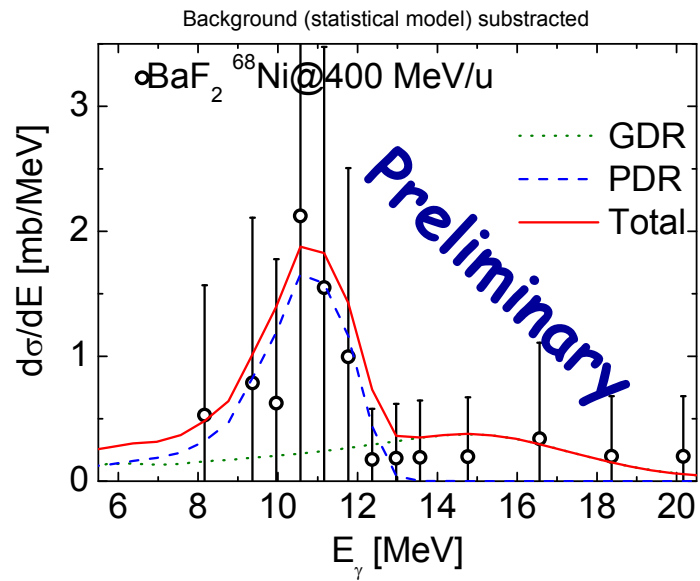
Folded with the detector response function



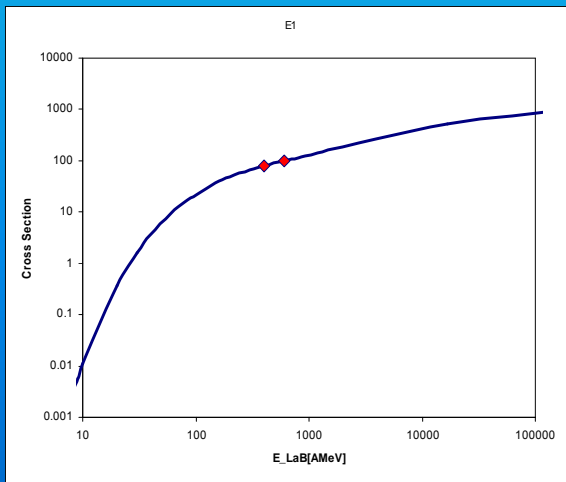
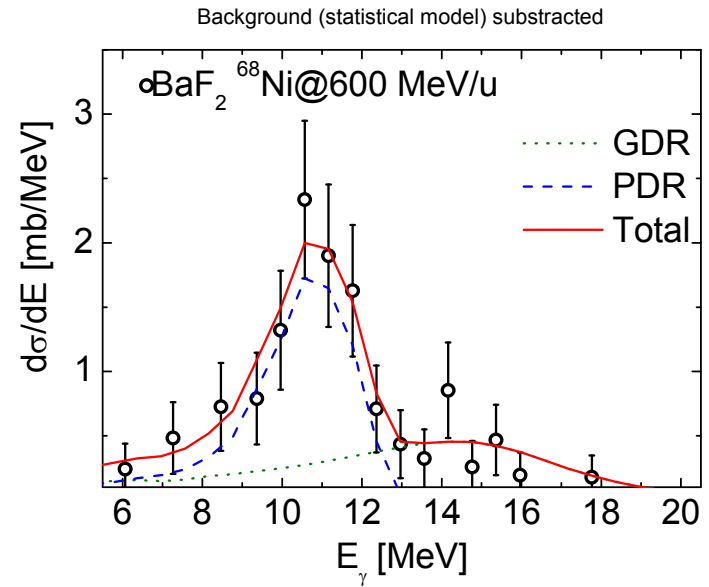
without pygmy

O. Wieland et al. PRL 102, 092502 (2009)

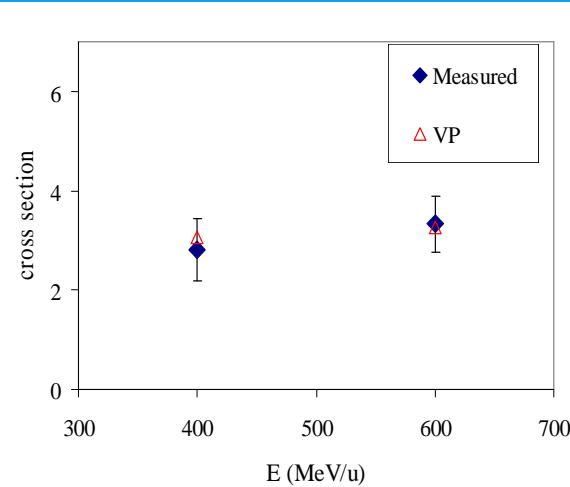
# IMPORTANT Cross CHECK !



BaF<sub>2</sub>



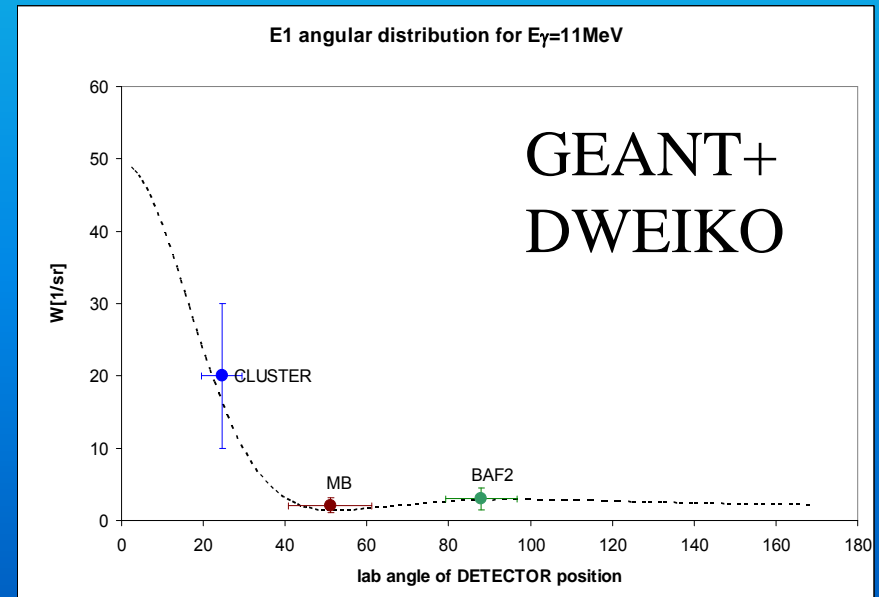
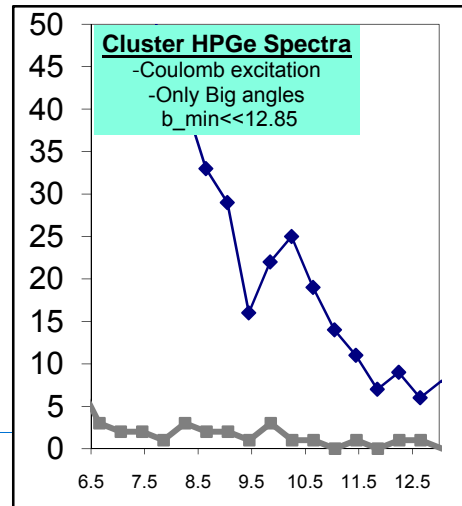
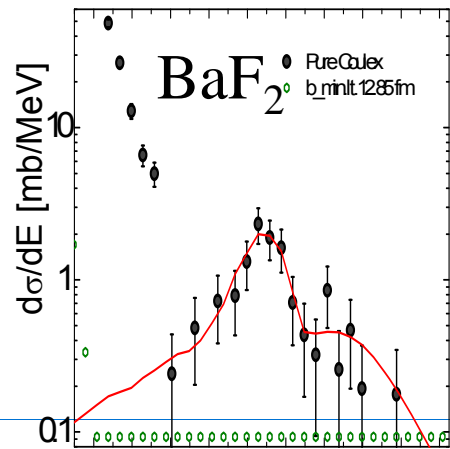
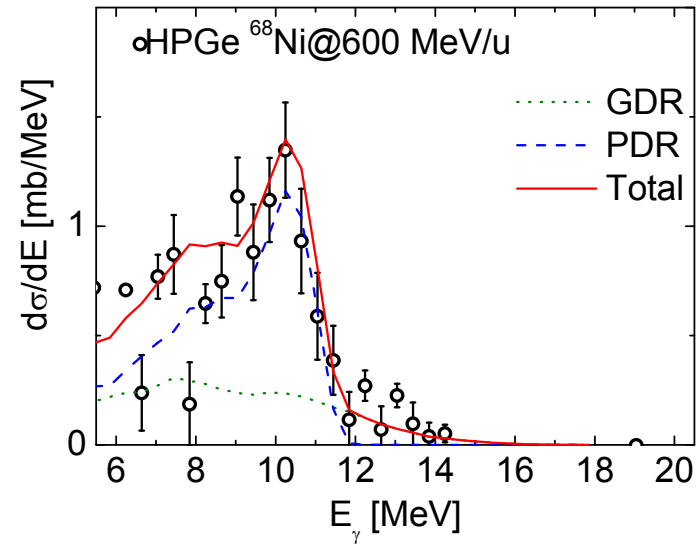
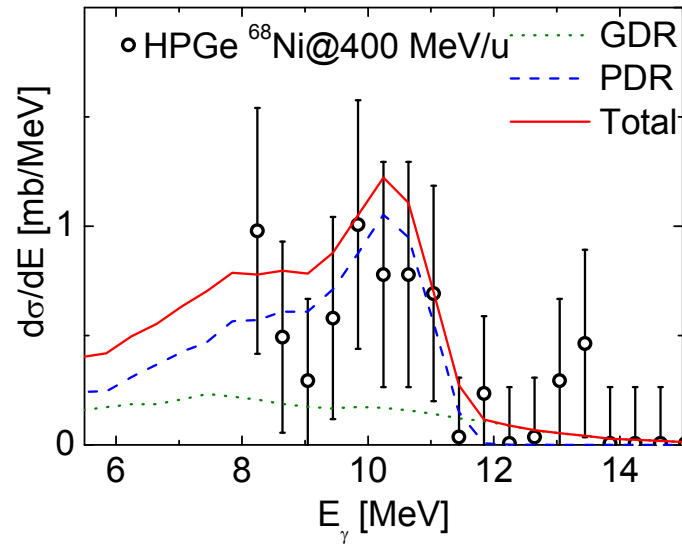
Integrated over whole GDR  
Increase is +25%



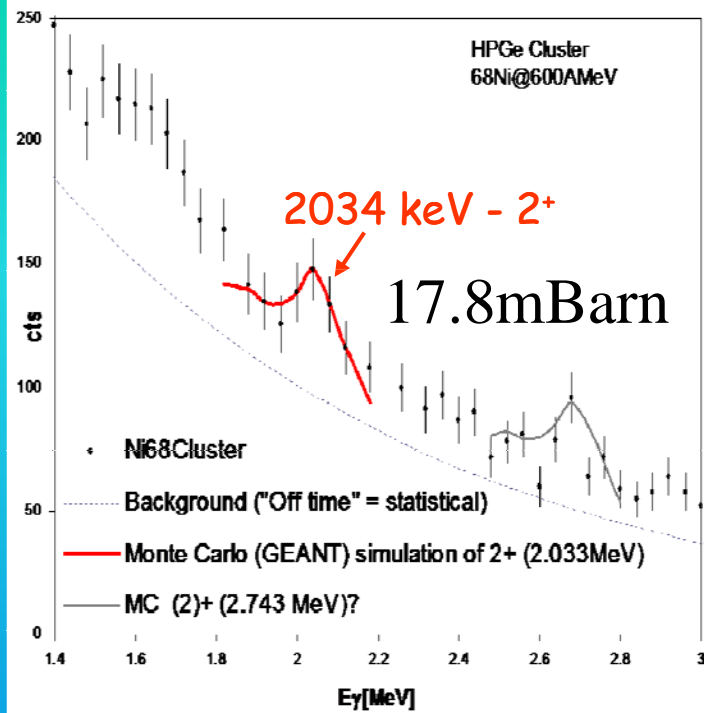
Integrated over PDR  
(with detector response function)  
Increase is +7%

# Euroball Clusters of HPGe

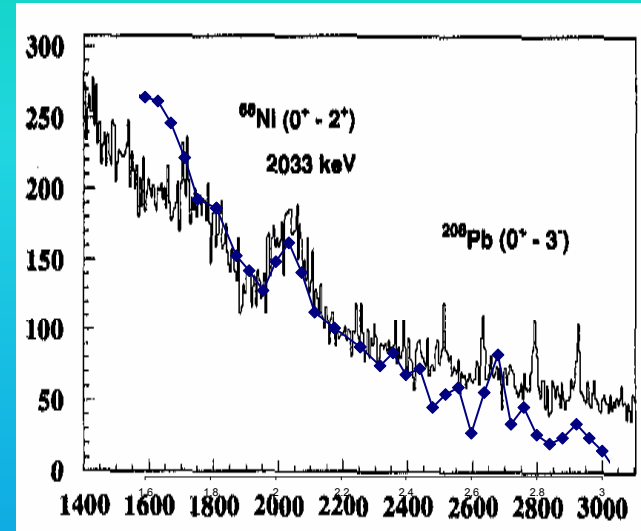
# IMPORTANT Cross CHECK !



# IMPORTANT Cross CHECK !



## B(E2) of <sup>68</sup>Ni



O. Sorlin et al., Phys. Rev. Lett. 88, 092501 (2002).

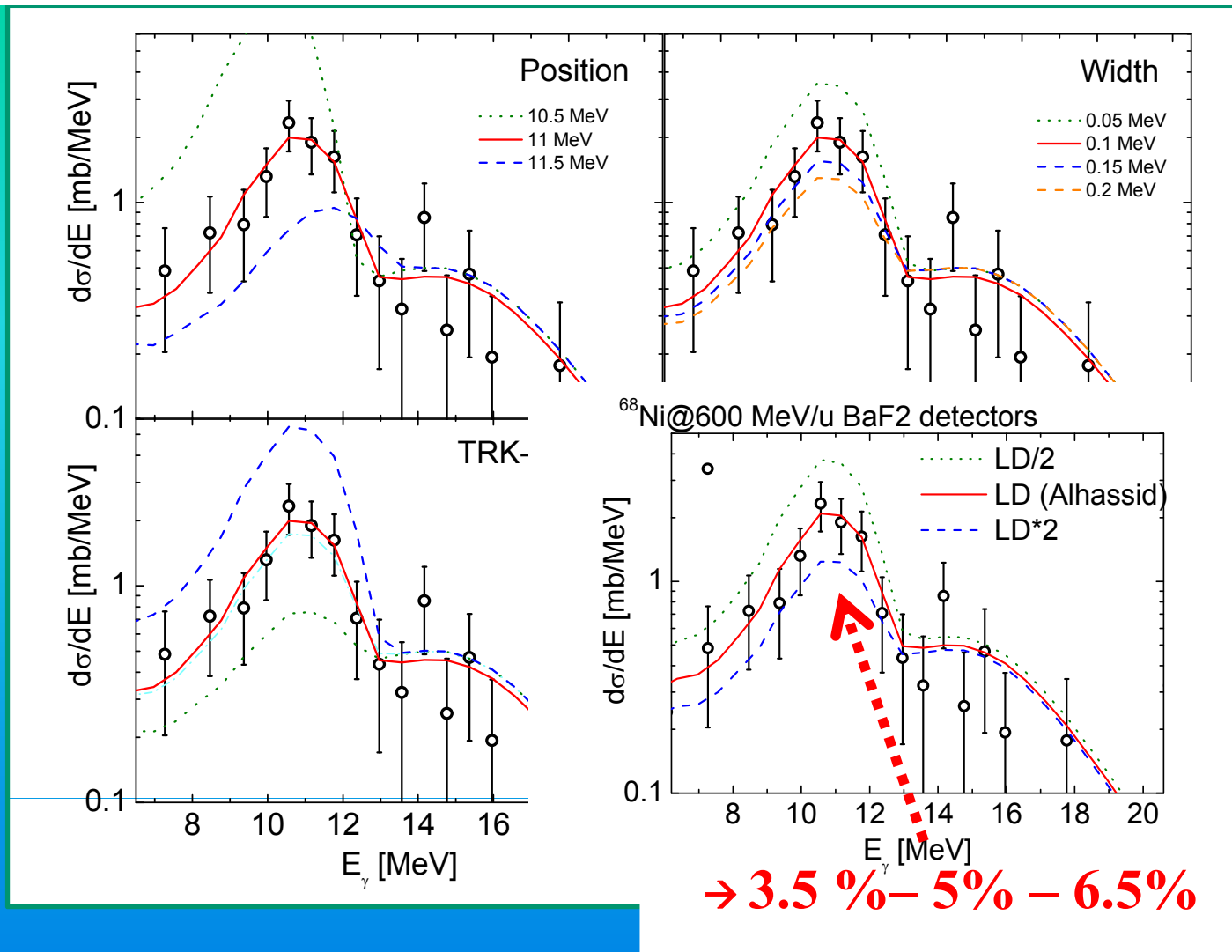
## Euroball Clusters of HPGe

$$\sigma_{E2}^{(app)} = \frac{8\pi^2}{75} \frac{Z_T^2 \alpha}{(\hbar c)^3} E_x^3 B(E2) \left(\frac{c}{v}\right)^4 \left[ \frac{2}{\gamma^2} K_1^2 + \xi \left(1 + \frac{1}{\gamma^2}\right)^2 K_0 K_1 - \frac{v^4 \xi^2}{2c^4} (K_1^2 - K_0^2) \right]$$

→ With B(E2)=255e<sup>2</sup>fm<sup>4</sup> → 18mBarn

$$b_{min} = 1.34 * (ap^{(1/3)} + at^{(1/3)}) - (ap^{(-1/3)} + at^{(-1/3)}) = 12.85 \text{ fm}$$





[10] Y. Alhassid et al., *Phys. Rev. Lett.* **99**, 162504 (2007) and C.N.Gilbreth and Y.Alhassid, private communication

[11] S. I. Al-Quraishi et al. *Phys. Rev.* **C63**, 065803 (2001) and S. I. Al-Quraishi et al. *Phys. Rev.* **C67**, 015803 (2003)

[12] P. Demetriou, S. Goriely, *Nucl. Phys.* **A695**, 95 (2001)

[13] W. Dilg, W. Schantl, H. Vonach, and M. Uhl, *Nucl. Phys.* **A217**, 269 (1973)

[10] *Shell Model Monte Carlo Method*

[11] *Extrapolation from known levels to exotic nuclei*

[12] *HF-BCS MSK7 Skyrme* <http://www-nds.ipen.br/RIPL-2/densities.html>

[13] *Back-shifted Fermi gas model*

(\*) *Microscopic LD HF-Bogolyubov BSK 14 Skyrme* [http://www-astro.ulb.ac.be/Nucdata/Nld\\_comb\\_ph/z028.tab](http://www-astro.ulb.ac.be/Nucdata/Nld_comb_ph/z028.tab)

[S. Goriely, S. Hilaire and A.J. Koning, *Phys. Rev.* **C78** (2008) 064307]

<LD> (-1) around  $E^*=11$  MeV:

Al-Quraishi-ca.50

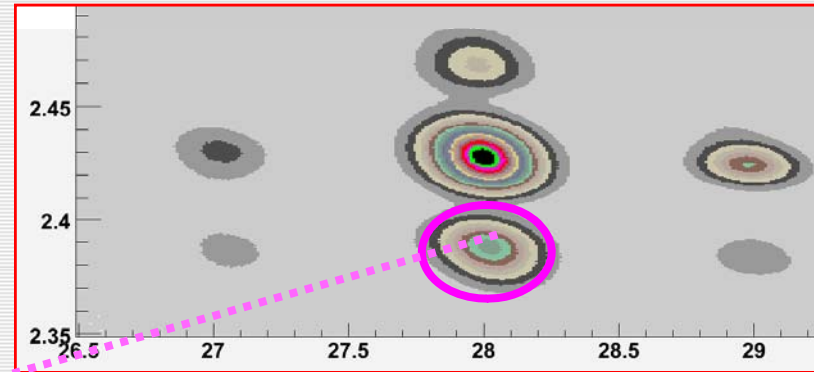
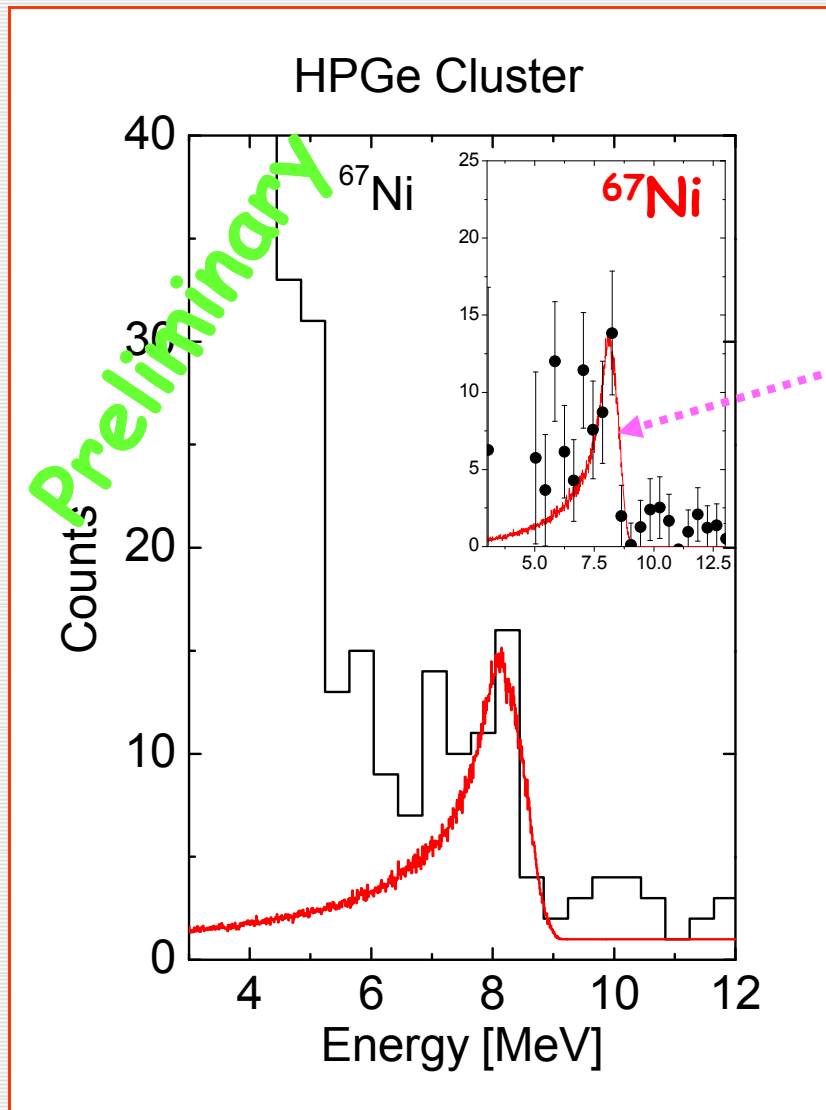
BRUSLIB\*-ca.180

Alhassid-ca.500

Empire.-ca.600

Cascade-ca.2000

# Coulomb excitation of $^{67}\text{Ni}$ (600 MeV A) . . .



Predictions are available only for  $^{68}\text{Ni}$

for  $^{67}\text{Ni}$  we see a strength at an energy 2 MeV lower. As a simple rule the energy of the PDR should be correlated to the neutron binding energy

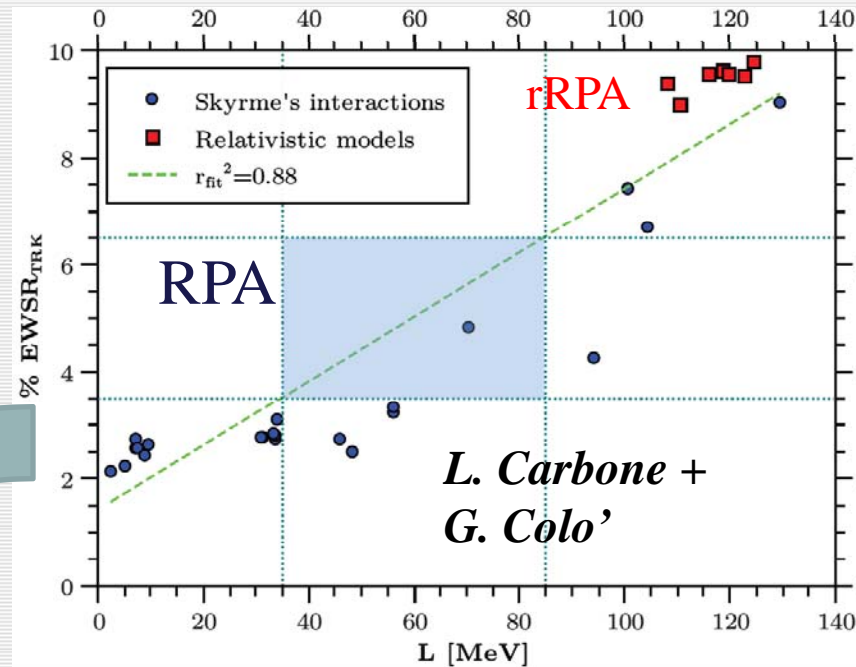
$$E_b (^{68}\text{Ni}) \sim 7.8 \text{ MeV}$$
$$E_b (^{67}\text{Ni}) \sim 5.8 \text{ MeV}$$

..... In progress ... to extract information on the skin radius

In this Framework:  
Relation between  
Dipole strength and  $L$   
will be also computed

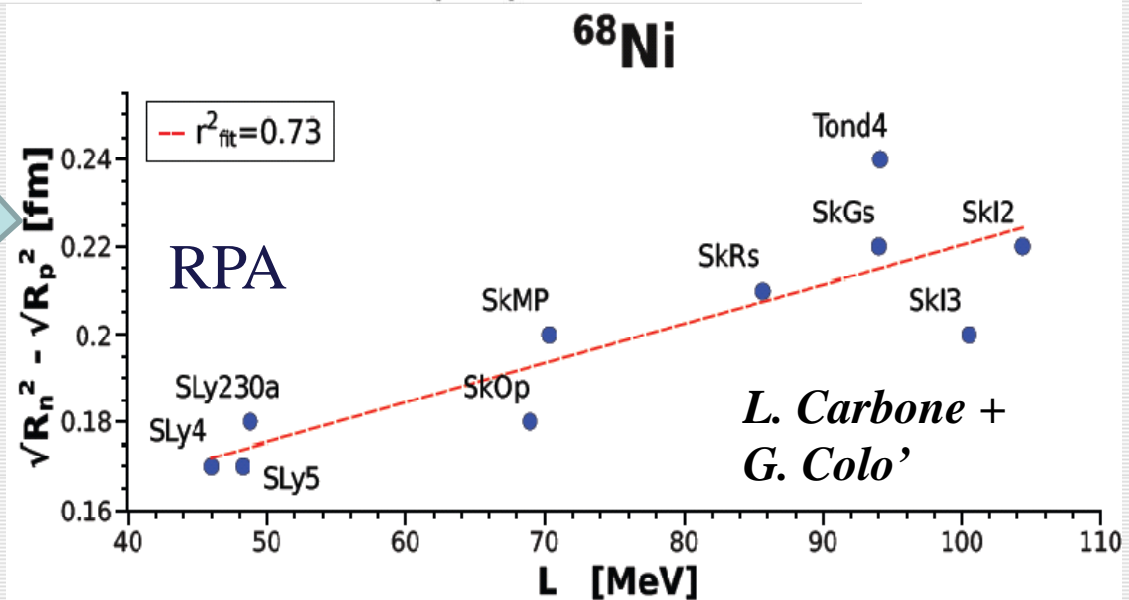
From measured  
strength get  
the neutron  
radius

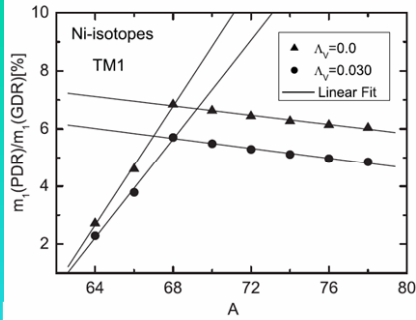
→ Compare with other  
methods :  
e. g. analysis of HI data  
(isospin diffusion).



*Preliminary*

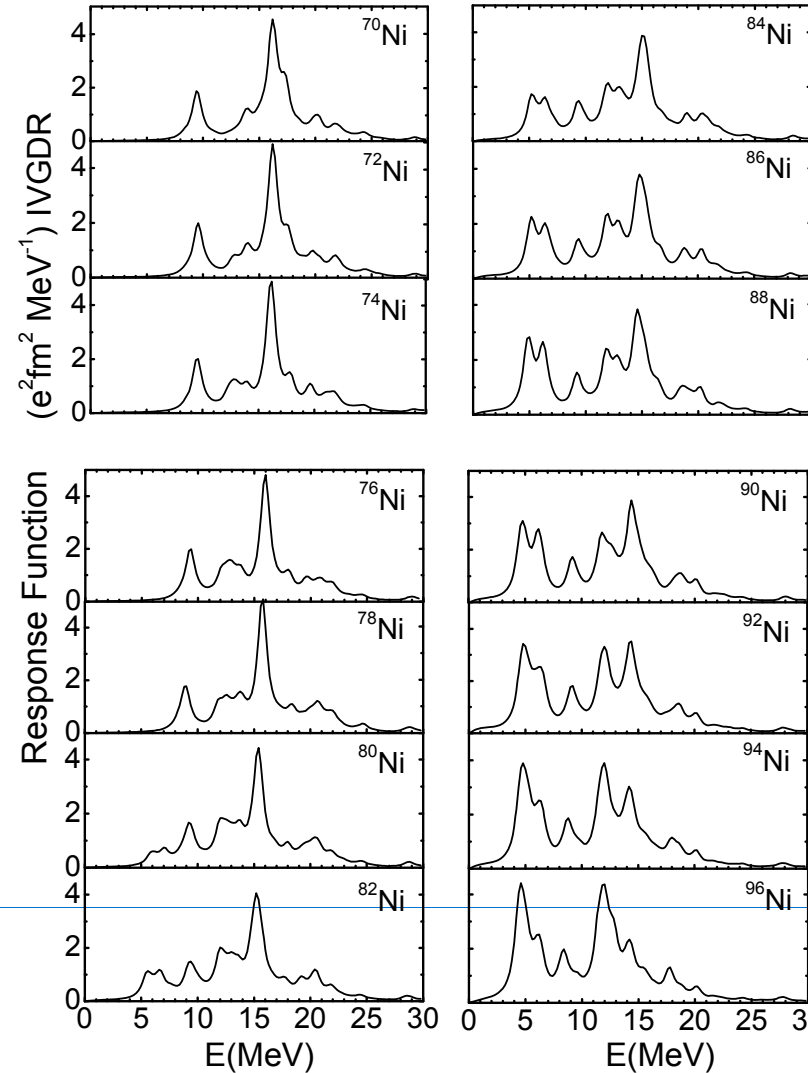
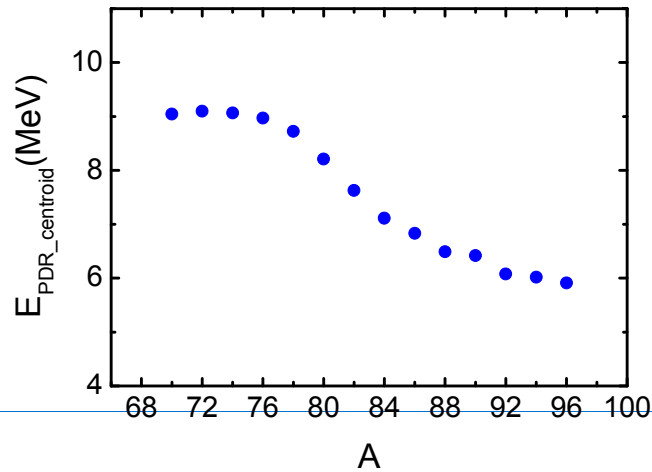
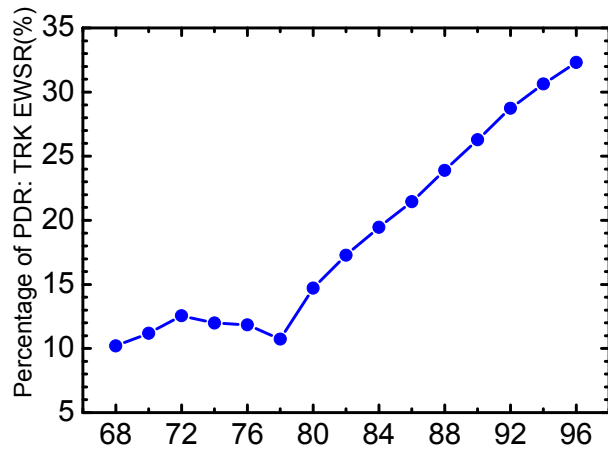
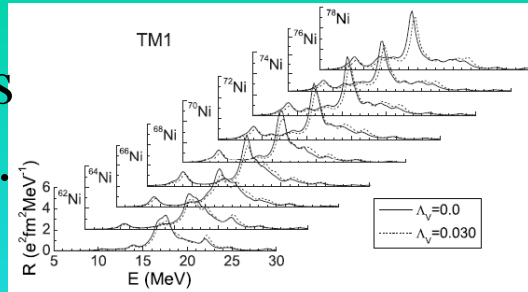
$L$  is related to  
the derivative  
of the  
symmetry  
energy as a  
function of  
density



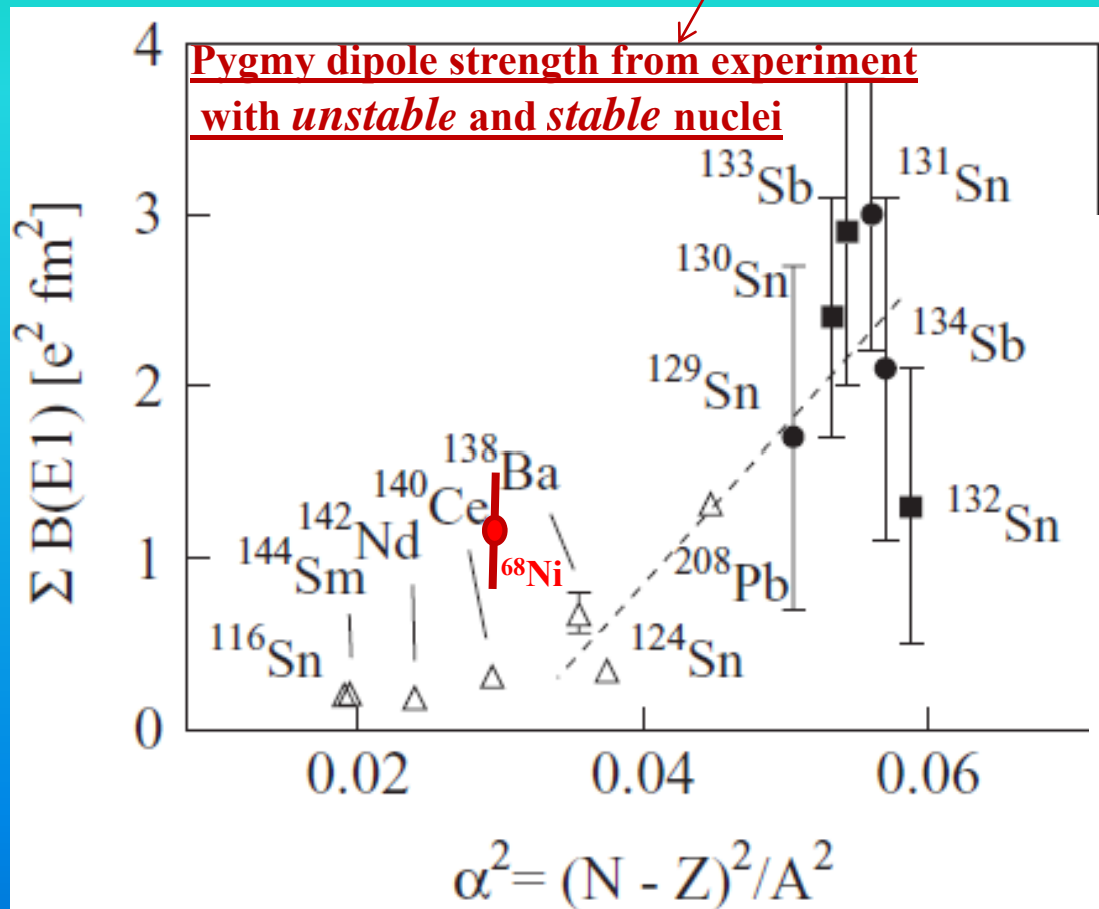


# Systematic studies are starting (1) ....

PHYSICAL REVIEW C 75, 054320 (2007)  
 Jun Liang, Li-Gang Cao and Zhong-Yu Ma  
 And G. Colo' + L. Carbone as seen before



Systematic studies  
are starting (2) ....



**Pygmy-Strength is related to skin and  
could constrain the density  
dependence of  $S(\rho)$**

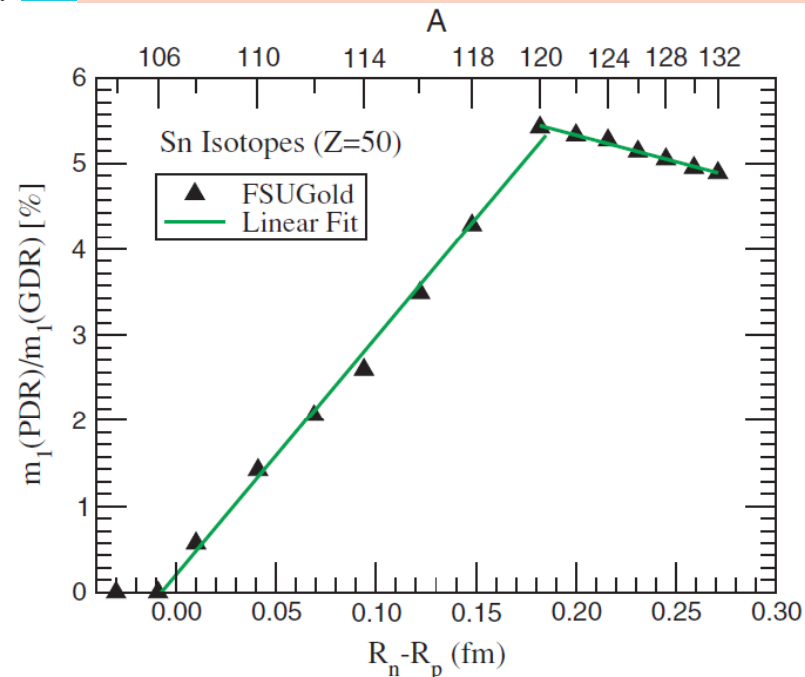


FIG. 4. (Color online) Fraction of the energy-weighted sum rule contained in the low-energy region (5–10 MeV) relative to that in the high-energy region (10–25 MeV) as a function of the neutron skin of the various Sn-isotopes.

A. Klimkiewicz et al. PHYSICAL REVIEW C 76, 051603 ©(2007)

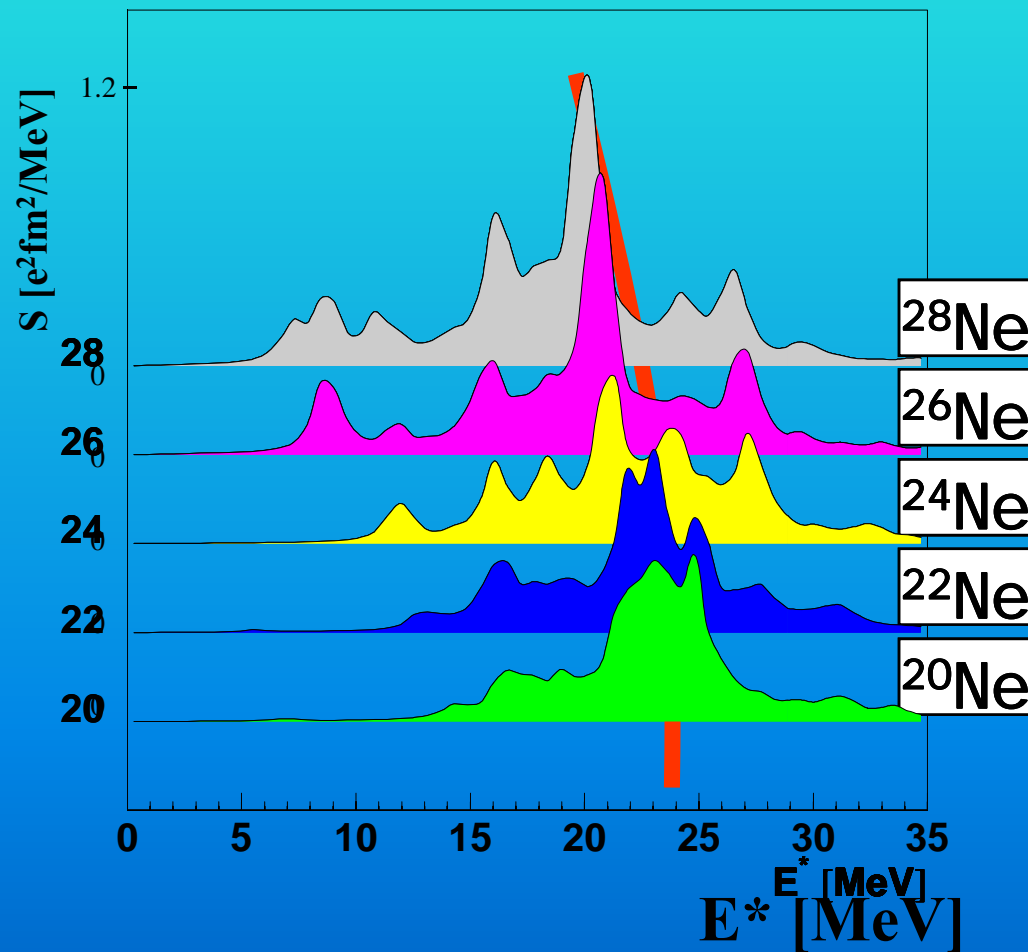
J. Piekarewicz PHYSICAL REVIEW C 73, 044325 (2006)



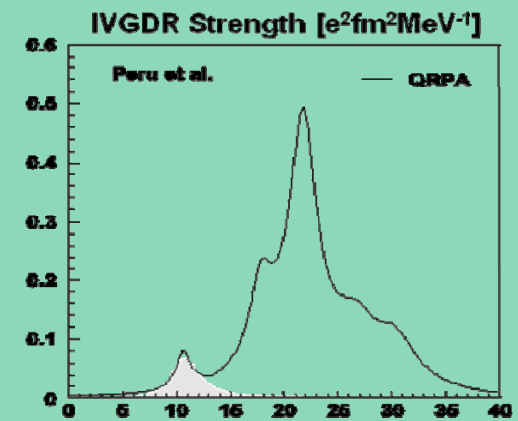
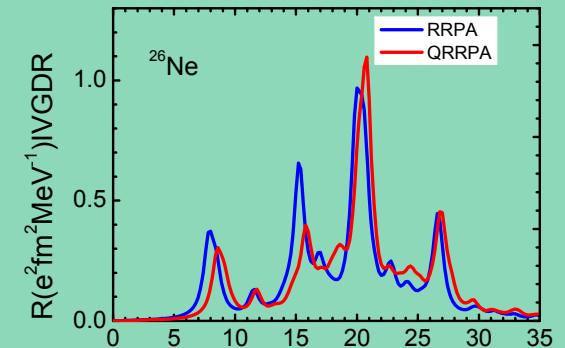
# Planned next Measurements

## Predictions in $^{XX}\text{Ne}$

Systematic strength distributions by QRRPA calculations



Cao L.-G. and Ma Z.-Y. Phys. Rev. C 71, 034305 (2005)

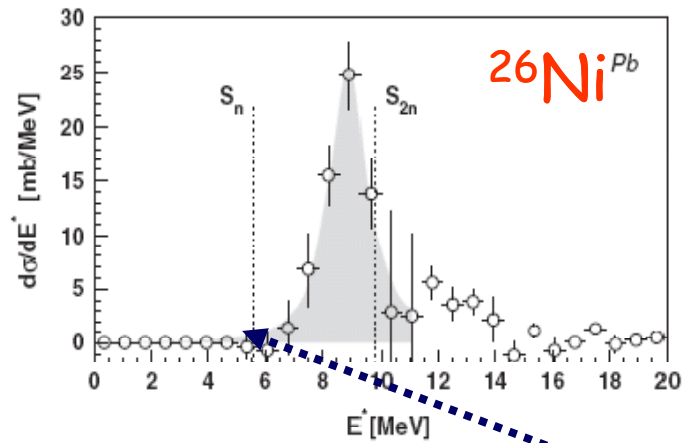


$$S_{\text{pygmy}}/S_{\text{TRK}} \sim 5\%$$

Figure 2: Dipole strength distributions calculations for  $^{26}\text{Ne}$  in function of the gamma ray energy. In the left panel predictions by QRRPA calculations [17] are shown, in the right panel the results of HFB+QRPA calculations are shown [18]. The two different calculated strength distributions for  $^{26}\text{Ne}$  in function of the gamma ray energy gives for the PDR state, 4,5% (of TRK sum rule) at 8 MeV and 1,5% at 10.5 MeV respectively.

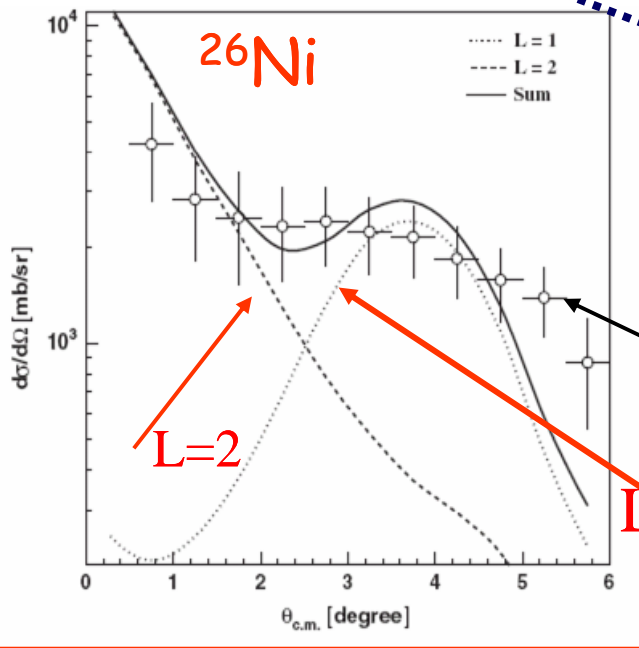
### Decay Pattern of Pygmy States Observed in Neutron-Rich $^{26}\text{Ne}$

J. Gibelin et al.



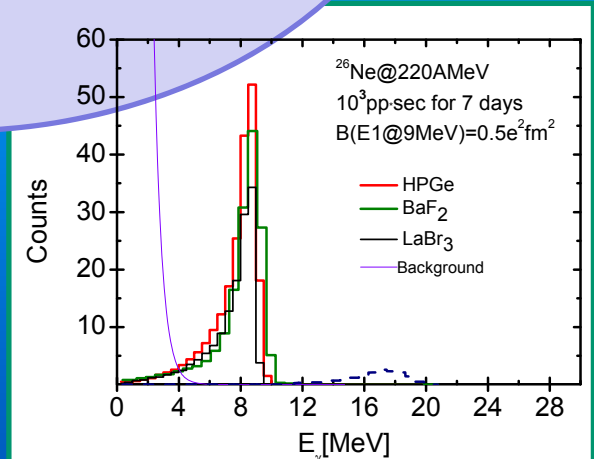
RIKEN experiment at 58 MeV/u  
 pygmy with 4.9 (p/m 1.6) % EWSR

Planned at GSI:  
 high energy and  
 virtual photon  
 scattering  
 technique ! :  
search strength ALSO  
below  $S_n$



Coulomb break-up

Neutron detection and  
gamma rays  
of the residual  $^{25}\text{Ne}$



## Planned next Measurements

### Pygmy in light nuclei :

- ❑ e.g. Ne neutron rich nuclei (measured at RIKEN with virtual photon break-up)
- ❑ improve the count rate of the set up because it has a smaller cross section than  $^{68}\text{Ni}$

### Pygmy in neutron rich nuclei in mass 100- 130

- ❑ Improve the energy resolution of the particle detector after target
- ❑ We need level density calculations (or measurements) for E around the threshold for proposals, and analysis
- ❑ Even-odd nuclei?

# CONCLUSION

- Measurement of high energy  $\gamma$ -rays from **Coulex of  $^{68}\text{Ni}$  at 600 MeV/u.**
  - **Strength at 11 MeV** has been observed in all three kind of detectors
  - We found an extra strenght at 11 MeV with around **5%** (+/- 1.5%) of the EWSR. The error is related by the assumption of the Level density.
  - The theory (RMF and RRPA calculations) predicts 4-8%.
  - The results opens new perspectives for other experiments and are very promising for Future measurements especially with **high resolution**

## Measurements with *stable* beams

### Laboratori Nazionali di Legnaro

1. Restoration of the Isopin mixing in  $N=Z$   $^{80}\text{Zr}$  at high temperature studied with the measurement of the  $\gamma$ -decay of GDR

- Method and (“Theoretical”) background
- Measurement
- Outlook

G.A.R.F.I.E.L.D.  
HECTOR

# Introduction (very brief and fast)

Isospin ( $I_z = \frac{1}{2}(N-Z)$ ) is a **good** quantum number for the **strong interaction** and therefore the Hamiltonian is symmetric against exchange of n and p

→ **Coulomb interaction** is isospin violating/**breaking** → **MIXING** (Isospin is not conserved)

- in the **g.s** and in low lying states: isospin mixing  $\alpha$ , **around <5%**

## OPEN QUESTIONS

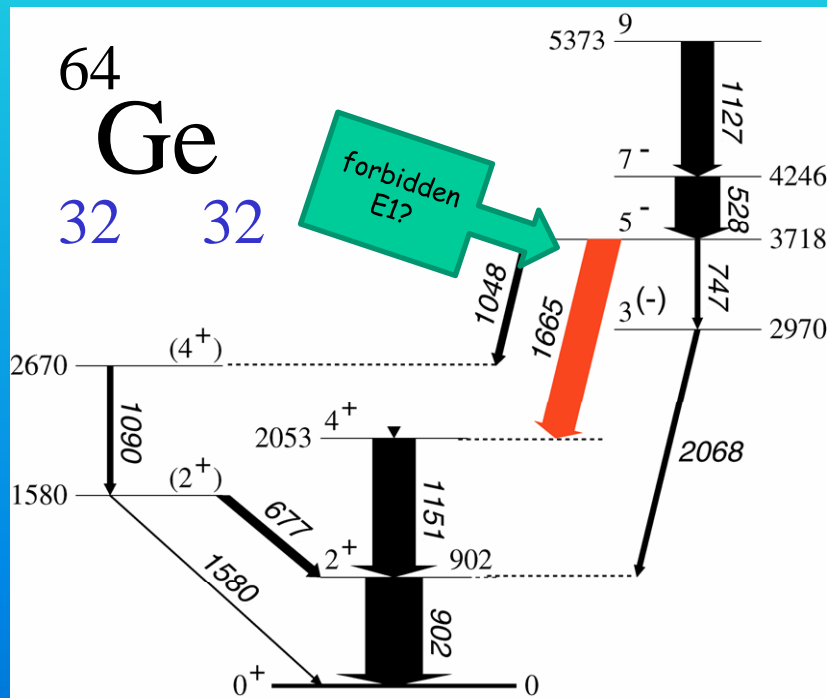
- how does mixing **change** (with Temperature →  $E^*$ ) for **Z** and **A** ??
  - **How to measure this in un/stable N=Z nuclei ??**
- 

# Isospin mixing and forbidden E1 decay in N=Z

N=Z Nuclei :

The electric dipole transitions (without mixing) in long-wavelength limit are strictly (ISOSPIN) forbidden in states with the same isospin

Temperature = 0

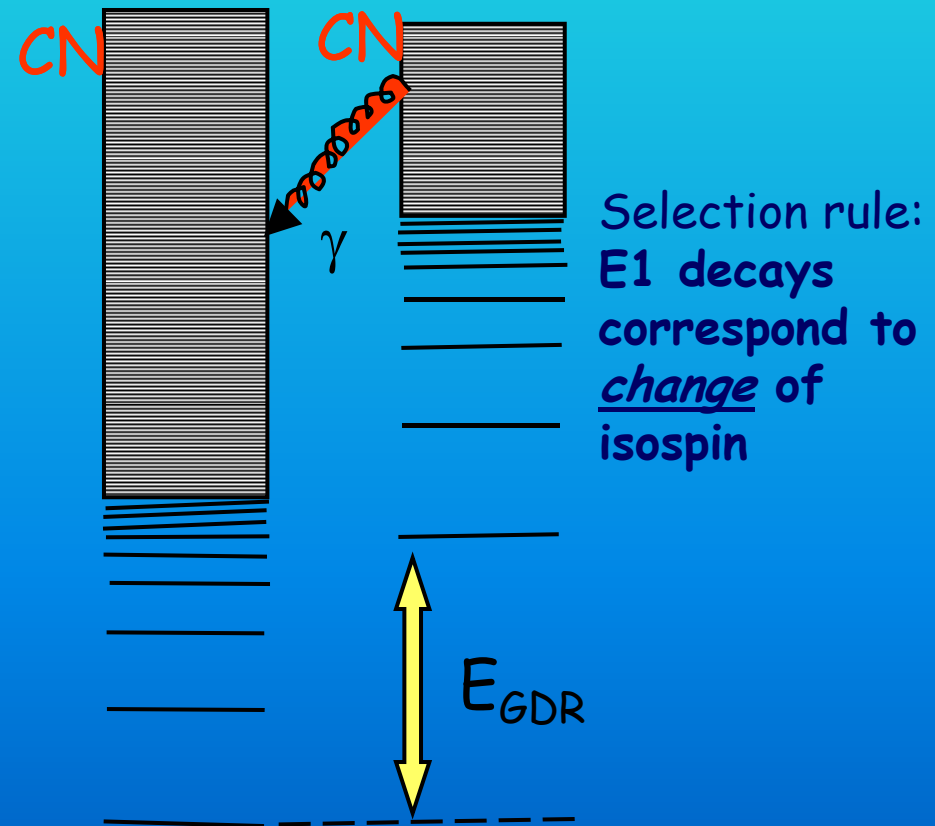


E. Farnea et al. PLB 551,(2003)55

$$\alpha^2 = 2.50(+1.0-0.7)\%$$

Measure rates of isospin forbidden transitions  
To determine Coulomb-induced isospin mixing !

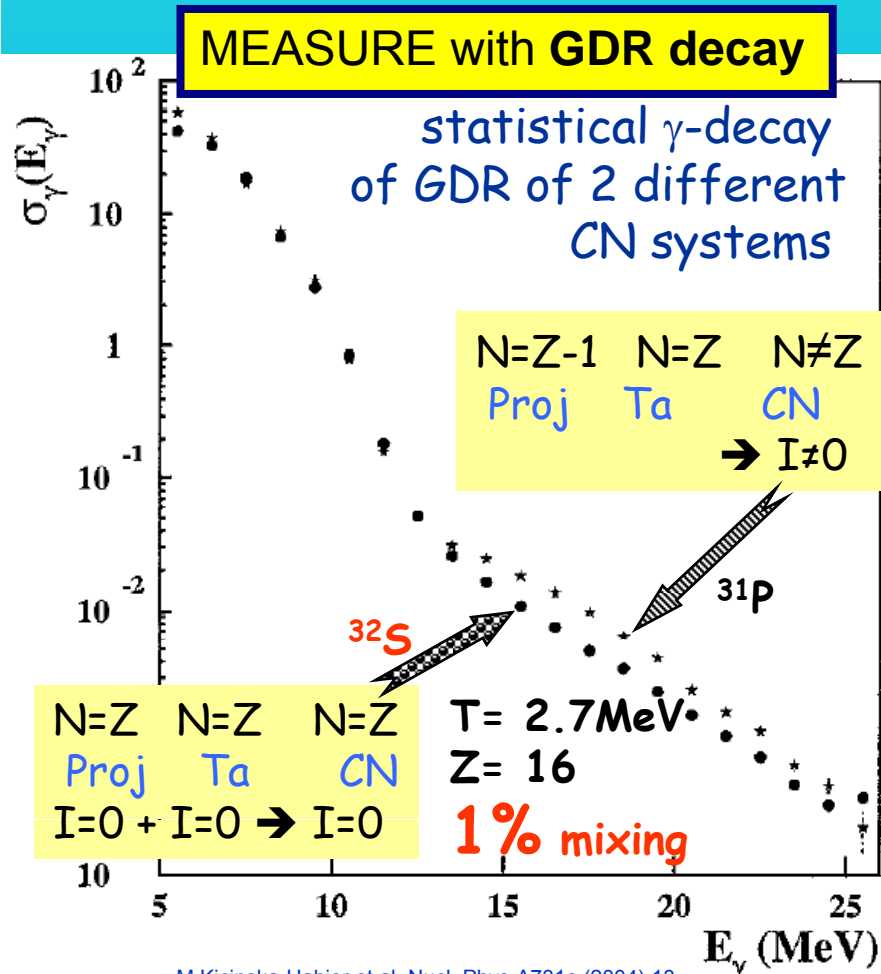
Temperature > 0





# Temperature > 0

- how does mixing change (with Temperature) for Z and A ??
- How to measure this in hot un/stable nuclei ??



M.Kicinska-Habior et al. Nucl. Phys A731c (2004) 13

E1 (isovector GDR) transitions ( $\Delta I=1$ )

$I_{\text{initial}} = 0 \rightarrow I_{\text{final}} = 0$  are **forbidden**

$I_{\text{initial}} = 0 \rightarrow I_{\text{final}} = 1$  are allowed

In the  $N=Z$  CN we have  $\rho(I=0) > \rho(I=1)$

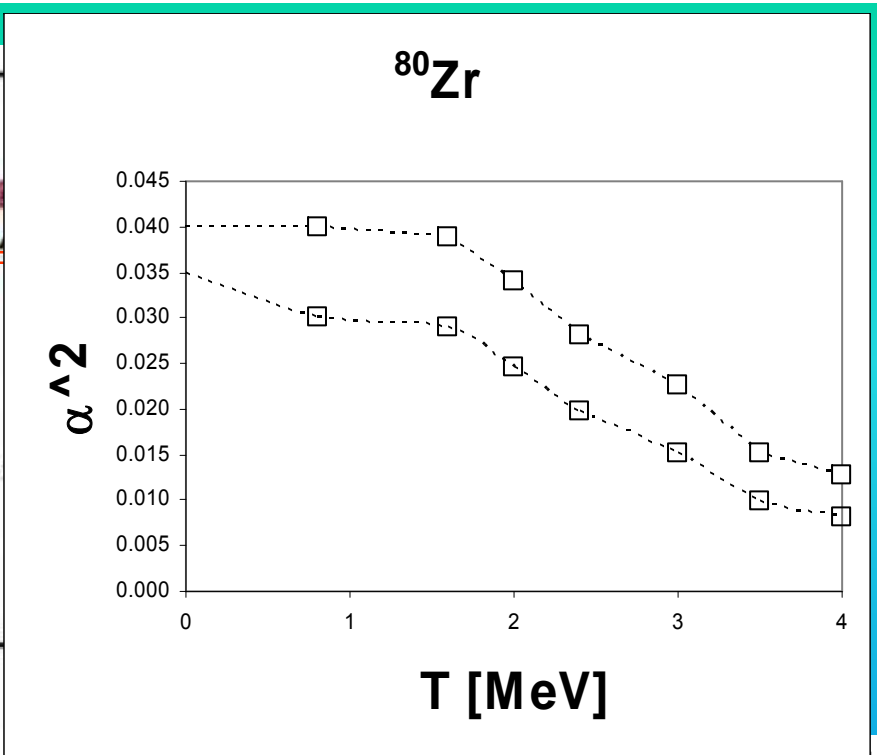
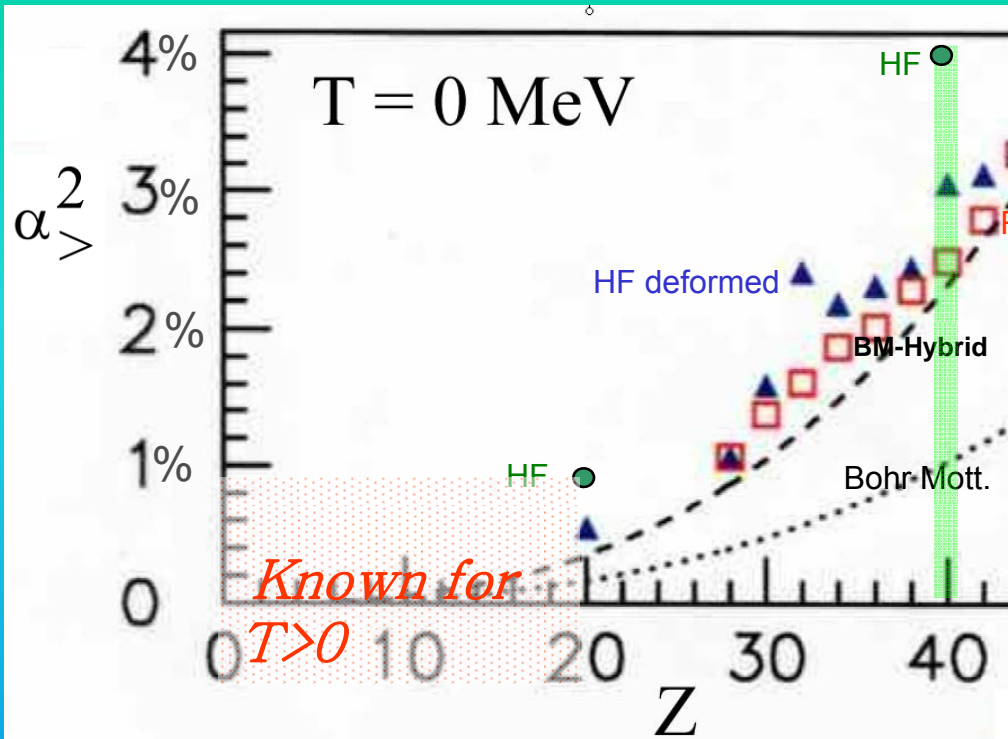
$\gamma$  yield from CN is **suppressed**

when  $I_{\text{initial\_CN}} = 0$

## Comparison

of yield of GDR in a  $N=Z$  CN  
to the one of  $N \neq Z$  CN

The observed suppression between these two yields depends on the degree of isospin mixing in the CN system

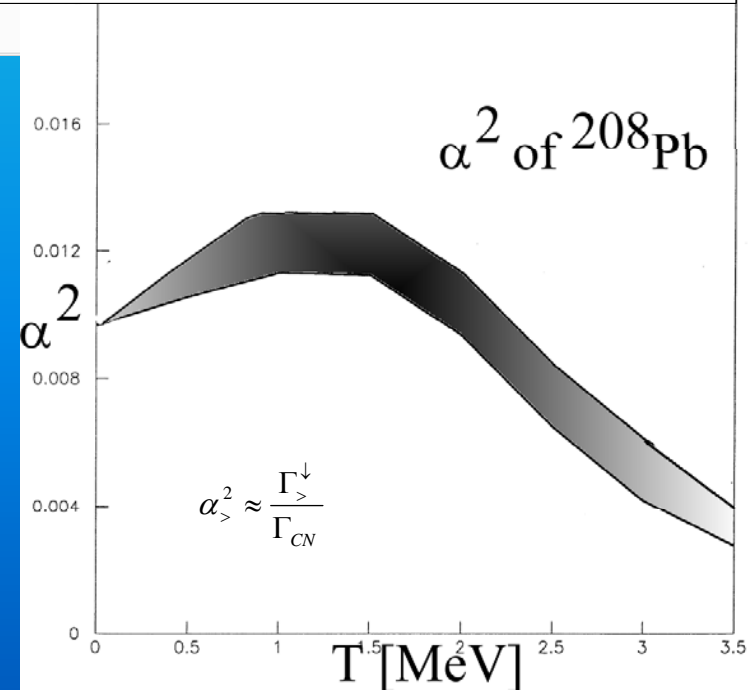


G. Colo, M.A. Nagarajan, P. Van Isacker, A. Vitturi PRC 52(1995)1175 and ref. therein

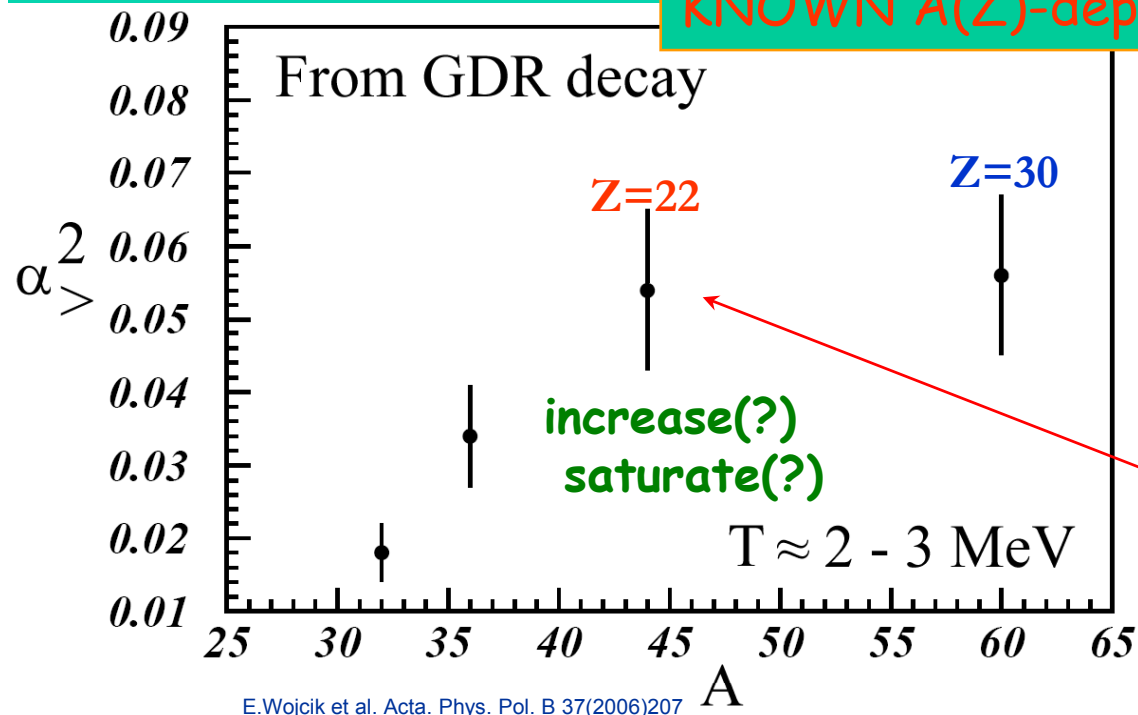
Z-dependence

The Isospin Mixing  $\alpha_>$  Probability is predicted to decrease with temperature for  $T > 1 \text{ MeV}$

$$|g.s.> = \sqrt{1 - \alpha_>^2} |I = I_0> + \alpha_> |I = I_0 + 1>$$

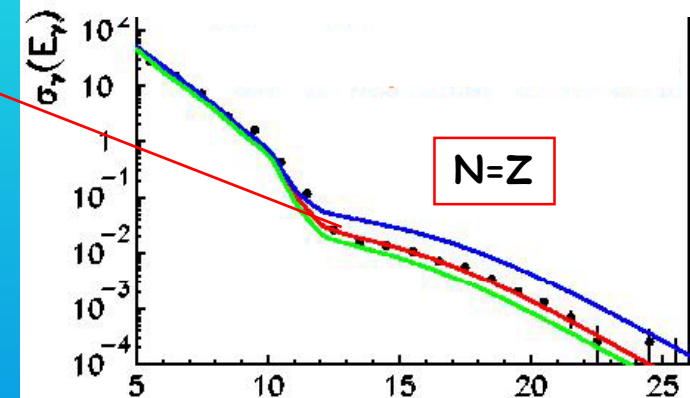


## KNOWN A(Z)-dependence



Statistical model to determine isospin mixture

$\Gamma_s = 20 \text{ keV}$   
 $\Gamma_s = 100 \text{ MeV}$  full mixing  
 $\Gamma_s = 0$  no mixing

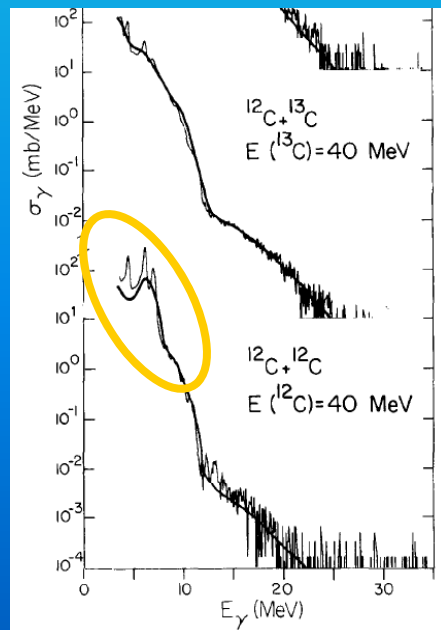
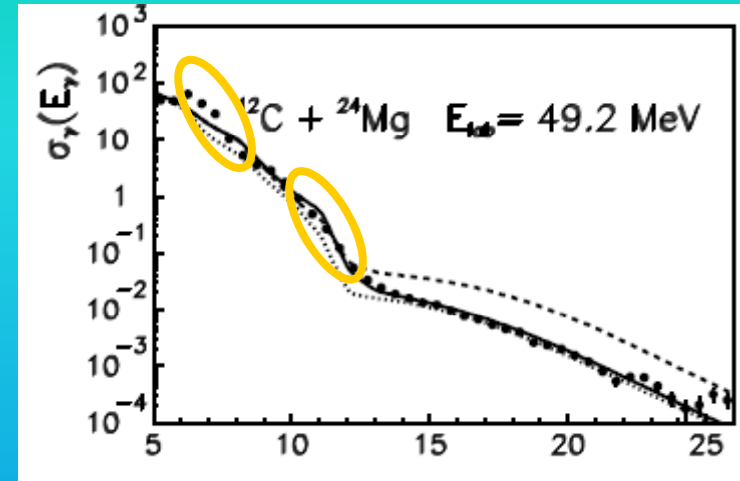
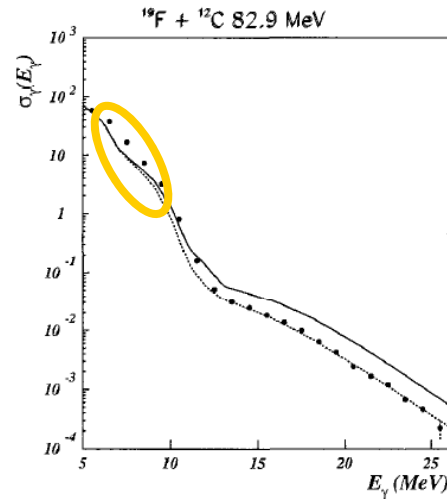
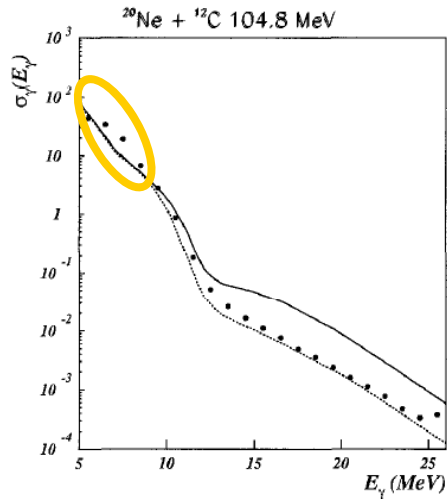


- up to mass  $\approx 40$  the isospin mixing  $\alpha^2$ , increases similarly to its behaviour at  $T=0 \text{ MeV}$ ,
- while at  $A = 60$  it does not increase as one would expect?
- Measurement at  **$A=80$**  will help to clarify!

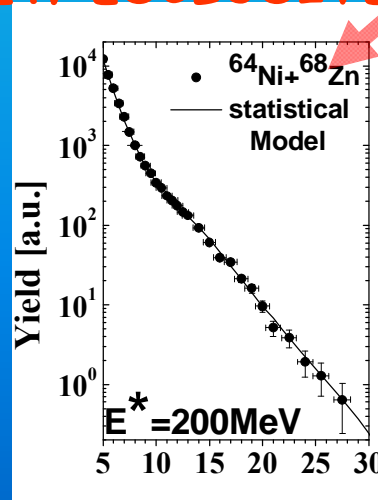
It has to be noted that **all** available literature data are only **INCLUSIVE** measurements for low mixing parameters !

M. Kicińska-Habior et al. / Nuclear Physics A731 (2004) 138–145

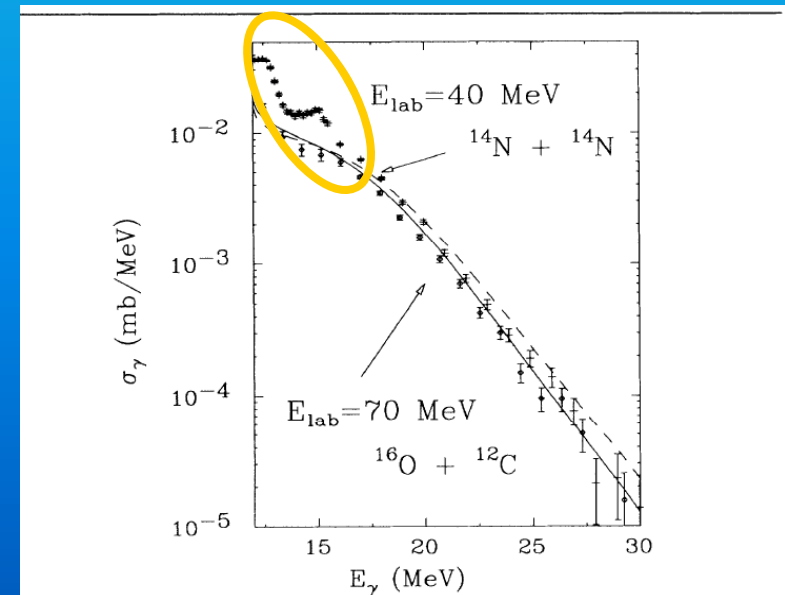
141



**NEW EXCLUSIVE MEASUREMENTS ARE NEEDED !**



Example: Exclusive  
GARFIELD+HECTOR  
Gamma ray spectra



# GARFIELD+HECTOR @ Laboratori Nazionali di Legnaro

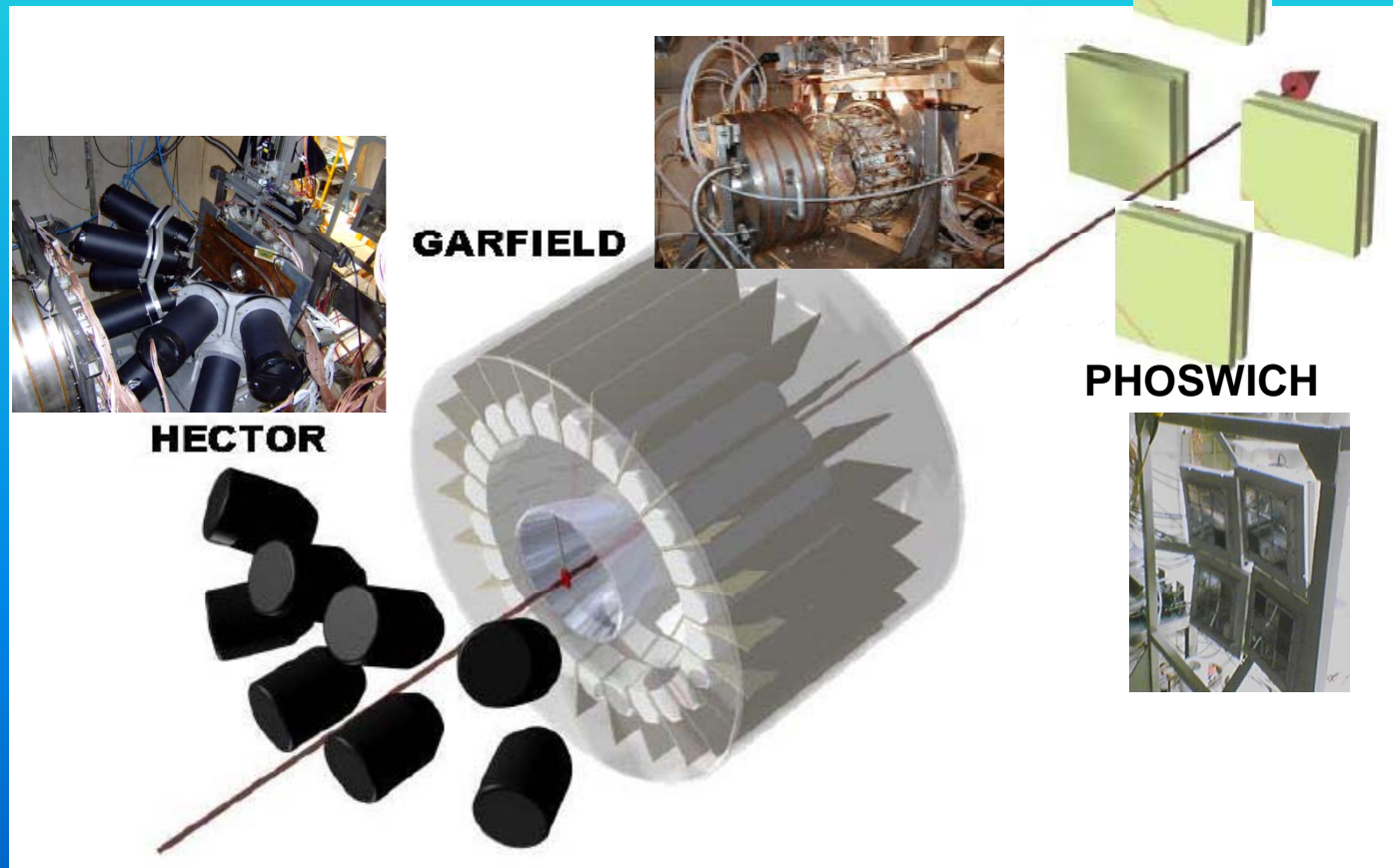
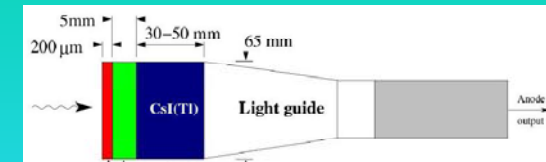
## Two reactions – Same compound

$^{40}\text{Ca} + ^{40}\text{Ca}$  with  $E_{\text{beam}} = 200 \text{ MeV}$

→  $^{80}\text{Zr}$  with  $l=0$

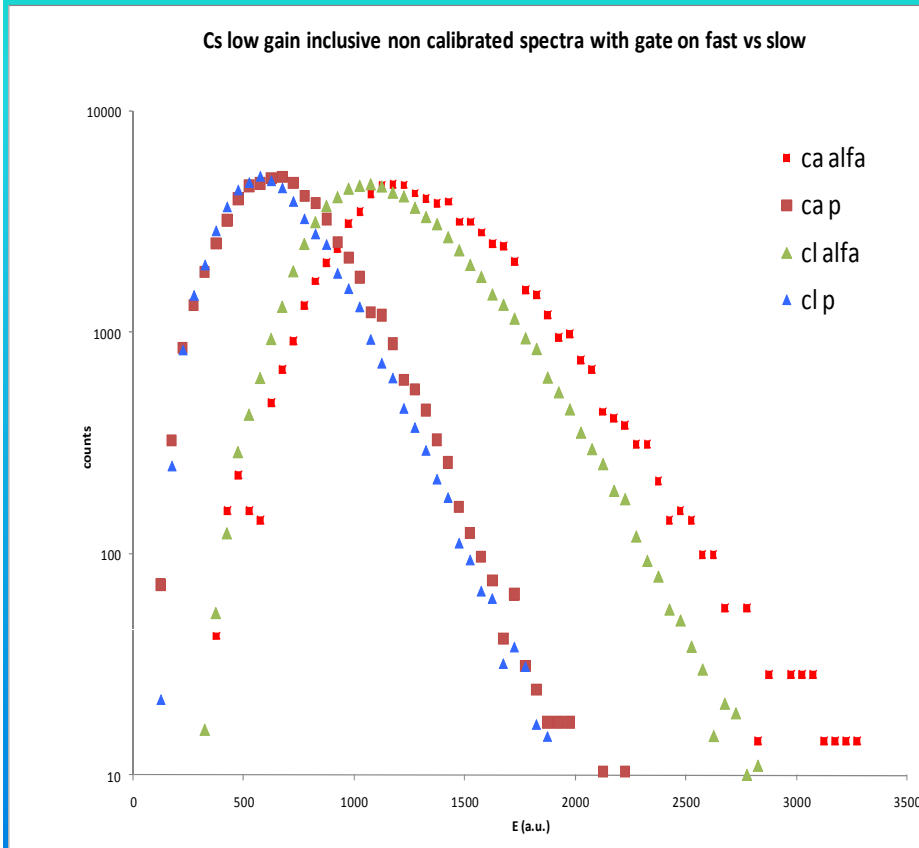
$^{37}\text{Cl} + ^{44}\text{Ca}$  with  $E_{\text{beam}} = 154 \text{ MeV}$

→  $^{81}\text{Rb}$  with  $l \neq 0$

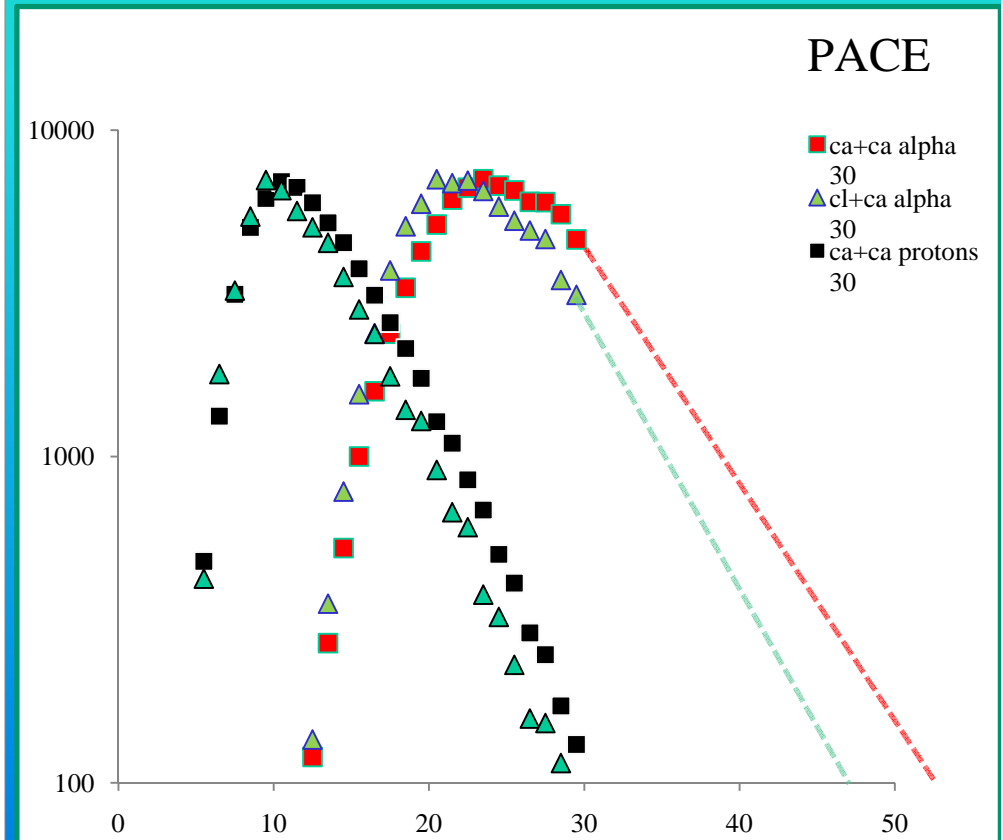


# Preliminary Results

## Measurement



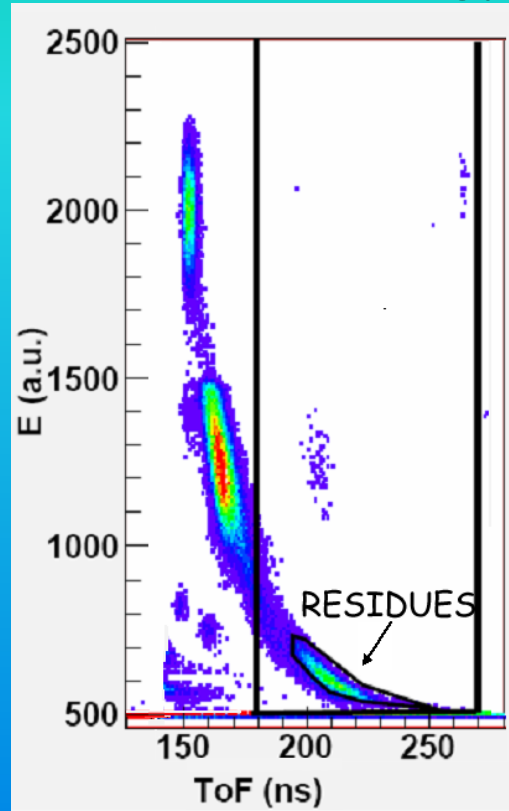
## Stat. Model.



→ Thermalized emission from “identical”  
both Compound systems at same  $E^*$  and  $T$

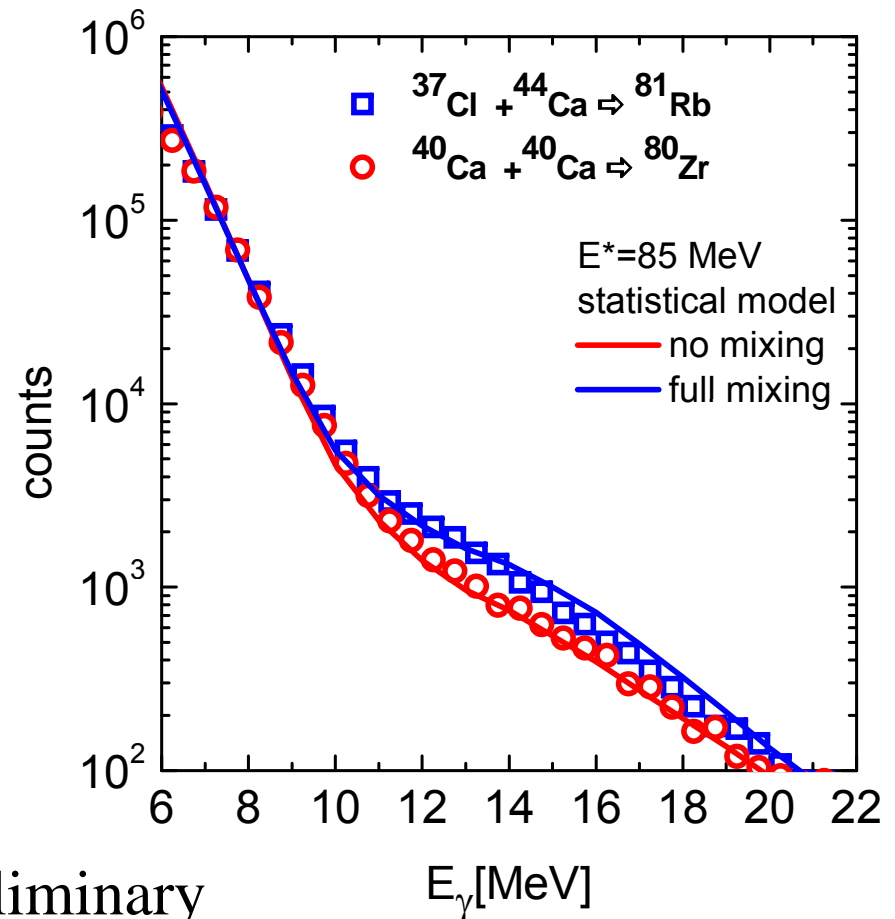
# Preliminary analysis:

PHOSWICH energy (1<sup>st</sup> layer) vs ToF



HECTOR  $\gamma$  spectra:

Statistical Model with full  
and no isospin mixing



Determine  $\alpha^2$

Preliminary



## Isospin mixing in $N=Z$ $^{80}\text{Zr}$ at high temperature

- It was possible to measure symmetric  $^{40}\text{Ca}+^{40}\text{Ca}=\text{}^{80}\text{Zr}$  reaction at high temperature, not accessible with other methods
- Statistical model simulations together with experimental data and teoretical analysis will give insight into restoration of Isospin mixing at high temperature
- **FUTURE:**

### Beams to use:

$^{44}\text{Ti}$ ,  $^{56}\text{Ni}$ ,  $^{72}\text{Kr}$  ...?

### Nuclei to study:

$^{84}\text{Mo}$ ,  $^{96}\text{Cd}$ ,  $^{112}\text{Ba}$ , ...

### Method: excite GDR in $N = Z$ nucleus by

complete fusion reaction

measure gamma-ray (and light particle) spectra

analyze GDR statistical gamma-decay

Proj.	Target	CN
$^{44}\text{Ti}$	$^{24}\text{Mg}$	$^{68}\text{Se}$
$^{56}\text{Ni}$	$^{12}\text{C}$	$^{68}\text{Se}$
$^{56}\text{Ni}$	$^{24}\text{Mg}$	$^{80}\text{Zr}$
$^{44}\text{Ti}$	$^{40}\text{Ca}$	$^{84}\text{Mo}$
$^{56}\text{Ni}$	$^{28}\text{Si}$	$^{84}\text{Mo}$
$^{72}\text{Kr}$	$^{12}\text{C}$	$^{84}\text{Mo}$
$^{56}\text{Ni}$	$^{40}\text{Ca}$	$^{96}\text{Cd}$
$^{72}\text{Kr}$	$^{24}\text{Mg}$	$^{96}\text{Cd}$
$^{72}\text{Kr}$	$^{28}\text{Si}$	$^{100}\text{Sn}$

$N=Z$



G.A.R.F.I.E.L.D.  
HECTOR

## Garfield + Hector collaboration

O. Wieland, A. Bracco, F. Camera, A. Corsi, S. Brambilla, G. Benzoni,  
F. CL. Crespi, S. Leoni, B. Million, D. Montanari, A. Moroni, N. Blasi,  
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*INFN, Sezione di Bologna, Firenze, Italy*

**A. Ordine**  
*INFN sez di Napoli, Napoli*

...

**RISING  
PYGMY  
Collaboration**



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F.C.L. Crespi<sup>a</sup>, S. Leoni<sup>a</sup>, B. Million<sup>a</sup>, R.Nicolini<sup>a</sup>  
O. Wieland<sup>a</sup>, A. Maj<sup>b</sup>, P. Bednarczyk<sup>b,c</sup>  
J. Grębosz<sup>b</sup>, M. Kmiecik<sup>b</sup>, W. Męczyński<sup>b</sup>, J. Styczeń<sup>b</sup>  
T. Aumann<sup>c</sup>, A. Banu<sup>c</sup>, T. Beck<sup>c</sup>, F. Becker<sup>c</sup>, L. Caceres<sup>c</sup>  
P. Doornenbal<sup>c</sup>, H. Emling<sup>c</sup>, J. Gerl<sup>c</sup>, H. Geissel<sup>c</sup>, M. Gorska<sup>c</sup>  
O. Kavatsyuk<sup>c</sup>, M. Kavatsyuk<sup>c</sup>, I. Kojouharov<sup>c</sup>, N. Kurz<sup>c</sup>  
R. Lozeva<sup>c</sup>, N. Saito<sup>c</sup>, T. Saito<sup>c</sup>, H. Schaffner<sup>c</sup>  
H.J. Wollersheim<sup>c</sup>, J. Jolie<sup>d</sup>, P. Reiter<sup>d</sup>, N. Warr<sup>d</sup>  
G. de Angelis<sup>e</sup>, A. Gadea<sup>e</sup>, D. Napoli<sup>e</sup>, S. Lenzi<sup>f</sup>, S. Lunardi<sup>f</sup>  
D. Balabanski<sup>g</sup>, G. Lo Bianco<sup>g</sup>, C. Petrache<sup>g</sup>, A. Saltarelli<sup>g</sup>  
M. Castoldi<sup>h</sup>, A. Zucchiatti<sup>h</sup>, J. Walker<sup>i</sup>, A. Bürger<sup>j</sup>  
and the FRS Collaboration**

...

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<sup>g</sup>University of Camerino, and INFN Section of Perugia, Italy

<sup>h</sup>INFN Section of Genova, Italy

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