

5th Workshop on Nuclear Level Density and Gamma Strength

Oslo, May 18 - 22, 2015

Pete Jones

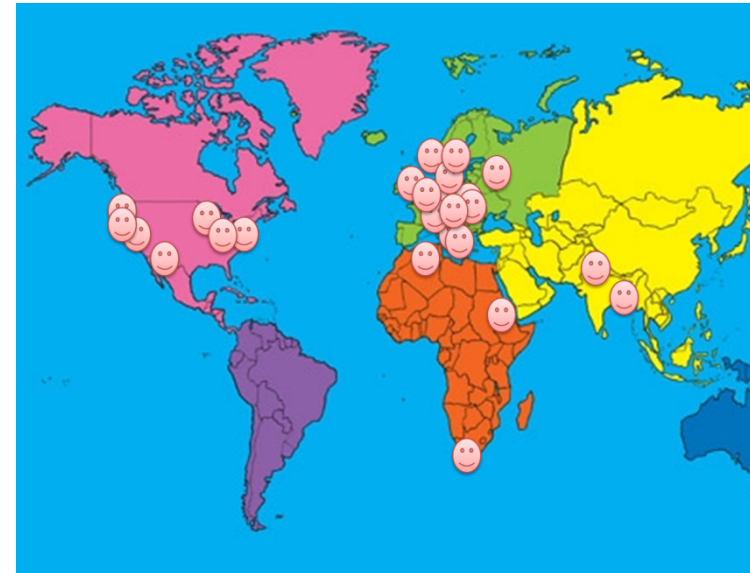
iThemba LABS, South Africa

Table of Contents

- Introduction
- Theory
- Methods
- Apparatus
- Results
- Discussion
- Conclusions
- References

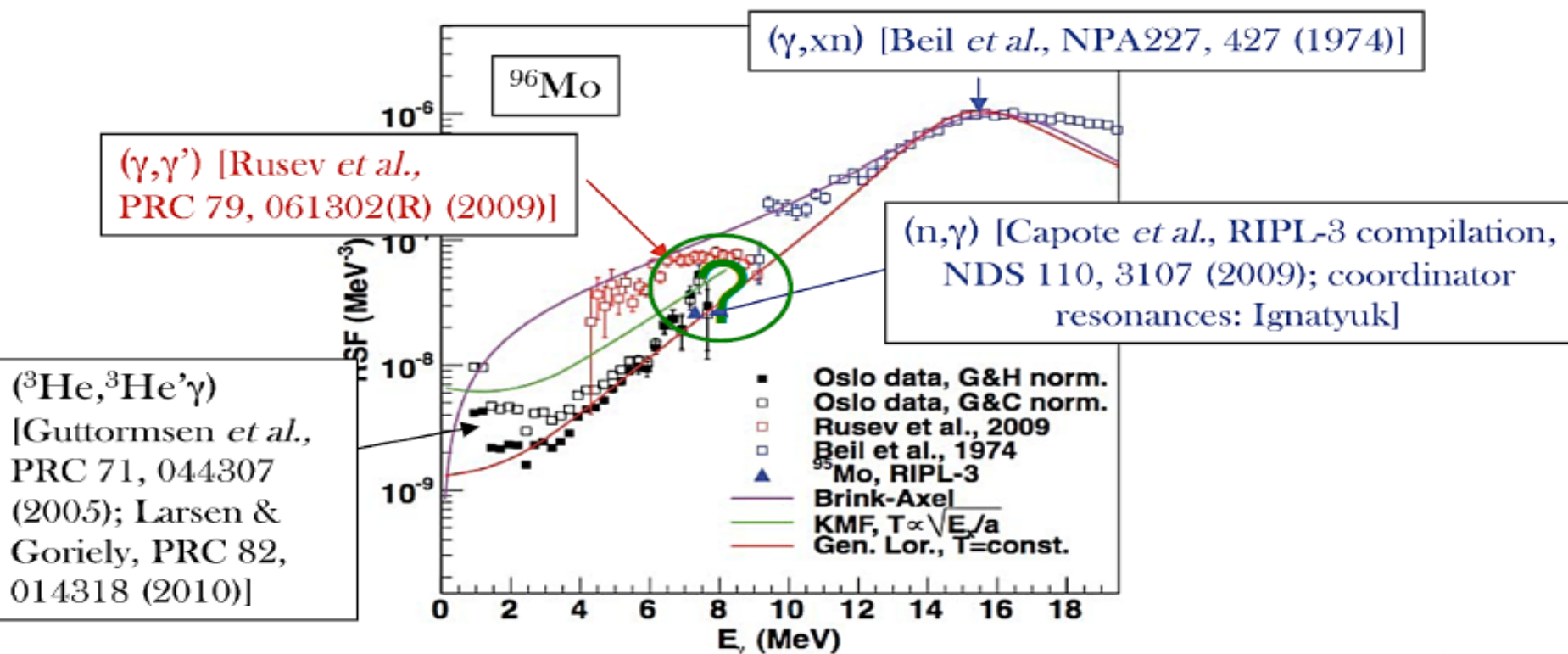
Abstract

- The 5th Workshop on Level Density and Gamma Strength was held at the University of Oslo, May 18-22 2015
- Attended by over 60 leading scientists in the field from ~30 institutes in ~15 countries
- The scientific program included talks, and poster presentations, covering the following topics:
 - Nuclear level density
 - Gamma-ray strength function
 - Phase transitions in mesoscopic systems
 - Applications in astrophysics and reactor physics
 - Other related topics
- As in previous Oslo Workshops (2007, 2009, 2011, 2013), the program allowed for ample time for discussions



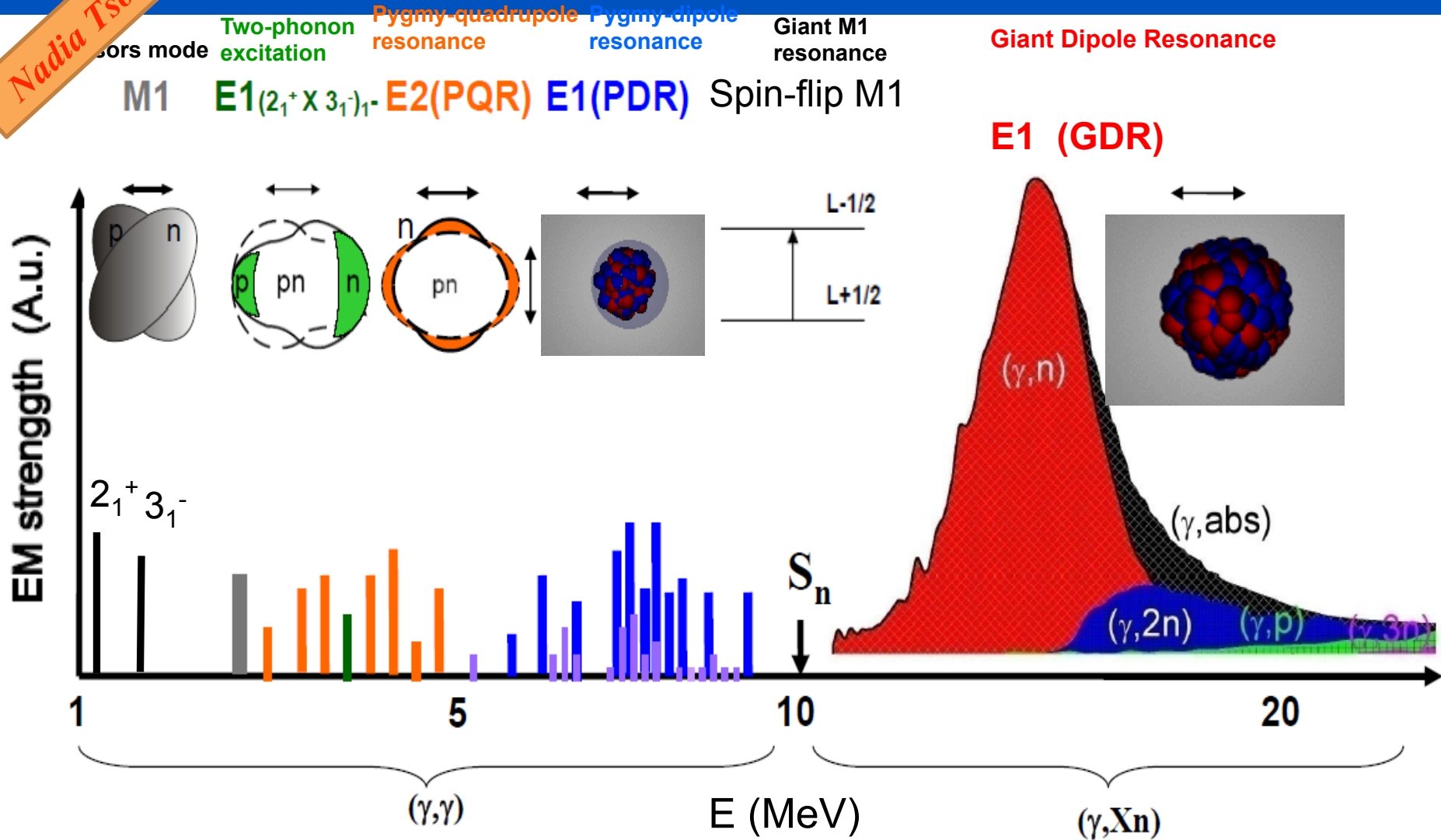
Introduction

Experimental Discrepancies in GSF: ^{96}Mo



Characteristic Response of an Atomic Nucleus to EM Radiation

Nadia Tsoneva



Moderate and Heavy nuclei

Theoretical prediction of Pygmy Quadrupole Resonance: N. Tsoneva, H. Lenske, Phys. Lett. B 695 (2011) 174.

Theory

Odd-even staggering of level density as function of angular momentum

Summed $\rho(E, I)$ –
three odd-odd

Comparison of combinatorial level density versus data on counted level densities:

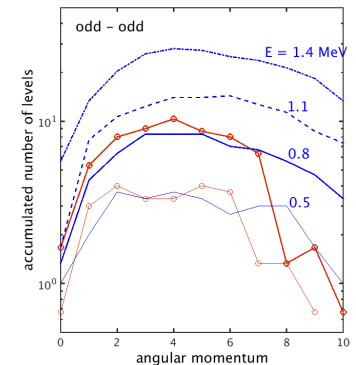
- low excitation energy (up to 2 MeV):

individual levels within ± 500 keV (typical for single particle potentials)

fine agreement when averaging over 3 nuclei

pairing influence well reproduced e-e versus o-o

odd-even staggering in deformed nuclei well explained: r – symmetry of potential



- intermediate excitation energy (2-4 MeV) transfer resonance data

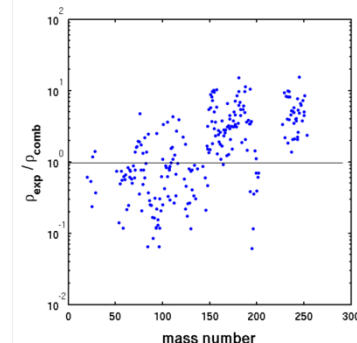
start to fall behind data – factor 1.5 to 2

- at neutron separation energy (6-7 MeV)

factor increases – factor of about 4

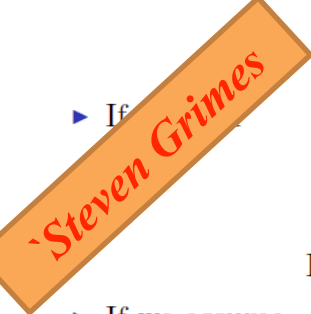
$\rho(S)$

For nuclei with
 $|\epsilon| > 0.04$



ρ

underestimates
level density
for heavy
nuclei



Reconcile RBM and MM

► If

$$\sigma^2(RBM) \propto \sqrt{(U/\alpha)} A^{7/6}$$
$$\sigma^2(MM) \propto \sqrt{U\alpha} A^{1/2} < m^2 >$$

If $< m^2 > \propto A^{2/3}$ the A dependence agrees.

► If we assume $a = A/8$ ($\alpha = 1/8$) then

$$< m^2 > = 0.1985 A^{2/3} \text{ makes MM equivalent to RBM}$$

► p shell $< m^2 > / A^{2/3} = 0.144$

► sd shell $< m^2 > / A^{2/3} = 0.164$

► fp shell $< m^2 > / A^{2/3} = 0.175$

► sdg shell $< m^2 > / A^{2/3} = 0.182$

► This is close to the estimate above

Conclusions

- Microscopic Model goes to the rigid body model if $< m^2 > \propto A^{2/3}$ and $a \propto A$
- Convergence ~ 20 MeV to Rigid Body Model.
- Not yet converged at 6-8 MeV.

- Have compared Rigid Body and Microscopic Model predictions for σ^2
- Find A and U dependence similar if $a \propto A$ and $< m^2 > \propto A^{2/3}$
- Data base limited: low $U \rightarrow \sigma^2 \sim \frac{1}{2} \sigma^2(RBM)$
- Some evidence for shell modulations in calculations with microscopic model for $U \leq 10$ MeV.
- Goes to $\sigma^2(RBM)$ as $U \rightarrow 20$ MeV
- Two body model calculations agree with data and generally with Microscopic Model.
- Need reanalysis of level densities for deformed nuclei.

A	U (MeV)	σ^2	$\sigma^2/\sigma^2(RBM)$	A	U (MeV)	σ^2	$\sigma^2/\sigma^2(RBM)$
20	2	1.2	0.6	60	2	2.1	0.3
	4	2.4	0.85		4	7.43	0.7
	6	5.9	1.7		6	11.14	0.9
	8	7.8	1.96		8	12.86	0.9
	10	8.1	1.81		10	13.65	0.85
	20	6.96	1.11		20	23.02	1.02
30	2	0.97	0.3	70	2	2.96	0.33
	4.0	2.6	0.58		4	9.71	0.8
	6	4.2	0.76		6	19.32	1.3
	8	5.43	0.85		8	24.32	1.42
	10	7.52	1.05		10	25.41	0.32
	20	11.0	1.1		20	30.11	1.11
40	2	1.36	0.31	80	2	5.0	0.5
	4	5.49	0.87		4	12.47	0.88
	6	11.29	1.46		6	22.58	1.3
	8	14.1	1.6		8	30.55	1.52
	10	16.1	1.7		10	32.6	1.45
	20	15.9	1.13		20	36.3	1.14
50	2	2.44	0.42	90	2	4.04	0.35
	4	8.04	0.98		4	10.58	0.65
	6	16.0	1.6		6	18.9	0.94
	8	16.1	1.38		8	20.7	0.9
	10	16.25	1.25		10	24.43	0.95
	20	17.4	0.95		20	38.2	1.05

THE THEORETICAL MODEL

Nadia Tsoneva

Particle-Phonon Model: V. G. Soloviev: Theory of Atomic Nuclei: Quasiparticles and Phonons (Bristol,

N. Tsoneva, H. Lenske, Phys. Rev. C 77 (2008) 024321

$$H = H_{MF} + H_{res}$$

$$H_{MF} = H_{sp} + H_{pair}$$

$$H_{res} = H_M^{ph} + H_{SM}^{ph} + H_M^{pp}$$

Nuclear Ground State

Single-Particle States

Phenomenological density functional approach based on a fully microscopic self-consistent Skyrme Hartree-Fock-Bogoljubov (HFB) theory

Pairing and Quasiparticle States

Excited states

deformations, vibrations, rotations

H_M^{ph} - multipole interaction in the particle-hole channel;

H_{SM}^{ph} - spin-multipole interaction in the particle-hole channel;

H_M^{pp} - multipole interaction in the particle-particle channel

$$V(|\mathbf{r} - \mathbf{r}'|) \approx \sum_{\lambda\mu\tau} (-)^{\mu} R_{\tau}^{\lambda}(r, r') Y_{\lambda\mu}(\theta, \varphi) Y_{\lambda-\mu}(\theta', \varphi')$$

$$R_{\tau}^{\lambda}(r, r') = \kappa_{\tau}^{\lambda} R_{\lambda}(r) R_{\lambda}(r')$$

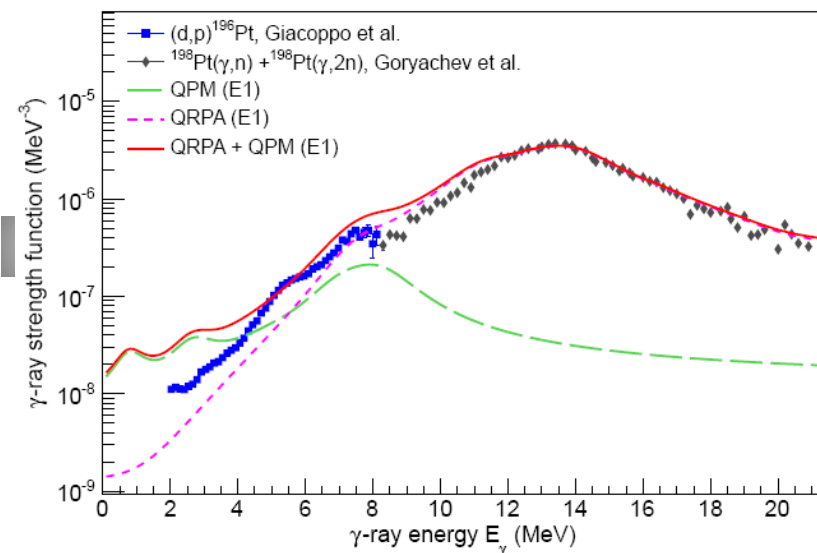
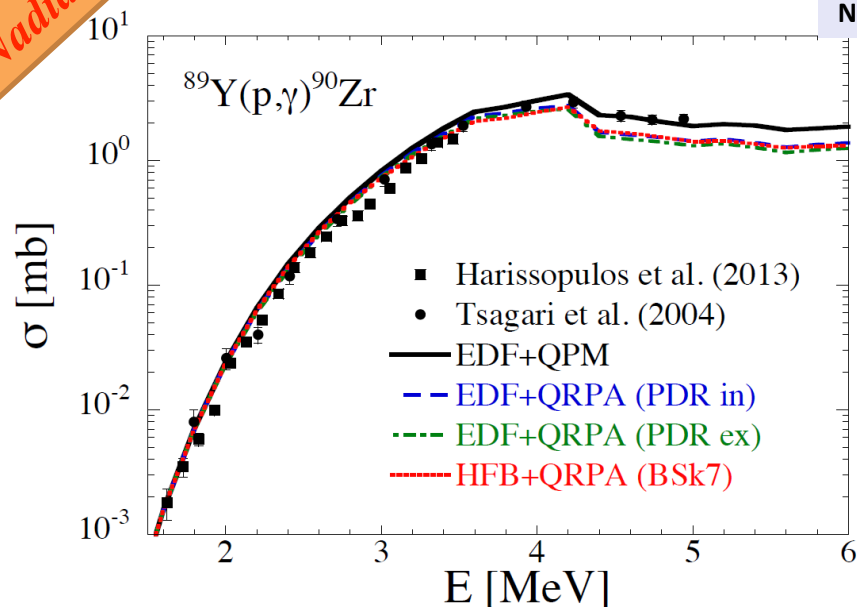
$\tau = 0$ isoscalar interaction

$\tau = 1$ isovector interaction

Proton capture cross section of the $^{89}\text{Y}(p,\gamma)^{90}\text{Zr}$ calculated with TALYS using EDF+QPM, HFB+QRPA and three-phonon QPM strength functions.

Nadia Tsoneva

N. Tsoneva, S. Goriely, H. Lenske, R. Schwengner, PRC 91, 044318 (2015).



A new theoretical method based on Density Functional Theory and Quasiparticle-Phonon Model is developed.

Presently, this is the only existing method allowing for sufficiently large configuration space such that a unified description of low-energy single-particle and multiple-phonon states and the giant resonances is feasible.

Methods I (Reactions)

- N, gamma

Artemis Spyrou

Neutron Capture – Uncertainties

Hauser – Feshbach

Nuclear Level Density

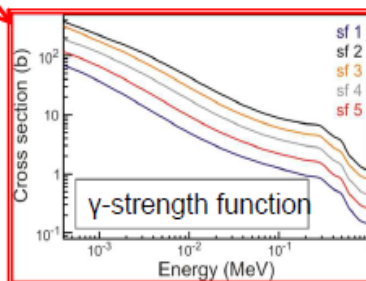
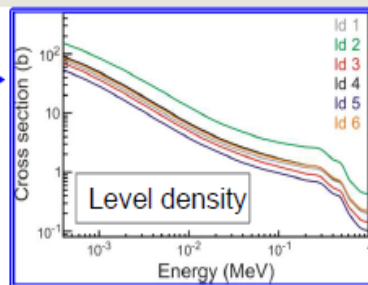
Constant T+Fermi gas, back-shifted Fermi gas, superfluid, microscopic

γ -ray strength function

Generalized Lorentzian, Brink-Axel, various tables

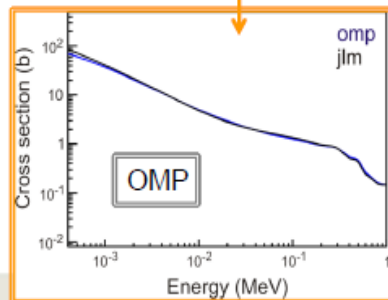
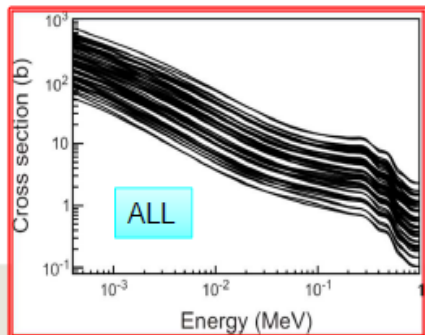
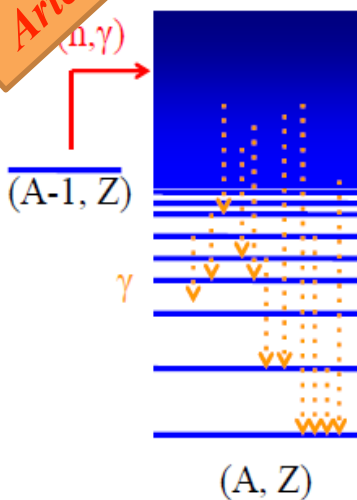
Optical model potential

Phenomenological, Semi-microscopic

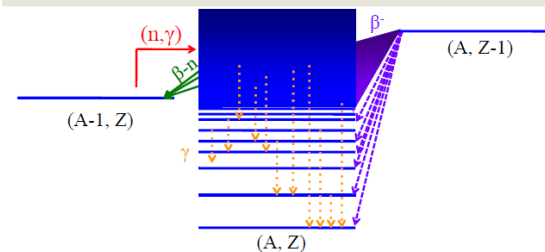


$^{95}\text{Sr}(n,\gamma)^{96}\text{Sr}$

TALYS



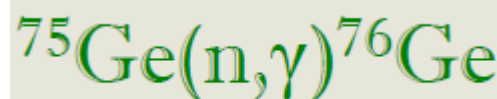
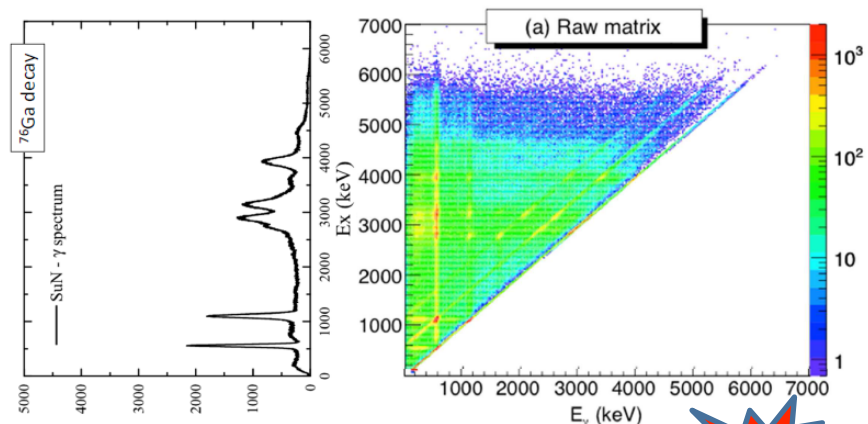
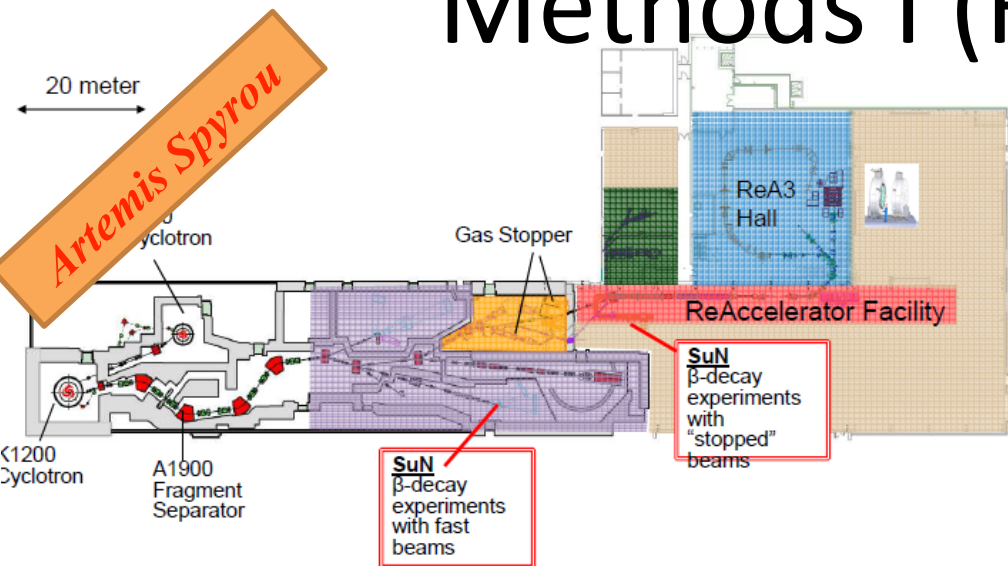
Neutron Capture – β -Oslo



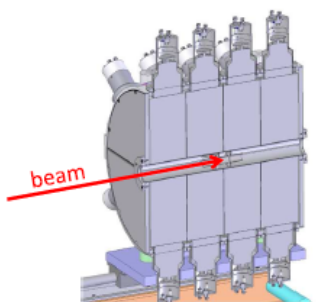
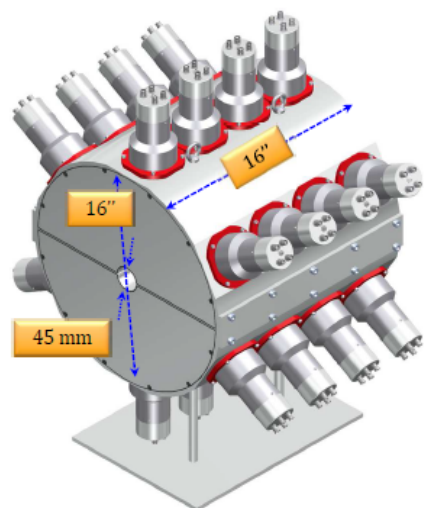
^{75}La STABLE 100%	^{76}La 1.0942 D β^- : 100.00%	^{77}La 39.63 H β^- : 100.00%	^{78}La 90.7 M β^- : 100.00%	^{79}La 9.01 M β^- : 100.00%
^{74}Ce STABLE 96.50%	^{75}Ce 92.79 M β^- : 100.00%	^{76}Ce STABLE 1.73%	^{77}Ce 11.20 H β^- : 100.00%	^{78}Ce 99.0 M β^- : 100.00%
^{73}Ga 4.66 H β^- : 100.00%	^{74}Ga 9.12 M β^- : 100.00%	^{75}Ga 126 S β^- : 100.00%	^{76}Ga 32.5 S β^- : 100.00%	^{77}Ga 13.2 S β^- : 100.00%

Foundation 1-based Sciences

Methods I (Reactions)

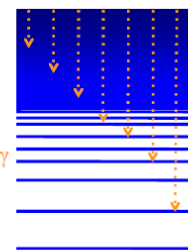


Beta-Oslo Method

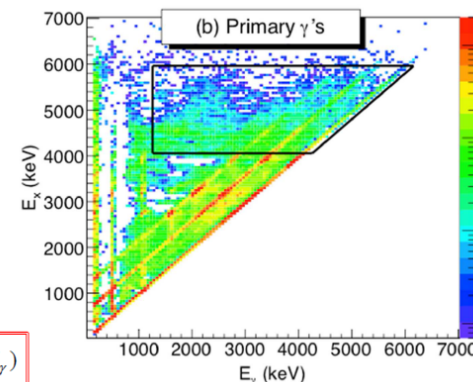


- ✓ 16x16 inch
- ✓ 45 mm borehole
- ✓ 2 pieces
- ✓ 8 segments
- ✓ 24 PMTs
- ✓ Efficiency > 85% for 1 MeV

$$E_x = E_{\gamma 1} + E_{\gamma 2} + E_{\gamma 3} + E_{\gamma 4} + \dots$$



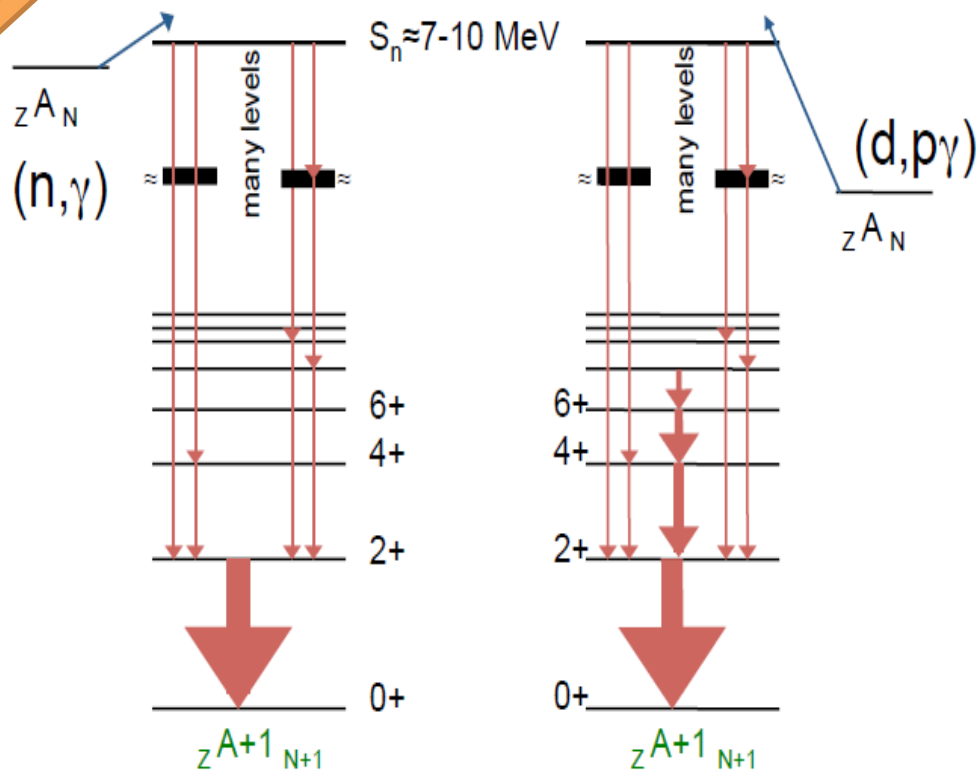
$$P(E_\gamma, E_x) = \rho(E_x - E_\gamma) T(E_\gamma)$$



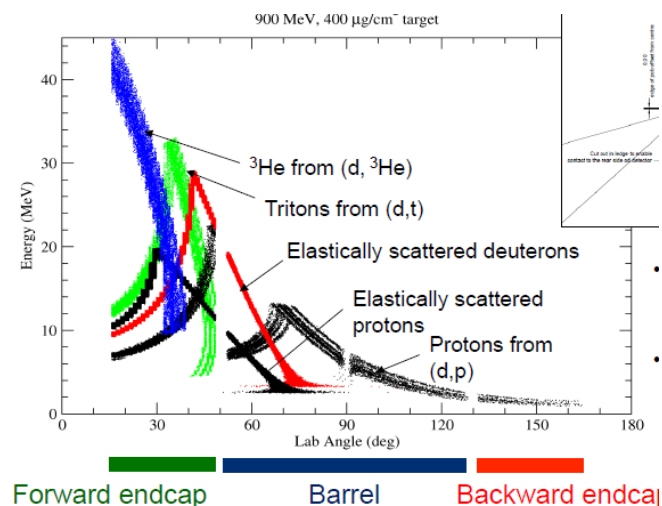
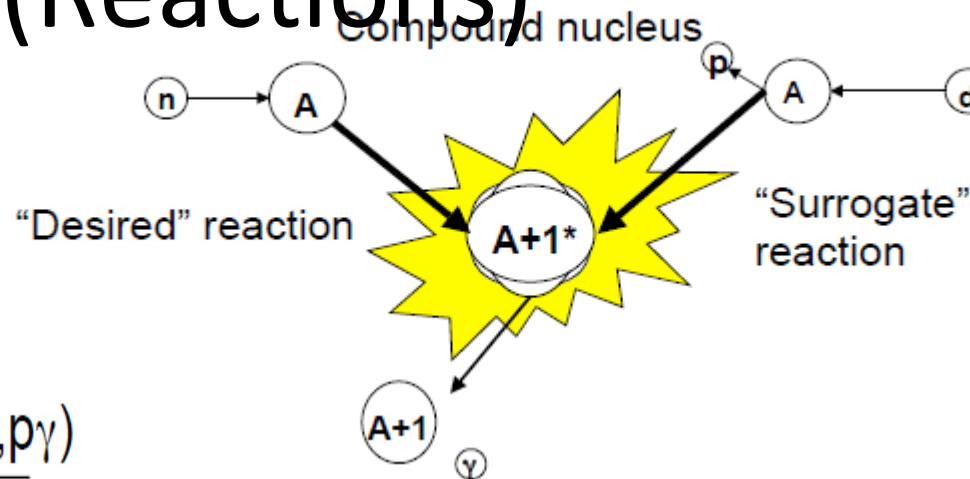
Methods I (Reactions)

Jolie Cizewski

N, g surrogate $\rightarrow$ d,p



Collecting transition(s) OR
Sidefeeding, e.g., subtract $I(4^+ \Rightarrow 2^+)$ from $I(2^+ \Rightarrow 0^+)$



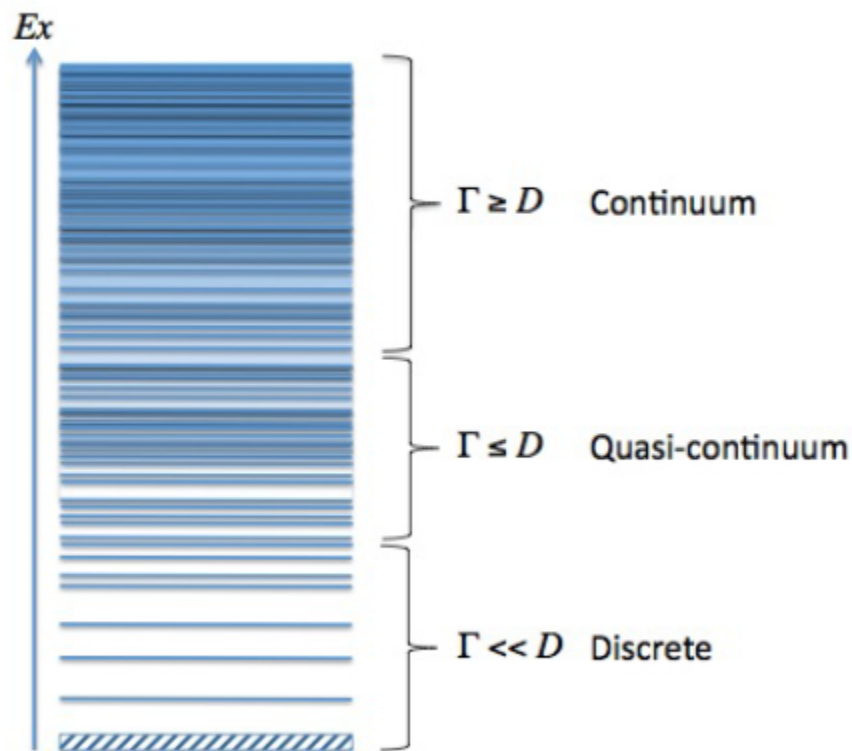
Future with ^{95}Mo beam and GODDESS
(Gammasphere ORRUBA: Dual Detectors for
Experimental Structure Studies)

Methods II (Data Analysis)

Gry Tveten

Oslo Method

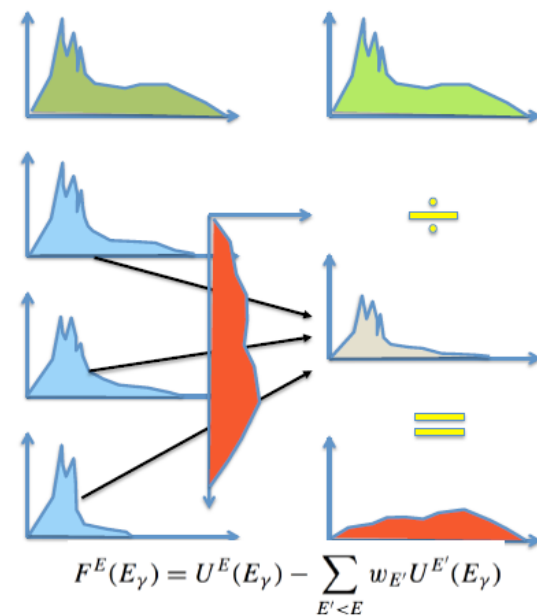
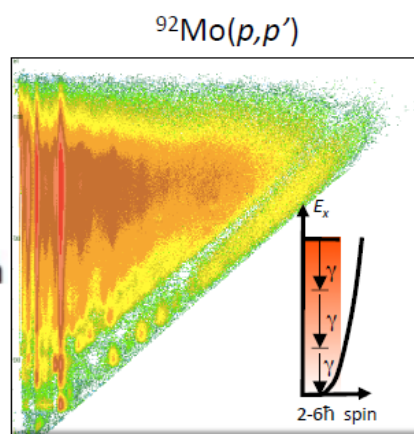
The quasi-continuum region



The Oslo method step-by-step

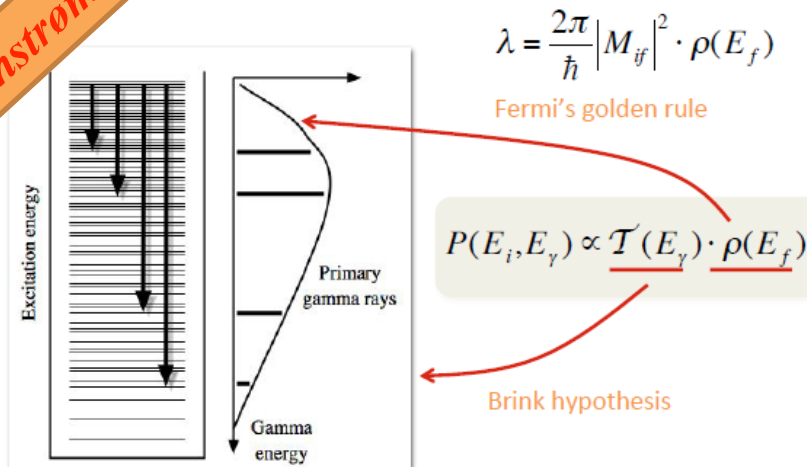
1. Run experiment and obtain particle- γ coincidences
2. Unfold spectra with detector responses
3. Extract first-generation matrix
4. Extract level density and gamma strength functional forms from first-generation matrix
5. Normalize results to other data

From total to primary γ -ray matrix

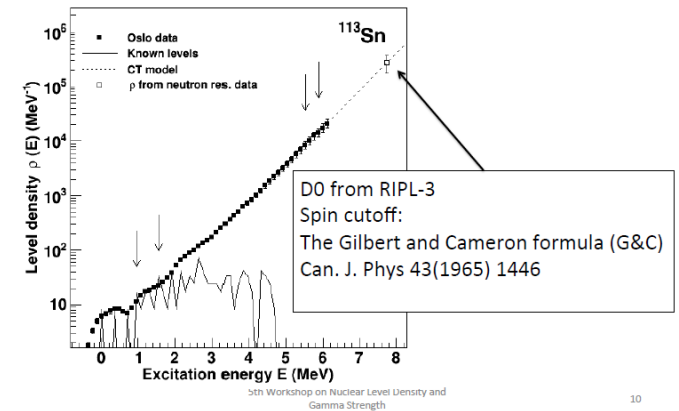


$$F^E(E_\gamma) = U^E(E_\gamma) - \sum_{E' < E} w_{E'} U^{E'}(E_\gamma)$$

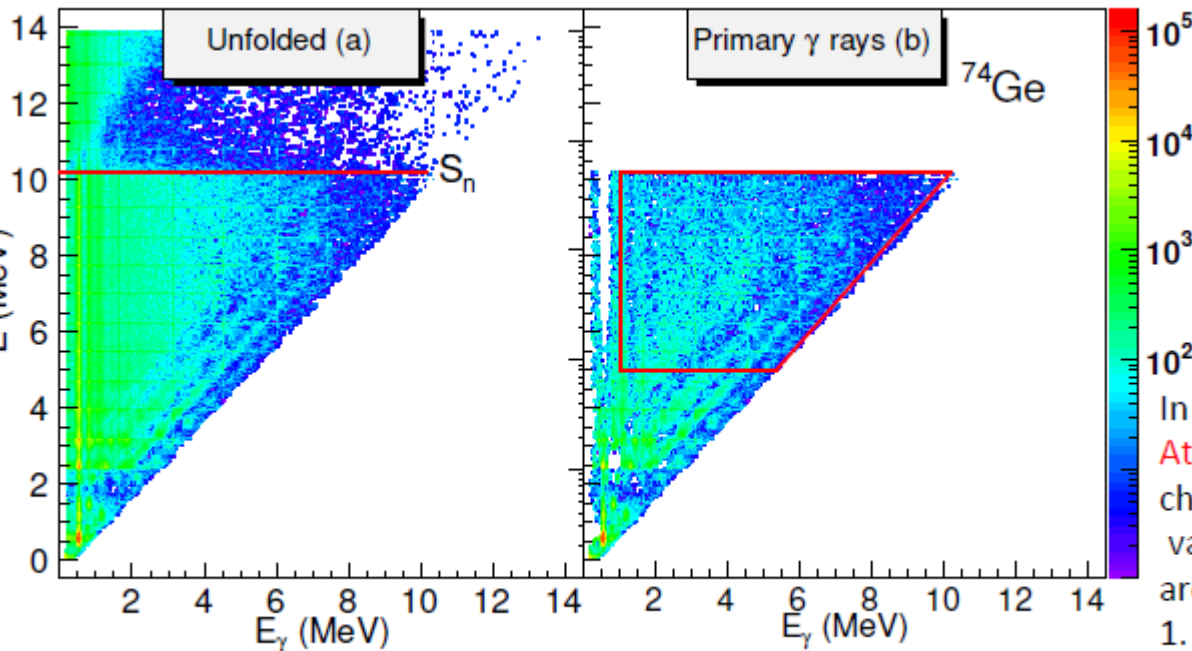
Therese Renström



Example: ^{113}Sn



10

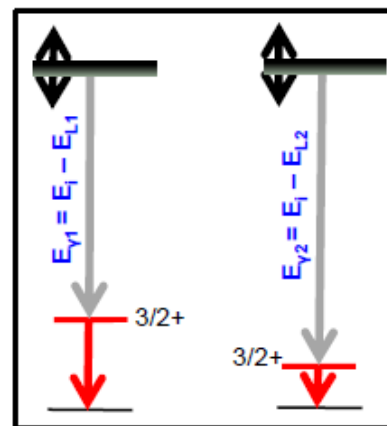
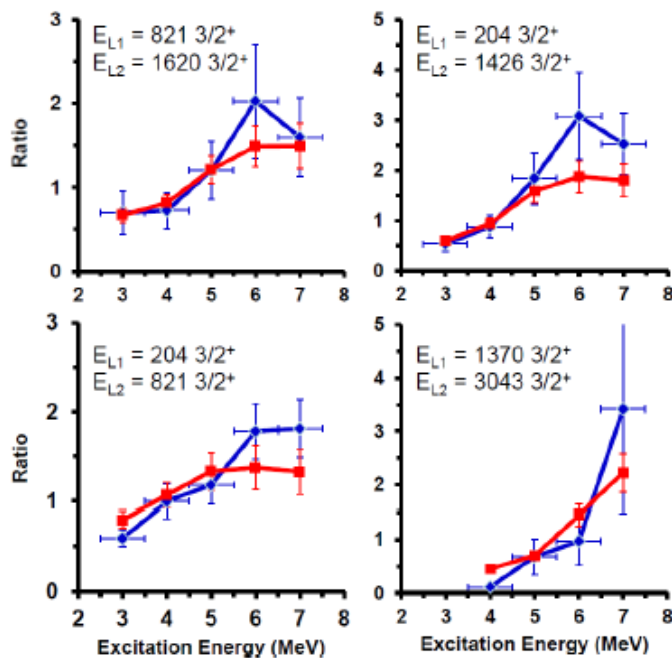
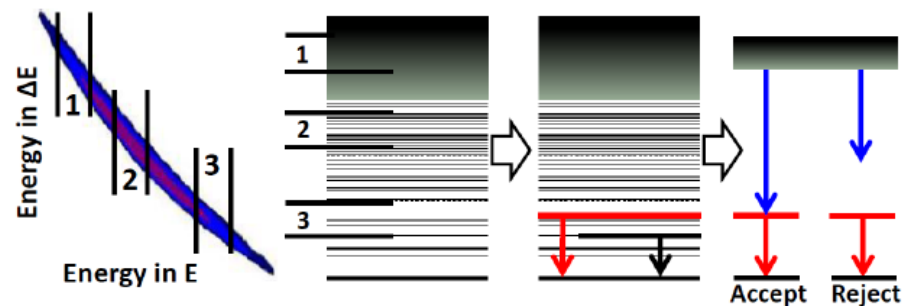


In the case of $^{73,74}\text{Ge}$, s-wave spacings, **D0**, are given in the **Atlas of N. Res.** by S.F. Mughabghab and RIPL. After a comparison, we have chosen to use an **average value** of the two proposed values and uncertainties. The two main reasons for this are:

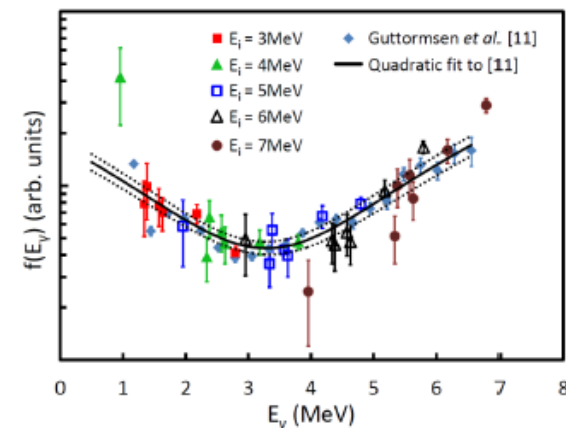
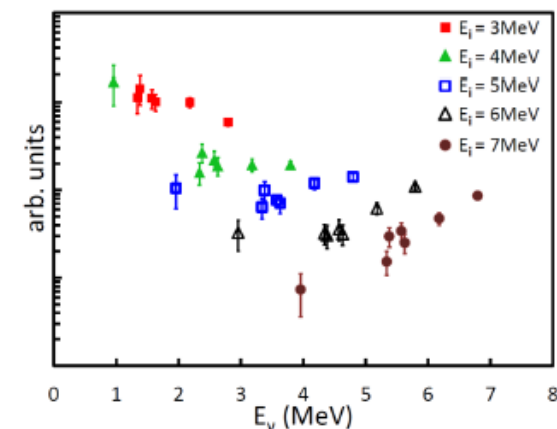
1. For $^{73,74}\text{Ge}$ the **D0** values from **Atlas of N. Res.** are 10% and 60%, respectively, than the values given in RIPL.

Mathis Wiedeking

Ratio Method



Ratio Method



χ^2 method

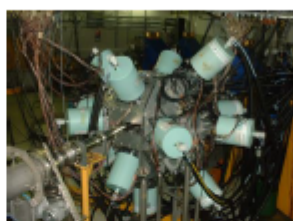
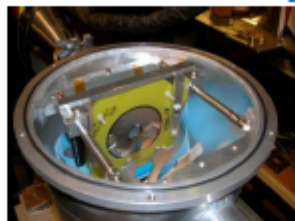
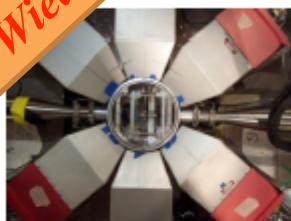
- (d,p) reactions to populate ^{95}Mo .
- 24 ratios in total.
- Independent of level density.
- Independent of (d,p) cross-section
- No systematic uncertainties.

Red: Guttormsen et al., Phys. Rev. C 71, 044307 (2005).

Blue: $^{94}\text{Mo}(d,p)$ data

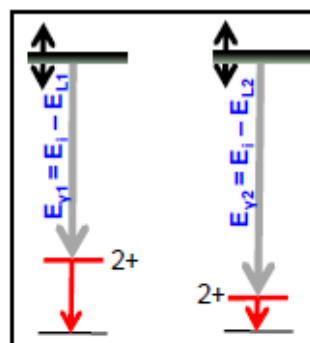
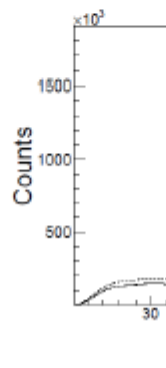
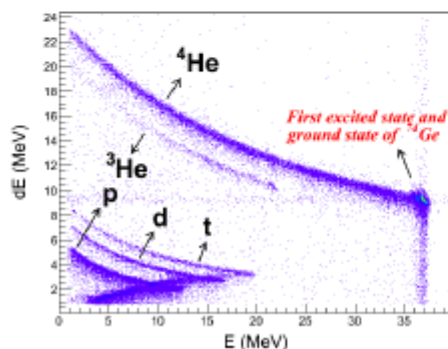
^{74}Ge experiments

Mathis Wiedeking



Stars-LIBERACE at LBNL, (p,p') at 18 MeV

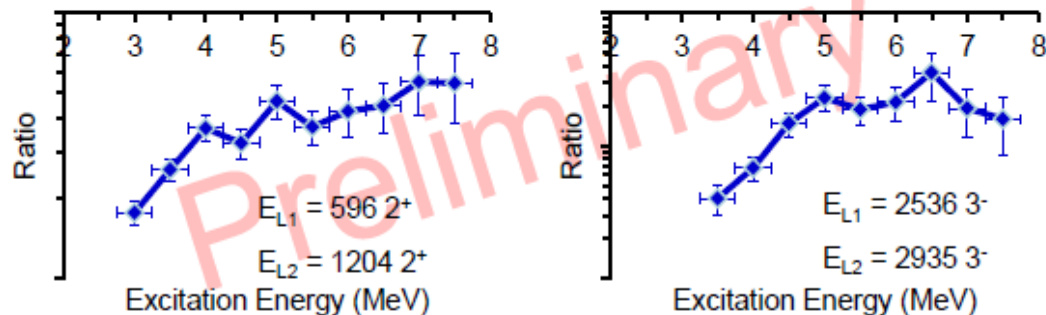
Extracted quasi-continuum feeding to 7 states (red). Other good candidates are shown in black.



$$N_{L_j}(E_i) \propto \sum_{j\pi} \sigma_{j\pi}(E_i) \bar{\Gamma}_{j\pi}(E_i, E_i - E_{L_j}) \rho_{j\pi}(E_i) \\ = f_{j\pi}(E_i - E_{L_j}) E_i^3 \sum_{j\pi} \sigma_{j\pi}(E_i)$$

$$R = \frac{f(E_i - E_{L1})}{f(E_i - E_{L2})} = \frac{N_{L1}(E_i)(E_i - E_{L2})^3}{N_{L2}(E_i)(E_i - E_{L1})^3}$$

Thanks to B.V. Kheswa

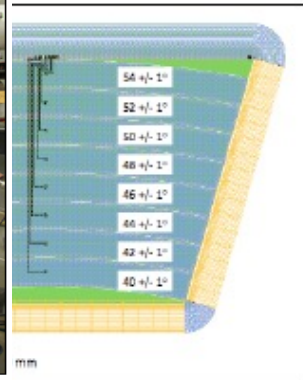
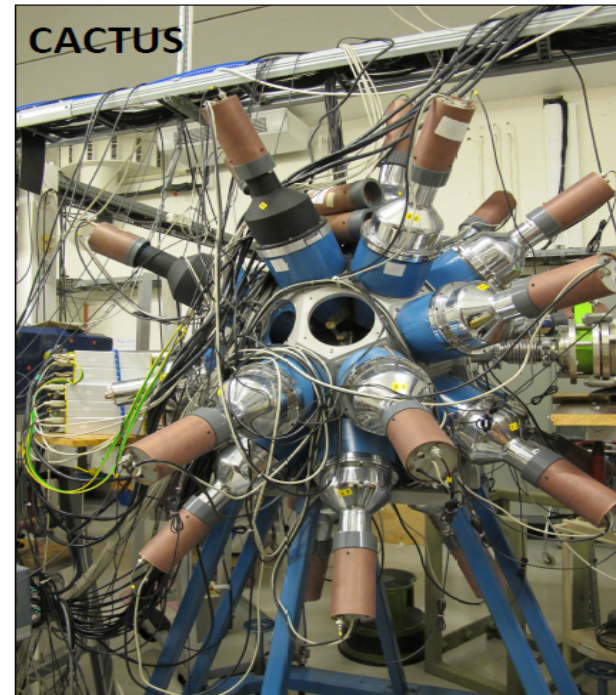
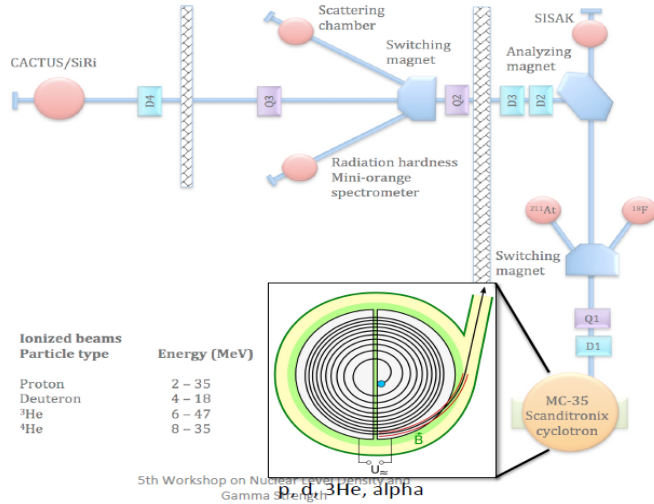


We do observe the low-energy enhancement!

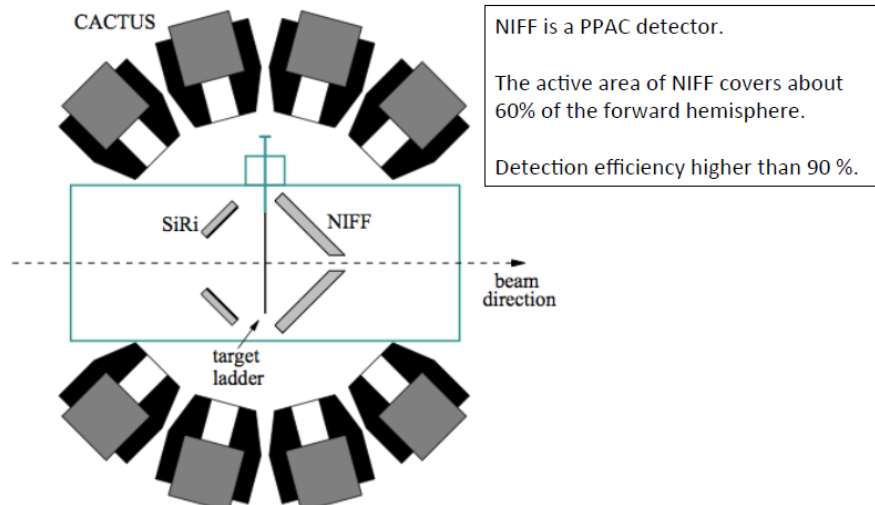
Apparatus

The structure at the Oslo Cyclotron Laboratory

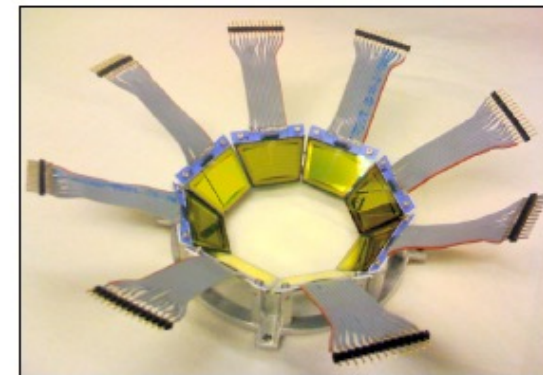
Gry Tveten



Newest addition: Fission-fragment detector (NIFF)



M. Guttormsen et al., NIM A648 (2011)168

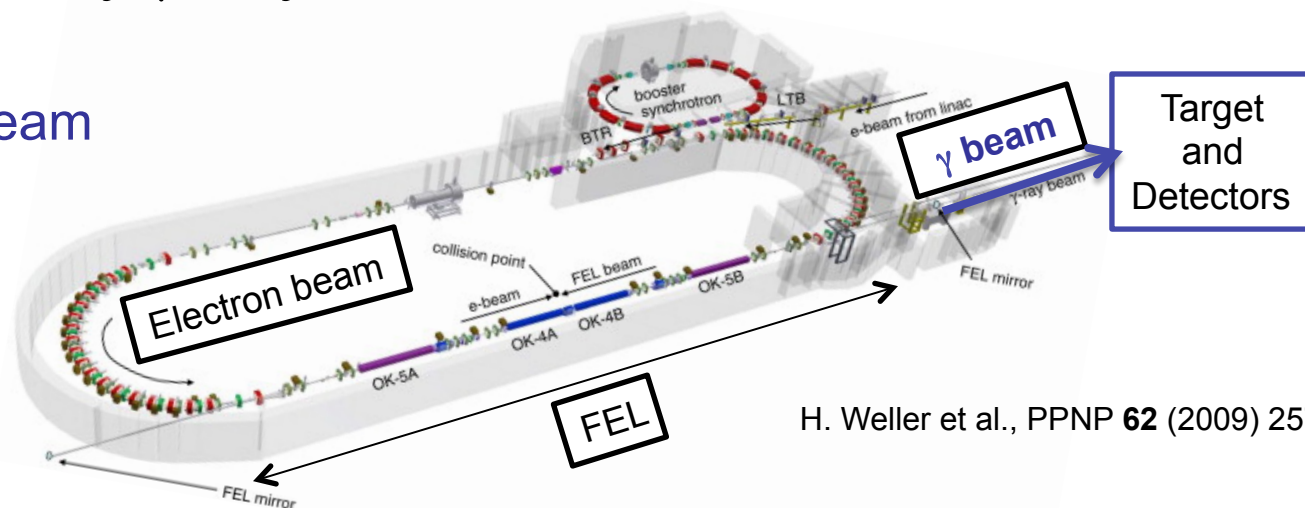


NP measurements at HI γ S

Vera Derya

HI γ S = High Intensity γ -Ray Source

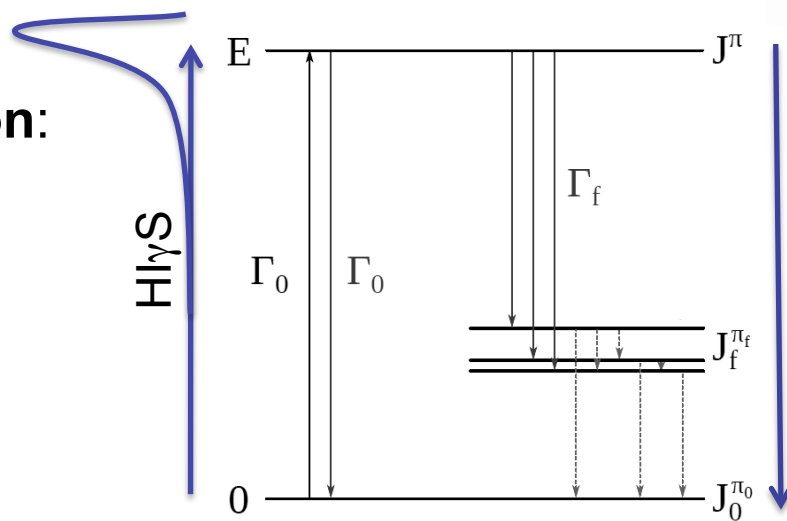
linearly polarized,
mono-energetic γ beam



H. Weller et al., PNP **62** (2009) 257

Selective **excitation**:

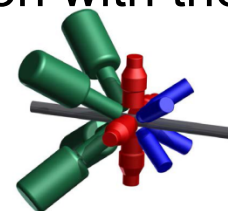
- Spin $J=1$
- Energy E_x



Decays to:

- Ground state
- Excited states

γ -ray detection with the
 γ^3 setup

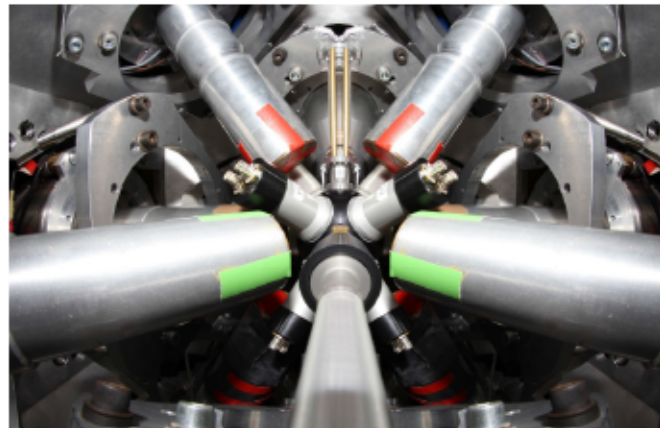
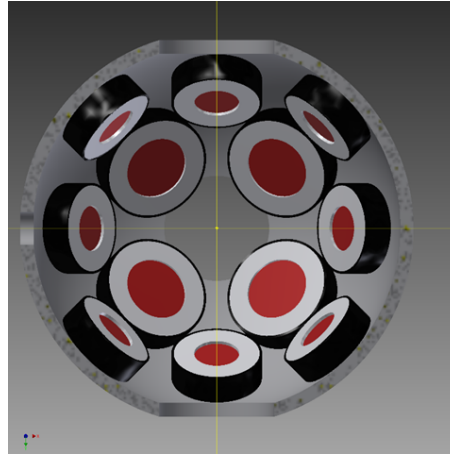
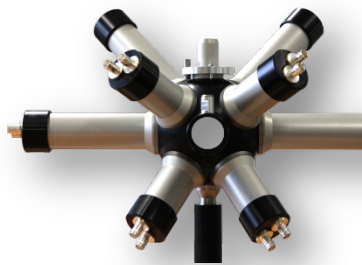


Experimental setup

Simon Pickstone

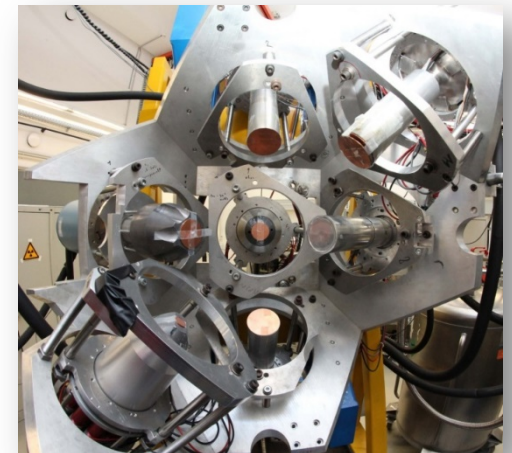
SONIC

- Up to 8 detector positions
 - ΔE -E or single PIPS
- 4 angles relative to beam
 - $60^\circ, 90^\circ, 120^\circ, 130^\circ$
- Solid angle coverage:
Up to 4%
- Typical energy resolution
 ~ 70 keV in-beam



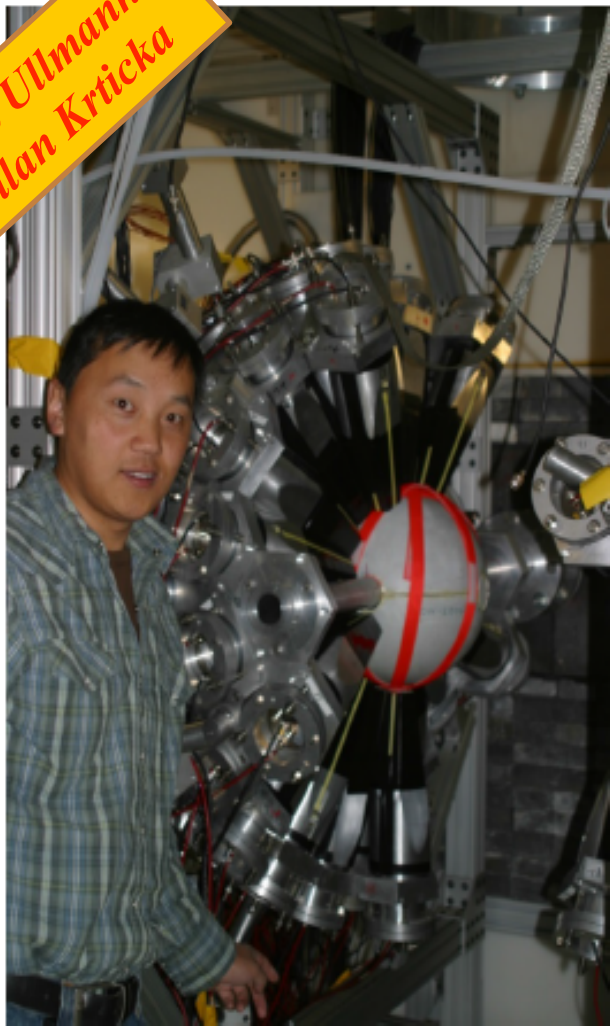
HORUS

- 14 HPGe detectors
 - Up to 6 BGO shields
- 5 angles relative to beam
- Photopeak efficiency:
 $\sim 2\%$ @1332 keV
- Energy resolution:
 ~ 2 keV @1332 keV

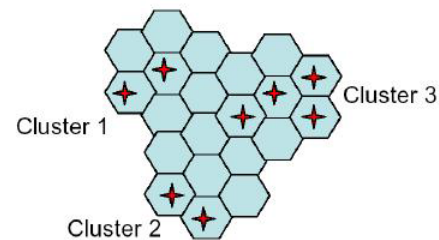


The DANCE array

John Ullmann
Milan Krlicka

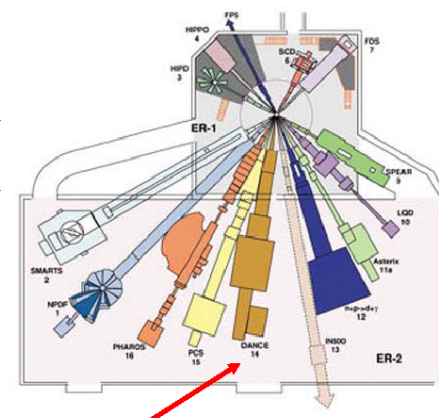
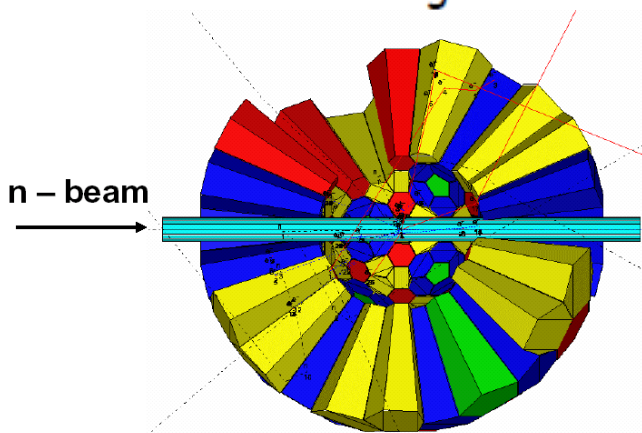


Half of DANCE array with ^6LiH ball



Detector for Advanced Neutron Capture Experiments

- 162 segments with 4 different shape crystals (160 segments with crystals)
- Calorimetric detector (nearly 4π) - detects full energy of decay cascade
- High efficiency and high neutron flux allows measurements on milligram samples
- Highly segmented to allow detection of radioactive targets



Frank Günsing

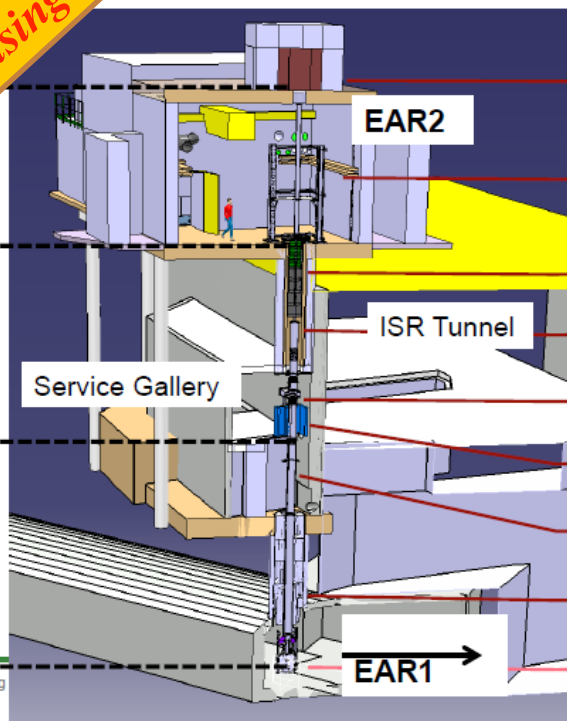
h [m]

24

18.2

9.8

0



Beam Dump

EAR-2 Exp. Hall

2nd Collimator

Shielding

Filter Box

Magnet

1st Collimator

Pit Shielding

Target

EAR1

Service Gallery

EAR2

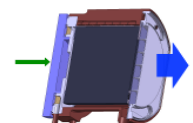
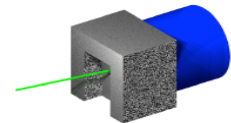
EAR2 (since 2014)

20 GeV/c protons

cible de spallation

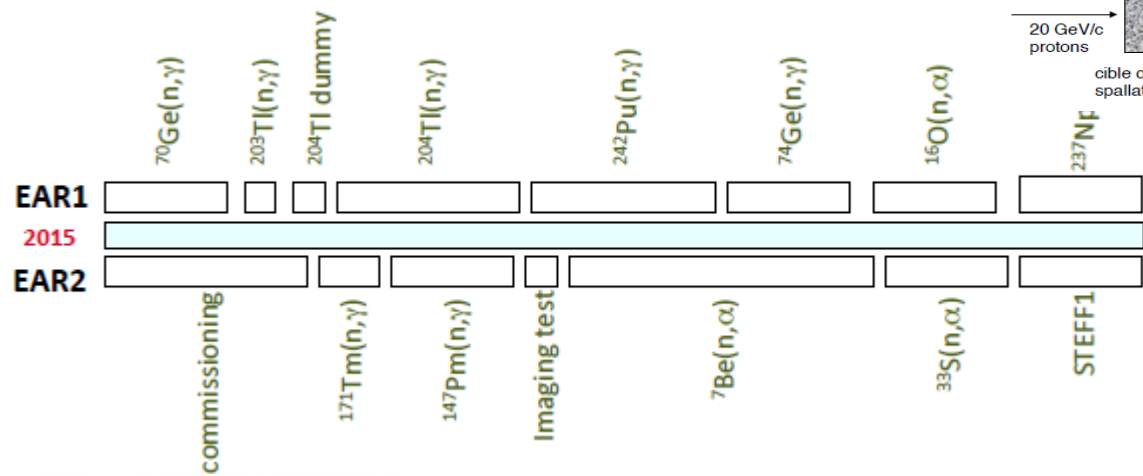
phase I target
2001-2004

phase II target
2009--présent



EAR1 (since 2000)

185 m



EAR1

2015

EAR2

$^{70}\text{Ge}(n,\gamma)$

$^{203}\text{Tl}(n,\gamma)$

204Tl dummy

$^{204}\text{Tl}(n,\gamma)$

$^{242}\text{Pu}(n,\gamma)$

$^{74}\text{Ge}(n,\gamma)$

$^{16}\text{O}(n,\alpha)$

^{237}Nf

commissioning

$^{171}\text{Tm}(n,\gamma)$

$^{147}\text{Pm}(n,\gamma)$

Imaging test

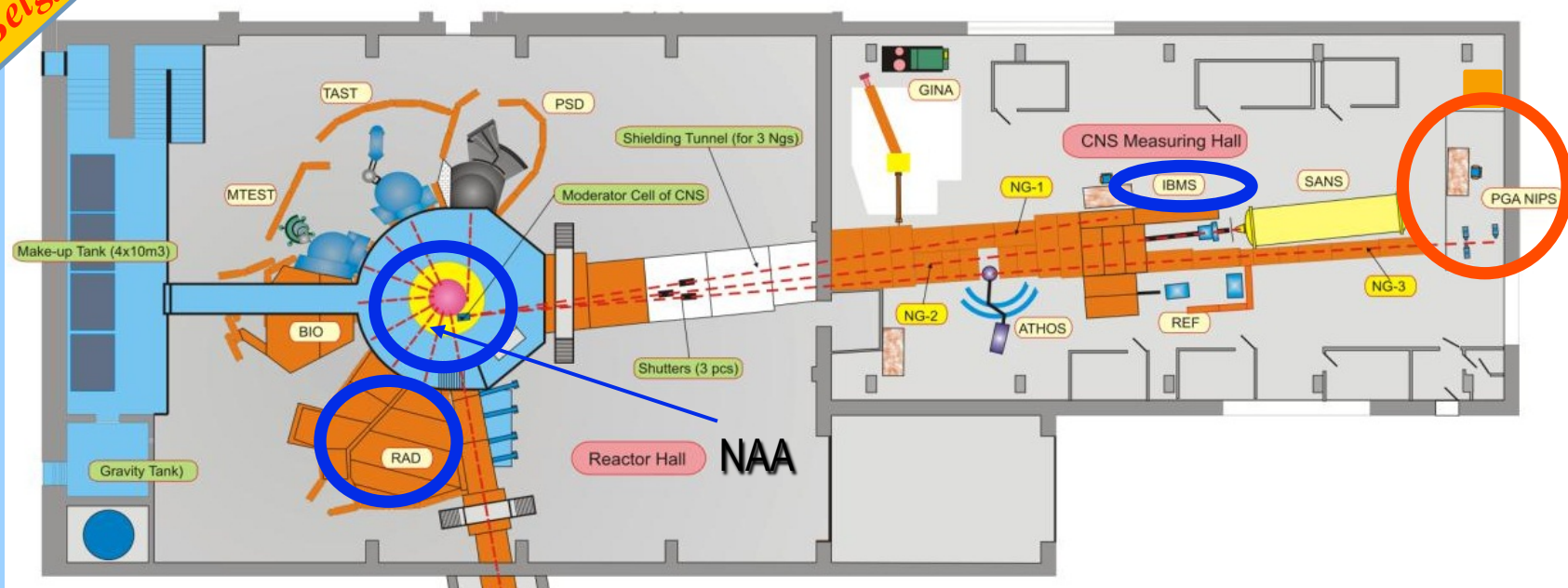
$^7\text{Be}(n,\alpha)$

$^{33}\text{S}(n,\alpha)$

STEFF1

The research infrastructure of BNC

Budapest Neutron Centre (1993)



• Nuclear analytical and imaging tools of MTA EK

- Prompt-gamma Activation Analysis (PGAA) (mm)
- PGAI-NORMA elemental and structural imaging (2 mm, 200 μm)
- Neutron-, gamma- and X-ray radiography (RAD) (100 μm)
- Neutron Activation Analysis (NAA)
- Mössbauer spectroscopy (chemical environment)

Macroscopic
structure,
composition

• Material microstructure tools of Wigner FK (not all listed)

- Neutron powder diffractometer (PSD, MTES) ($\sim 0.1 \text{ nm}$, $1 \text{ \AA}$)
- Small angle scattering (SANS, FSANS) (1-150 nm)
- Reflectometer (REF and GINA) (nm surface structure)
- TOF diffractometer (TOF) (nm lattice distance)
- Triple Axis Spectrometer (Athos, TAST) (inelastic scattering)

Microscopic
structure

Dan Mihai Filipescu

ELI-NP – Laser and Gamma Beam systems



anti-vibration slab

$\pm 1 \mu\text{m} @ < 10 \text{ Hz}$

Laser beam system:

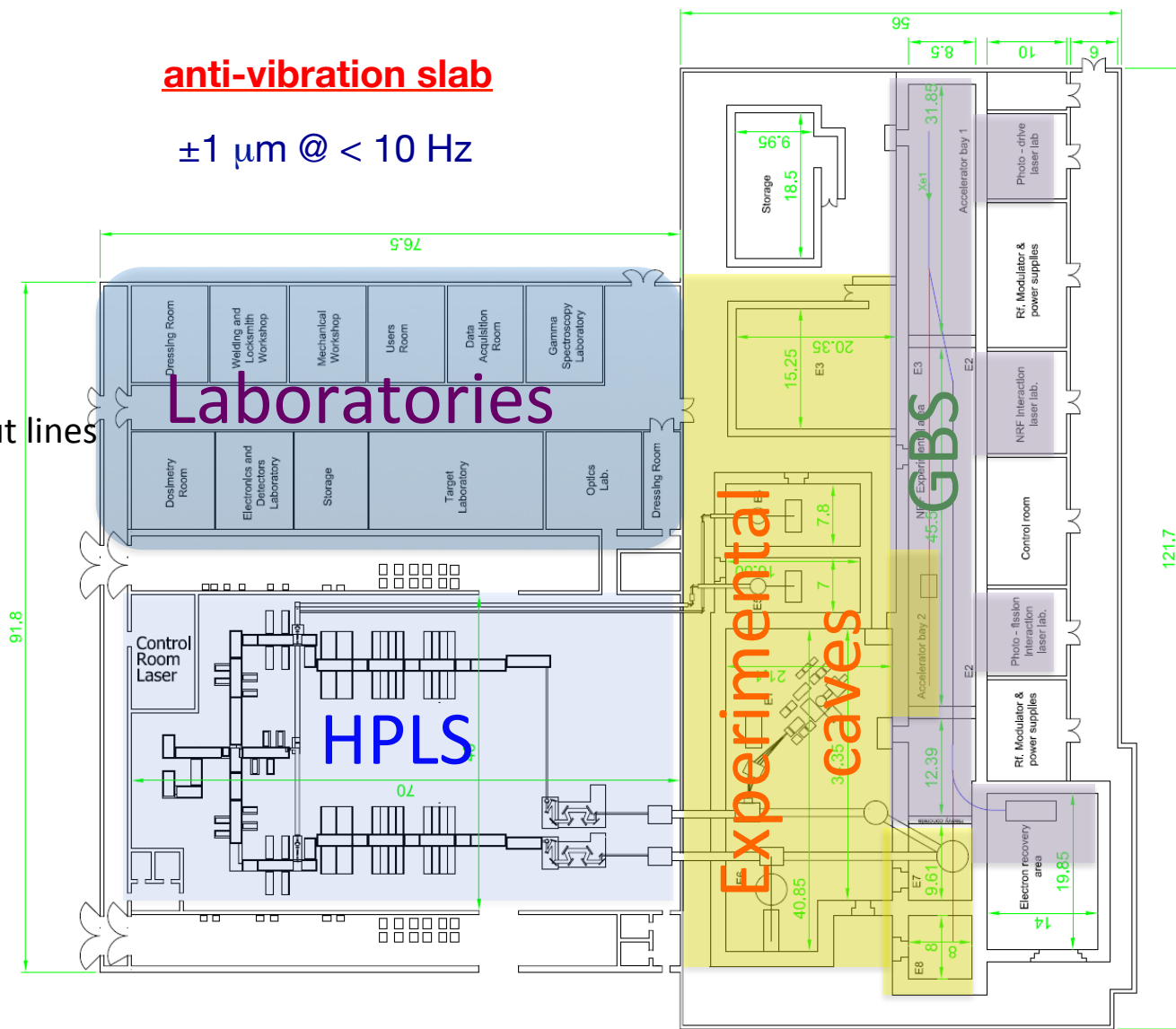
- 2 HPLS up to 10 PW – 6 output lines
- 2 x 0.1 PW
- 2 x 1 PW
- 2 x 10 PW

Gamma beam system

- High intensity
- High energy resolution

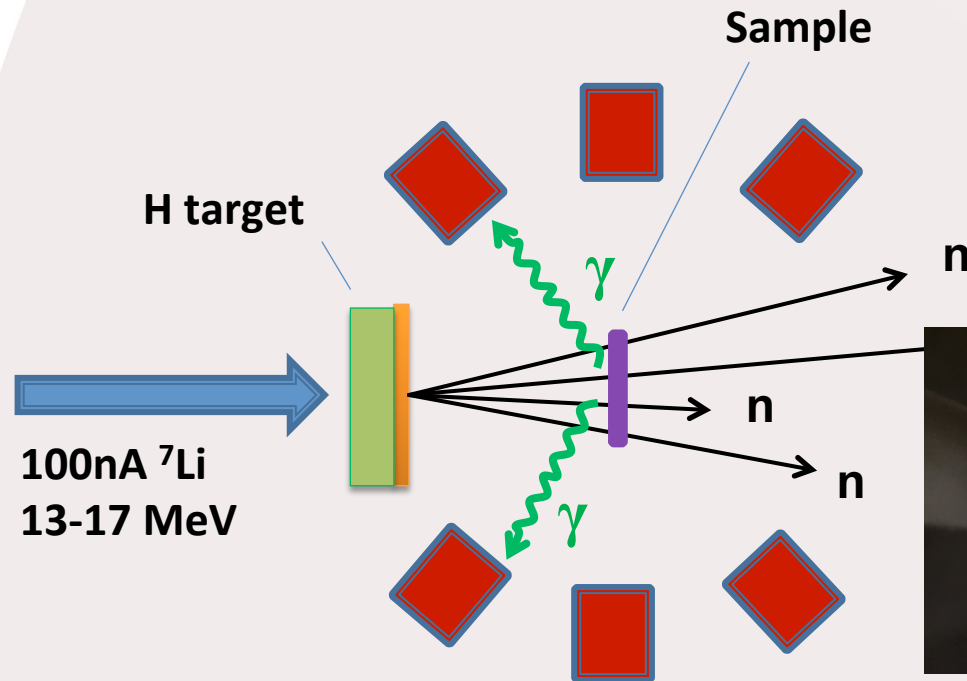
Experiments with:

- High power laser beams
- **Gamma ray beams**
- Laser + gamma ray beams



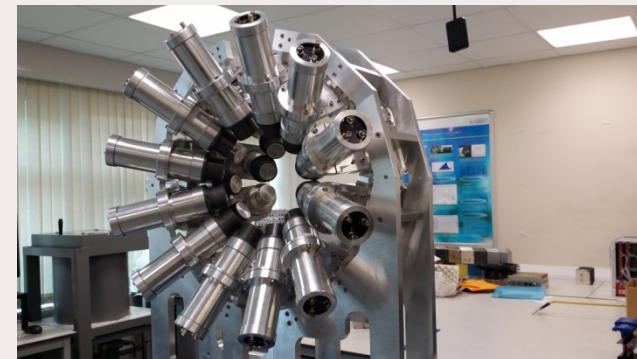
Photoneutron reaction studies at Extreme Light Infrastructure – Nuclear Physics
5th Workshop on Nuclear Level Density and Gamma Strength, Oslo May 18-22 2015

NEUTRON PRODUCTION IN INVERSE KINEMATICS



Lithium **I**nverse **C**inematiques **O**Rsay **N**eutron source

- $p(^{7}\text{Li}, ^{7}\text{Be})n$ reaction in inverse kinematics
- Focused source of fast neutrons between 0.5 and 4 MeV

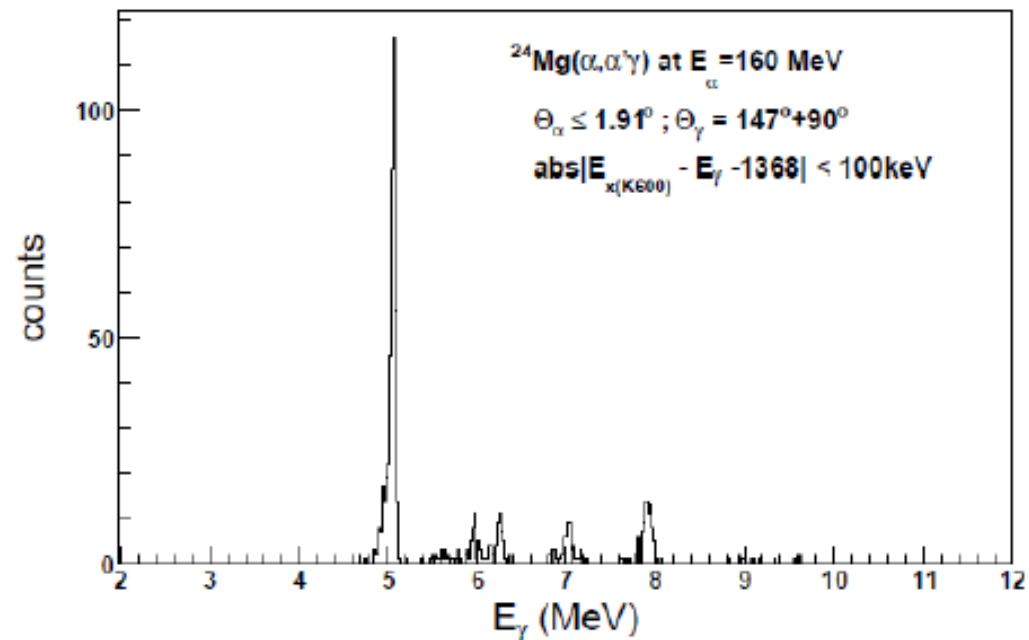


Isospin structure of the PDR in stable nuclei: The K600 collaboration @ iThemba LABS

Andreas Zilges



$(\alpha, \alpha'\gamma)$ @ $E_\alpha = 120$ MeV
combining K600 with eight
Ge(HP) from AFRODITE array



Collaboration: Cape Town – Cologne – Darmstadt – Milano – Osaka – Notre Dame

Results



science
& technology

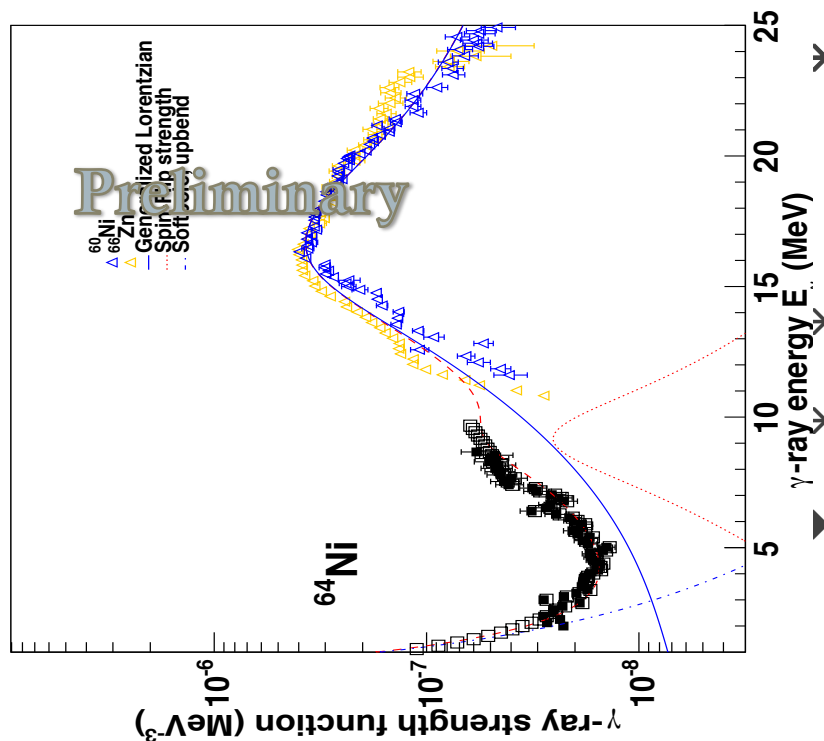
Department:
Science and Technology
REPUBLIC OF SOUTH AFRICA



National Research
Foundation

iThemba
LABS
Laboratory for Accelerator
Based Sciences

GAMMA STRENGTH FUNCTION OF ^{64}Ni



► At 9.3 MeV :

► If it is of E1 character, it could be a **pygmy** mode:

- Often described as a neutron skin oscillation vs $N \approx Z$ core.
- Seen in ^{68}Ni at 9.5 MeV.

► If it is of M1 character: possible spin-flip resonance.

► Fitted to a Standard Lorentian (SLO).

► Below 3 MeV: Data suggest a **low-energy enhancement or upbend!** (seen in ^{60}Ni , suggested by the ^{59}Ni data).

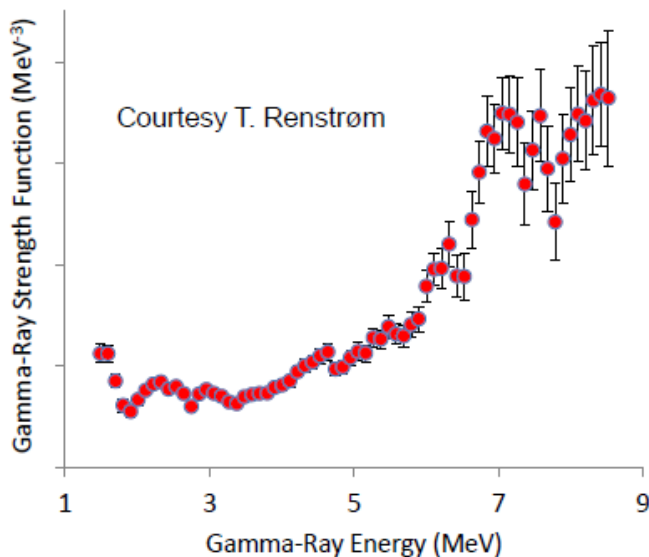
$$f^{upb} = \theta A e^{-bE_\gamma}$$

Mathis Wiedeking

- Had experimental effort on ^{74}Ge .

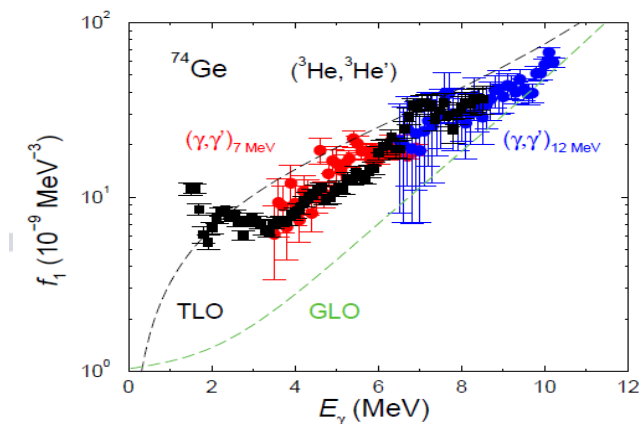
Method to characterize feeding from the quasi-continuum to discrete states.

- $^{74}\text{Ge}(p,p')$ and $^{74}\text{Ge}(\alpha,\alpha')$ data.



- Up-bend is real.
- Pygmy resonance at ~ 7 MeV.
- What about (γ,γ') ? Next Talk!

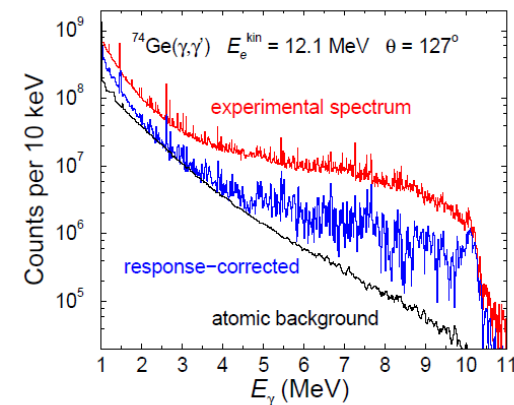
Dipole strength functions in ^{74}Ge



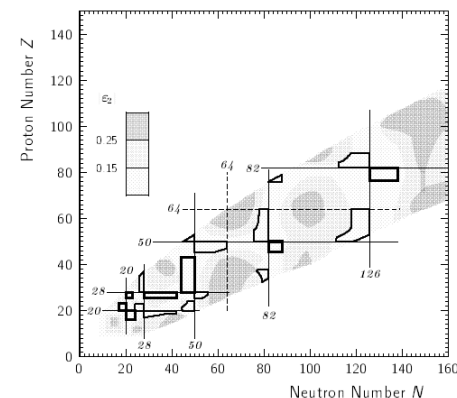
Ronald Schwenger

$(^3\text{He}, ^3\text{He}')$ data:
T. Renstrøm et al.

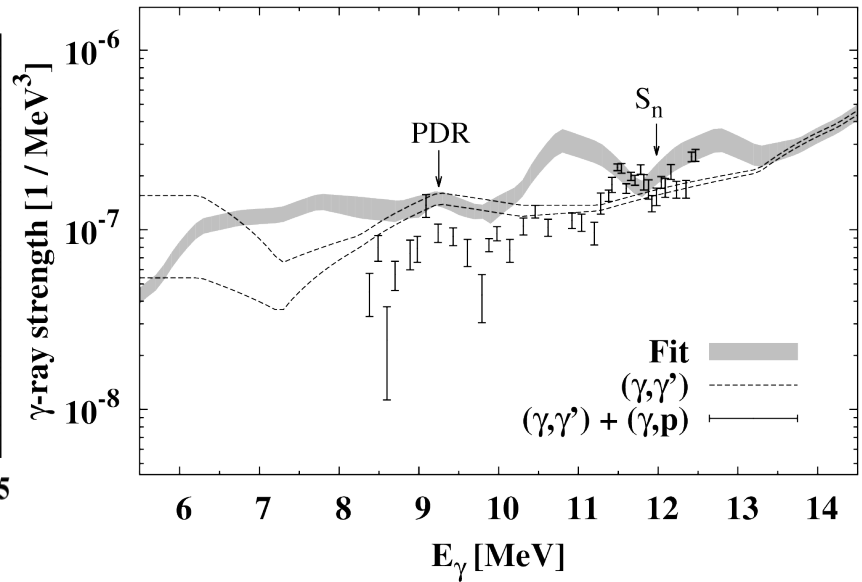
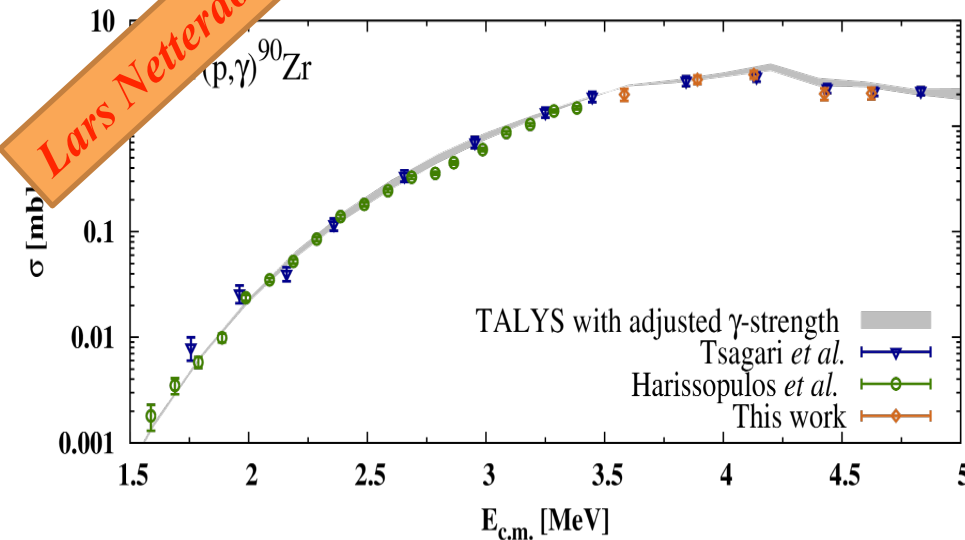
Measurement at γELBE



Predicted Appearance of magnetic rotation



Lars Netterdon



- excellent agreement of experimental data with previous measurements
- using adjusted γ -strength also reproduces total cross section

- location and strength of PDR is consistent
- where do deviations come from?
 - γ -branching ratios, dependence on nuclear temperature?

R. Schwengner *et al.*, Phys. Rev. C **78** (2008) 064314

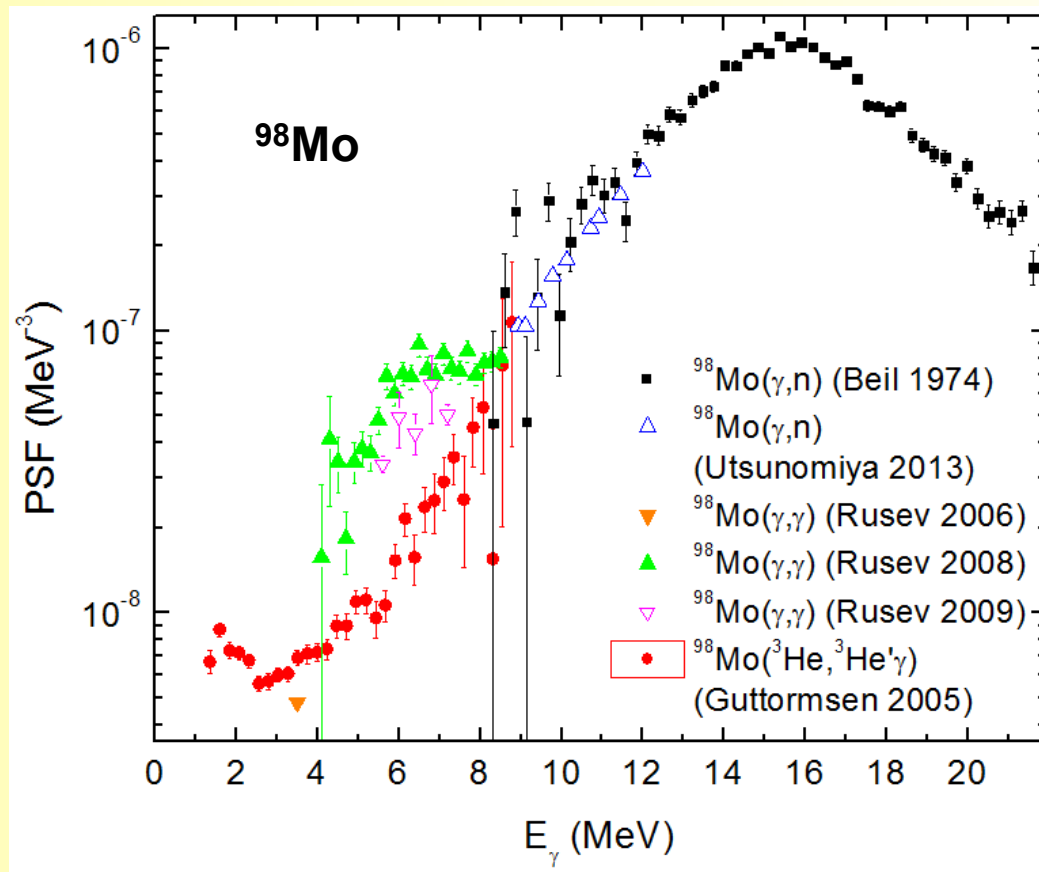
P. Axel *et al.*, Phys. Rev. C **2** (1970) 689

L. Netterdon *et al.*, Phys. Lett. B **744** (2015) 358

Why are “PSFs” different?

Experimental data are incorrect

- Concept of photon strength function and/or Brink hypothesis is not valid

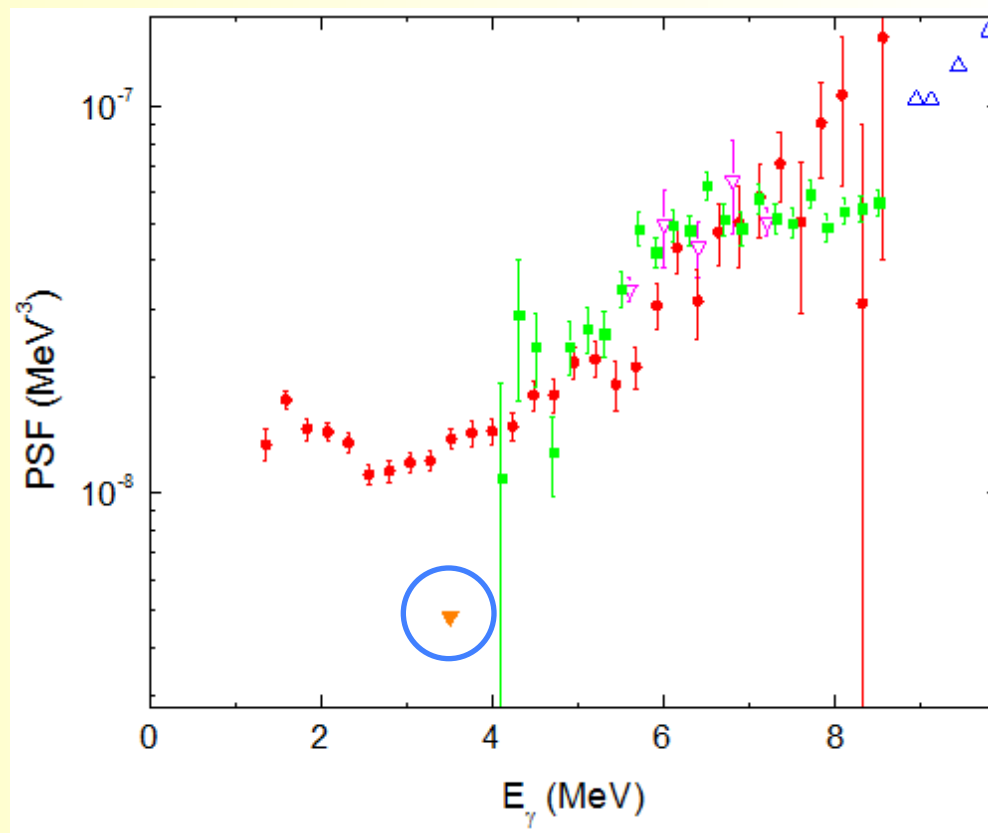


Consistency of data?

- These “corrections” - renormalization of Oslo data and correction of ELBE shape at high energies - would give a reasonable agreement of all data for $E_\gamma > 4$ MeV ...

But problems remain

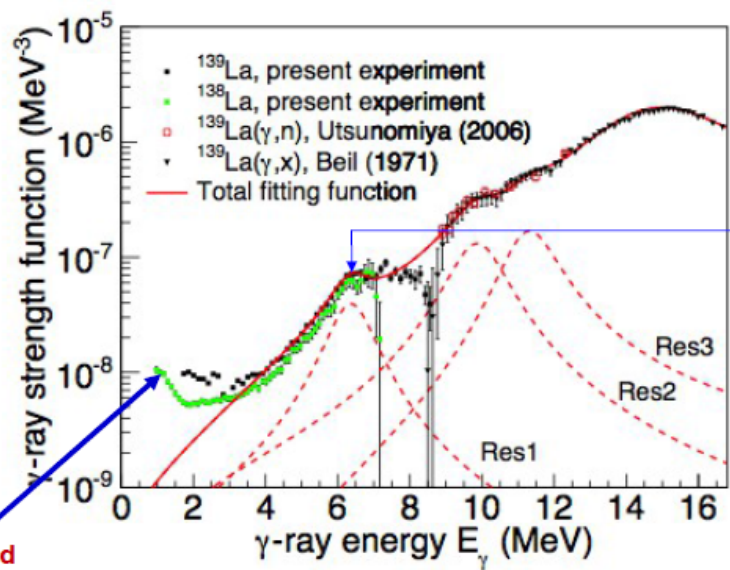
1. Total radiation width reproducing “HI γ S normalization”
2. NRF point at 3.5 MeV – temperature dependence of PSF?
3. Problem with reproduction of feeding low-lying excited levels in NRF



Vincent Kheswa

^{138,139}La Results

Interesting Features

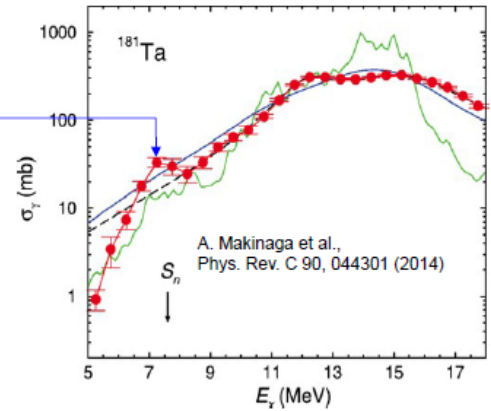
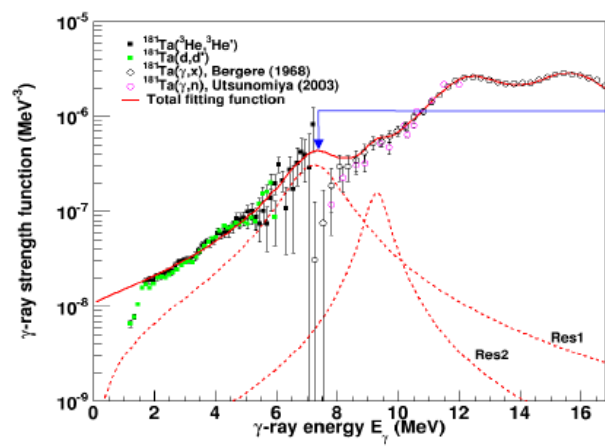


Pygmy Resonance

Pronounced up-bend
for the first time at $A > 106$!!!!!

Preliminary Results on ^{180,181}Ta

γ SF of ^{180,181}Ta



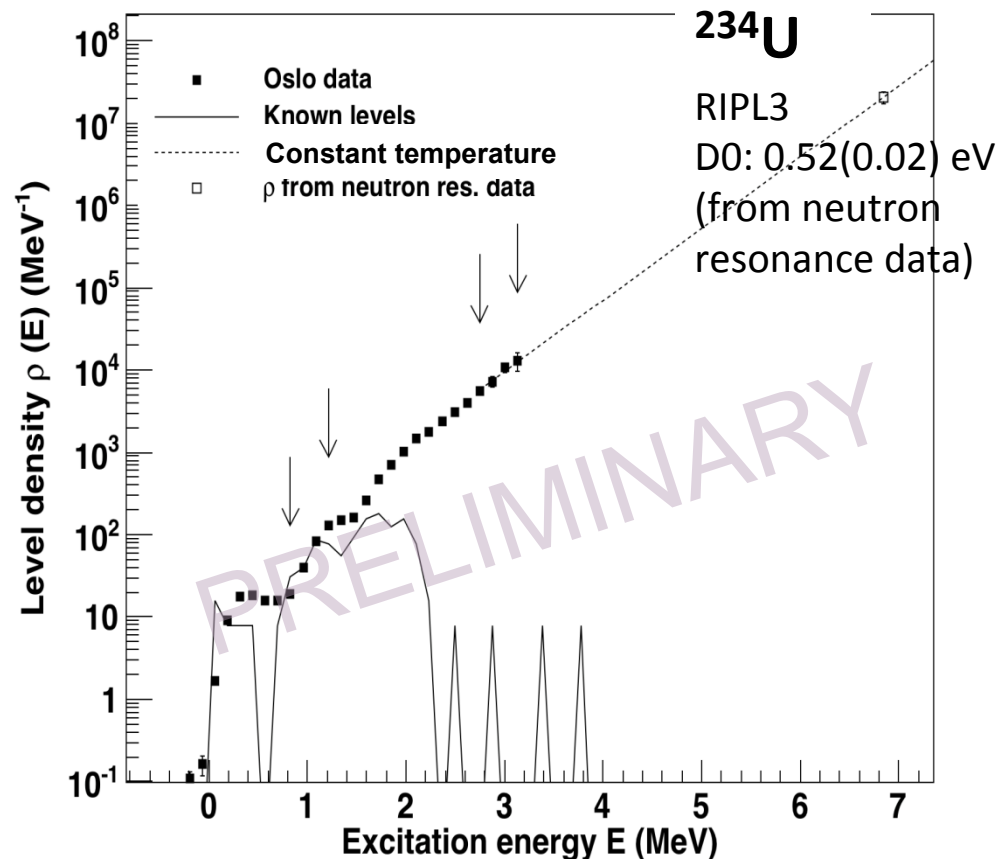
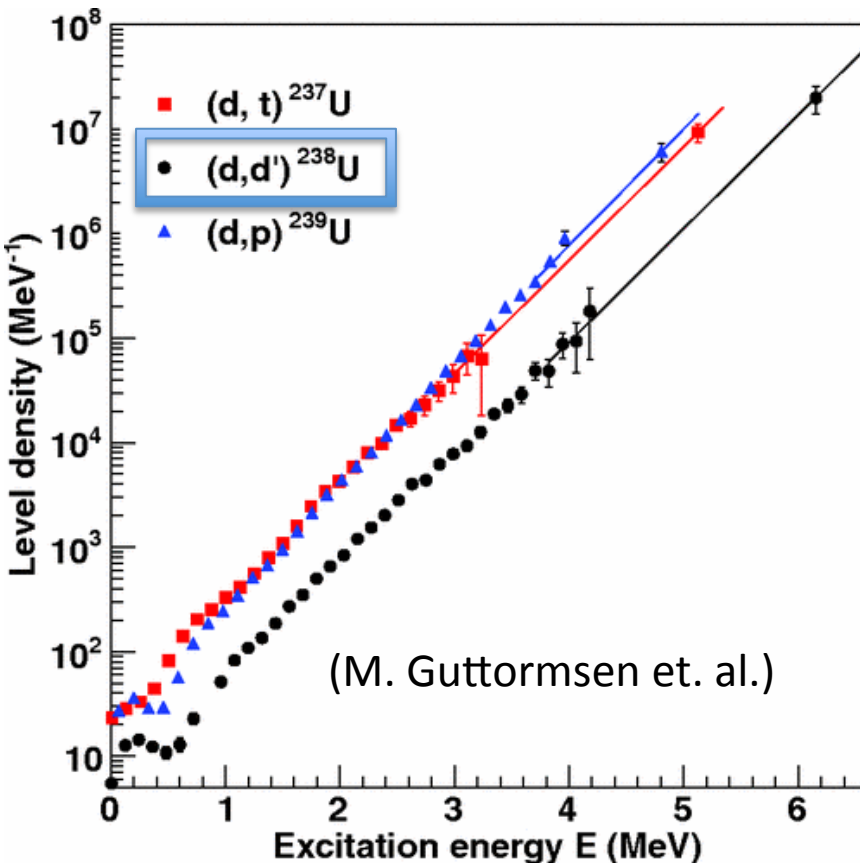
A. Makinaga et al.,
Phys. Rev. C 90, 044301 (2014)

Level density of ^{234}U , found by the “Oslo method”

Sunniva Rose

constant temperature – consistent
with other U and actinide nuclei

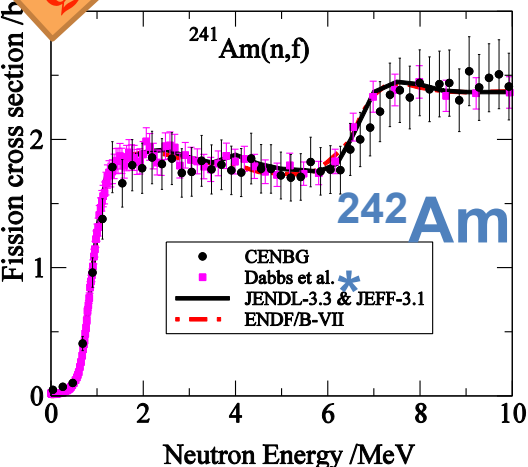
Hope to get to S_n – work in progress
to subtract fission gammas



Surrogate Experiment : Recent work

Quantin Duncasse

Comparison surrogate/neutron induced reactions

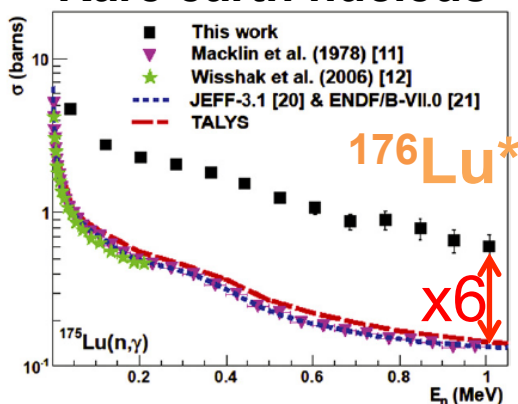


G. Kessedjian, et al., Phys. Lett B 692 (2010) 297

Fission
OK !

Example

Rare earth nucleus



G. Boutoux, et al., Phys. Lett B 712 (2012) 319

Capture
NOT OK !

Example

Examples of surrogate reactions performed since 2004

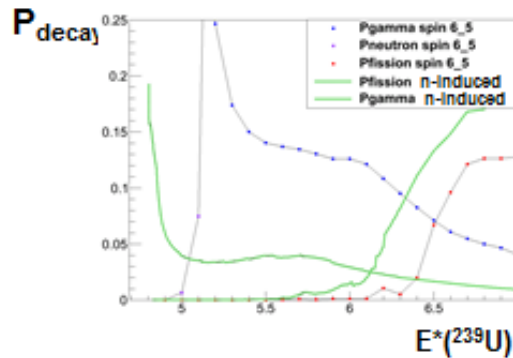
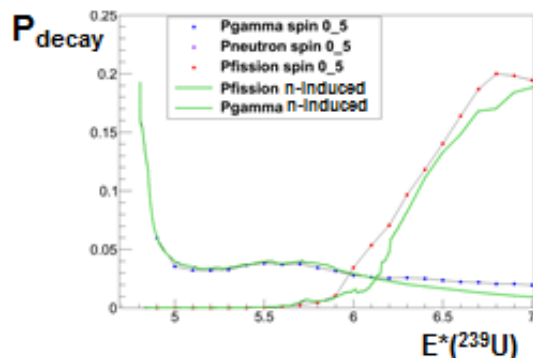
Desired reaction	E_n range (MeV)	Surrogate reaction	Type	Reference
(n, f) cross sections				
$^{230}\text{Th}(n, f)$	0.5–10	$^{232}\text{Th}(^3\text{He}, \alpha)$	absolute	Petit et al. (2004)
$^{230}\text{Th}(n, f)$	0.22–25	$^{232}\text{Th}(^3\text{He}, \alpha)$	ratio	Goldblum et al. (2009)
$^{231}\text{Th}(n, f)$	0.36–25	$^{232}\text{Th}(^3\text{He}, ^3\text{He}')$	ratio	Goldblum et al. (2009)
$^{231}\text{Pa}(n, f)$	0.5–10	$^{232}\text{Th}(^3\text{He}, t)$	absolute	Petit et al. (2004)
$^{233}\text{Pa}(n, f)$	0.5–10	$^{232}\text{Th}(^3\text{He}, p)$	absolute	Petit et al. (2004)
$^{233}\text{Pa}(n, f)$	11.5–16.5	$^{232}\text{Th}(^6\text{Li}, \alpha)$	ratio	Nayak et al. (2008)
$^{233}\text{U}(n, f)$	0.4–18	$^{234}\text{U}(\alpha, \alpha')$	ratio	Leshner et al. (2009)
$^{236}\text{U}(n, f)$	0–20	$^{238}\text{U}(^3\text{He}, \alpha)$	absolute, ratio	Lyles et al. (2007a)
$^{237}\text{U}(n, f)$	0–13	$^{238}\text{U}(d, d')$	ratio	Plettner et al. (2005)
$^{237}\text{U}(n, f)$	0–20	$^{238}\text{U}(\alpha, \alpha')$	ratio	Burke et al. (2006)
$^{239}\text{U}(n, f)$	0–20	$^{238}\text{U}(^{18}\text{O}, ^{16}\text{O})$	ratio	Burke et al. (2011)
$^{237}\text{Np}(n, f)$	10–20	$^{238}\text{U}(^3\text{He}, t)$	absolute, ratio	Basunia et al. (2009)
$^{238}\text{Pu}(n, f)$	0–20	$^{239}\text{Pu}(\alpha, \alpha')$	ratio	Ressler et al. (2011)
$^{241}\text{Am}(n, f)$	0–10	$^{243}\text{Am}(^3\text{He}, \alpha)$	absolute	Kessedjian et al. (2010)
$^{242}\text{Cm}(n, f)$	0–10	$^{243}\text{Am}(^3\text{He}, t)$	absolute	Kessedjian et al. (2010)
$^{243}\text{Cm}(n, f)$	0–3	$^{243}\text{Am}(^3\text{He}, d)$	absolute	Kessedjian et al. (2010)
(n, γ) cross sections				
$^{155}\text{Gd}(n, \gamma)$	0.05–3.0	$^{156}\text{Gd}(p, p')$	absolute, ratio	Scielzo et al. (2010)
$^{157}\text{Gd}(n, \gamma)$	0.05–3.0	$^{158}\text{Gd}(p, p')$	absolute, ratio	Scielzo et al. (2010)
$^{161}\text{Dy}(n, \gamma)$	0.13–0.56	$^{162}\text{Dy}(^3\text{He}, ^3\text{He}')$	ratio	Goldblum et al. (2010)
$^{170}\text{Yb}(n, \gamma)$	0.165–0.405	$^{171}\text{Yb}(^3\text{He}, ^3\text{He}')$	ratio	Goldblum et al. (2008)
$^{170}\text{Yb}(n, \gamma)$	0.225–0.465	$^{172}\text{Yb}(^3\text{He}, \alpha)$	ratio	Goldblum et al. (2008)
$^{171}\text{Yb}(n, \gamma)$	0.12–0.24	$^{171}\text{Yb}(d, p)$	ratio	Hatarik et al. (2010)
$^{233}\text{Pa}(n, \gamma)$	0–1	$^{232}\text{Th}(^3\text{He}, p)$	absolute	Boyer et al. (2006)
$^{235}\text{U}(n, \gamma)$	0.9–3.3	$^{235}\text{U}(d, p)$	ratio	Allmond et al. (2009)
$^{237}\text{U}(n, \gamma)$	0.2–1.0	$^{238}\text{U}(\alpha, \alpha')$	absolute, ratio	Bernstein et al. (2006);
$^{232}\text{Th}(n, \gamma)$	0–1.2	$^{232}\text{Th}(d, p)$	absolute	J. Wilson et al. (2012)
$^{175}\text{Lu}(n, \gamma)$	0–1	$^{174}\text{Yb}(^3\text{He}, p)$	absolute	G. Boutoux et al. (2012)
$^{172}\text{Yb}(n, \gamma)$	0–1	$^{174}\text{Yb}(^3\text{He}, \alpha)$	absolute	G. Boutoux et al. (2012)

Jutta Escher, et al., Rev. Mod. Phys. 84 (2012) 353

Oslo measurements: Comparison with statistical models 2/2

STEP 1 : Fix the parameters of the model that reproduce the neutron data (LD, γ SF...)

(neutron-induced) $^{238}\text{U} + n \rightarrow ^{239}\text{U}^* \leftarrow ^{238}\text{U} + d$ (surrogate)



Observations :

➤ P_Y and P_f are both very sensitive to the $J\pi$

➡ In contradiction with what we observe → can not reproduce surrogate data ?

➡ Surrogate data represent an important test to statistical models

Q.Ducasse

16/18

Conclusion

The surrogate method

➤ The surrogate method is the only way to obtain information of **very radioactive nuclei** ($T_{1/2} < \text{few days}$)

Results

- Fission : **Cross section** measurements are comparable to neutron data
- Gamma emission : **Cross section** measurements are **NOT** comparable to neutron data → use it for fixing statistical model parameters

Observations

➤ Fission **much less sensitive** to the spin distribution than gamma emission

Statistical model calculations

➤ Seem not to be able to reproduce experimental surrogate data

Discussion(s)

Lee Bernstein

IAEA Data

- Evaluation Methodology – differences in data – Panel?
1. Data Sources
 2. Data Format
 3. Evaluation Methodology
 4. New Measurements
 5. Understanding Sources of Discrepancy

2016 New 5 year Project

Luciano Moretto

Level Density

1. Collective Enhancements (and demise with excitation energy)
2. Can we go from an experimental level density to the partition function ?

Discussion on change of deformations, staggering in bands due to coriolis force. How to measure these, systematic survey across region deformed region?

Can a “thermostat” have a temperature other than its own?



$T = T_0 = 273K$
 or
 $0 \leq T \leq 273K$

$S = S_0 + \frac{\Delta Q}{T} = S_0 + \frac{E}{T_0}$
 $\rho(E) = e^{\frac{S}{k_B}} = e^{\frac{S_0}{k_B} + \frac{E}{T_0 k_B}}$
 Is T_0 just a “parameter”?
 $Z(T) = \int dE \rho(E) e^{-\beta E} = \frac{T_0 T}{T_0 - T} e^{\frac{S_0}{k_B}}$
 According to this, a thermostat, can have any temperature lower than its own!

Richard Firestone

Gamma Strength

- Collective Strength
 - Brink-Axel – E1’s
 - Rotation – E2’s
 - Scissor Mode – M1
- Single Particle Strength
- Level Spin Dependence
- Level Energy Dependence
- Statistical Model for Analysis (PT?)
- Separation of Photon Strength from Level Densities

Discussion on problem with large errors, consistency. Population mechanism, dependent on K? Dependent on reaction mechanism (p, p’), (n, g’), (³He, ⁴He)? Any evidence to invalidate our assumptions?

Conclusion

- **Need for database of measurements**
- **Need for systematic experiments**
- **Need for better consistency**

References

- **(Oslo)**

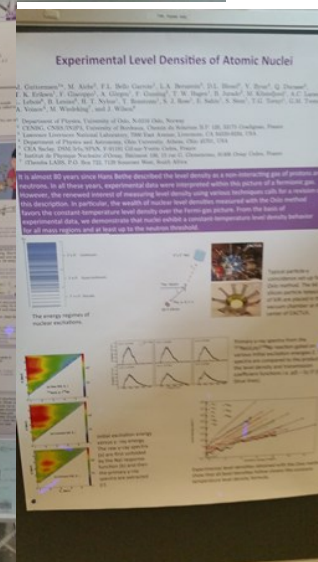
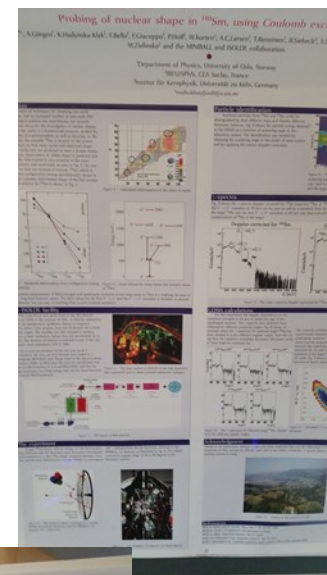
<http://www.mn.uio.no/fysikk/english/research/about/infrastructure/OCL/nuclear-physics-research/compilation>

- **(Dubna)** A.M. Sukhovoj et al.(2005-08)

Vladimir Plujko

- **Compile “high priority” nuclides in the atlas into ENSDF format**
- **Model the partial γ -ray production cross sections using EMPIRE and TALYS**

Lee Bernstein



Acknowledgements

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Bleuel, Darren
Byun, Youngshin
Campo, Lucia Crespo
Cieplicka-Orynczak, Natalia
Cizewski, Jolie
Derya, Vera
Ducasse, Quentin
Døssing, Thomas
Filipescu, Dan Mihai
Firestone, Richard
Görgen, Andreas
Grimes, Steven
Gunsing, Frank
Guttormsen, Magne
Hadynska-Klek, Katarzyna
Haflí, Ellen

Hagen, Trine
Ingeberg, Vetle W.
Jones, Pete
Kadi, Hocine
Kheswa, Bonginkosi Vincent
Klintefjord, Malin
Krticka, Milan
Larsen, Ann-Cecilie
Lebois, Matthieu
Litvinova, Elena
Modamio, Victor
Moretto, Luciano
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Spyrou, Artemis
Siem, Sunniva
Spieker, Mark
Stevenson, Paul
Tonchev, Anton
Tsoneva, Nadia

Ullmann, John
Tveten, Gry M.
Valenta, Stanislav
von Neumann-Cosel, Peter
Voinov, Alexander
Wiedeking, Mathis
Zeiser, Fabio
Zelevinsky, Vladimir
Zilges, Andreas
Zhuravlev, Boris
Åberg, Sven

