

FROM RESEARCH TO INDUSTRY



Isomeric ratio measurements for the radiative neutron capture $^{176}\text{Lu}(\text{n},\gamma)$ at DANCE

Oslo 2017

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Introduction

■ Interests of the ^{176}Lu nucleus

- Stable nucleus with a high spin ground state ($J^\pi=7^-$)
 - population by neutron capture of high spin states ($J^\pi=13/2^-$ and $J^\pi=15/2^-$)
- Astrophysics interests through the s-process of the nucleosynthesis

*K. Wissak et al., Phys. Rev. C **73**, 015807 (2006)*

■ To complete XS and MACS and compare with reaction models

Cross section of $^{176}\text{Lu}(n,\gamma)$ reaction

■ Isomeric ratio interests

- Strong check of predictions from evaluations
 - Can contribute to improve nuclear reaction models and ingredients

Isomeric cross section ratios in the $^{176}\text{Lu}(n,\gamma)$ reaction

■ Knowing resonances and isomeric states, this allows to study feedings and gamma Strength Function (gSF) through gamma spectrum

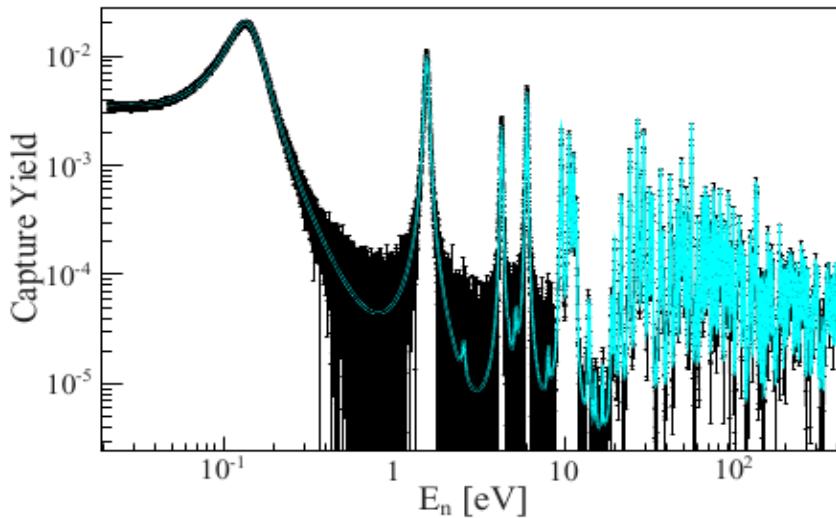
Gamma strength function in the $^{176}\text{Lu}(n,\gamma)$ reaction

Experimental setup at DANCE

DANCE at Lujan Center (LANL)

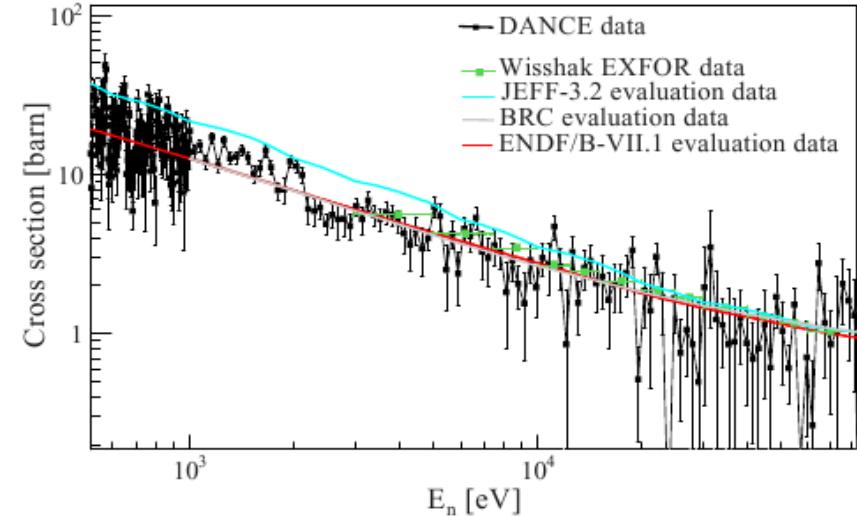
↳ Cross section measurements from meV to keV

Resonance region



O. Roig et al., Phys. Rev. C **93**, 034602 (2016)

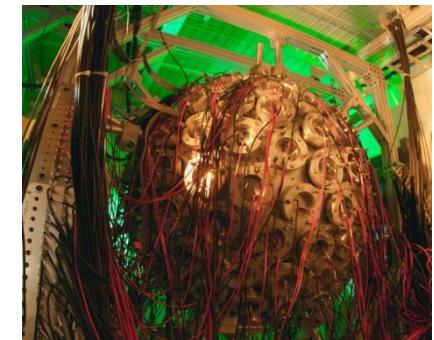
keV region



↳ To check more precisely ingredients of models,

- we extract isomeric cross section ratios
- we look at gSF with DANCE as it was done using TSC method

M. Krtička, F. Bečvář, S. Valenta, ^{177}Lu , Charles Univ., Prague (2008-2010)



Isomeric cross section ratio

- Defined here as isomer/total cross section ratio
- Experimentally: need to take into account the detection efficiency

$$R_{iso} = \frac{N_{iso}}{N_{casc}} \times \frac{\epsilon_{casc}}{\epsilon_{iso}}$$

Number of detected isomers → N_{iso} (green box)

Number of detected γ cascades → N_{casc} (green box)

γ cascade detection efficiency → ϵ_{casc} (red box)

Isomer detection efficiency → ϵ_{iso} (red box)

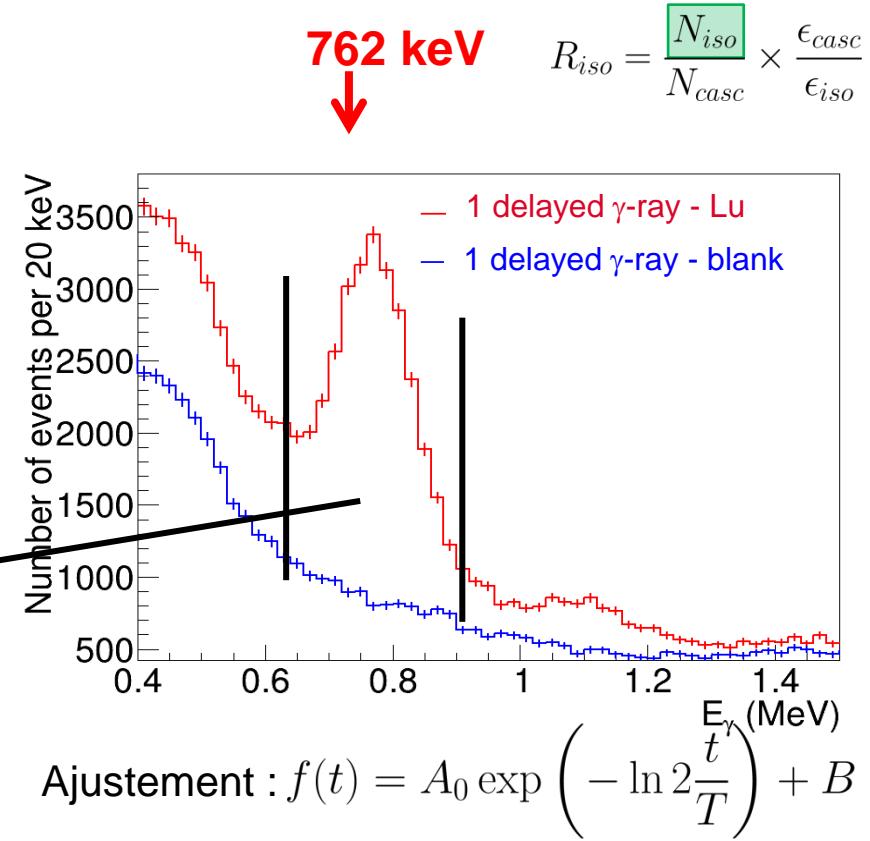
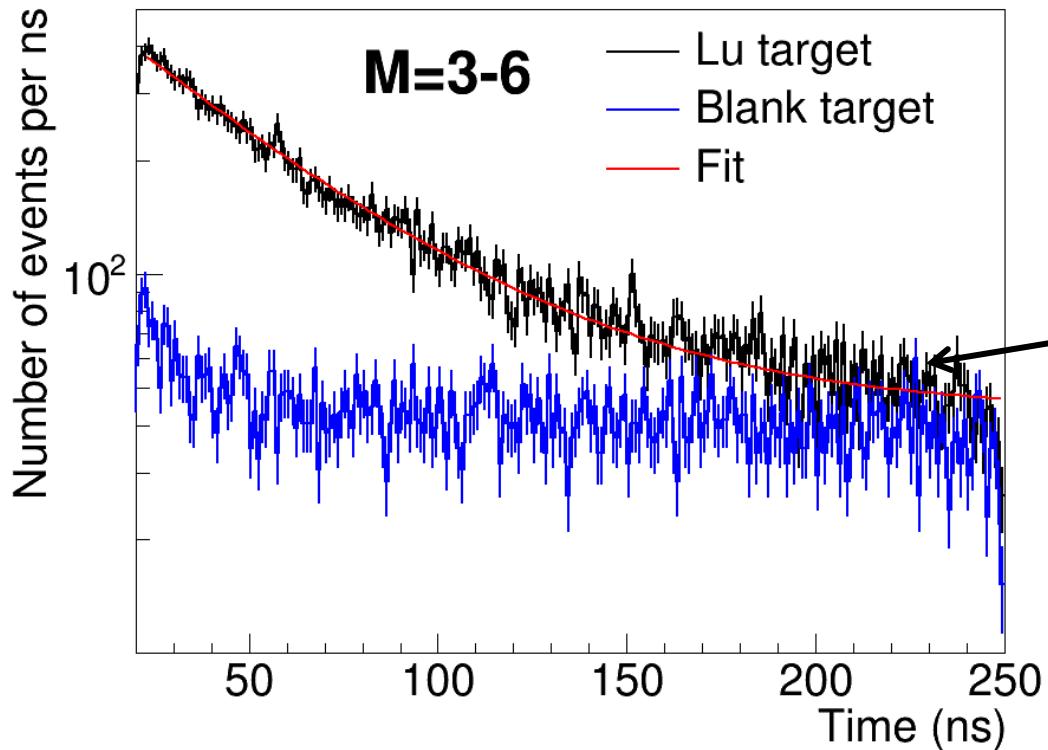
Experimentally determined → N_{iso} and N_{casc}

Geant4-EVITA simulations → ϵ_{casc} and ϵ_{iso}

- Isomeric ratio calculated for a wide neutron energy range (8.5 eV up to 100 keV) → all resonances with spins $J^\pi=13/2^-$ and $15/2^-$
- Isomer: defines the final step of the γ cascade

Isomer selections

Time and energy selections



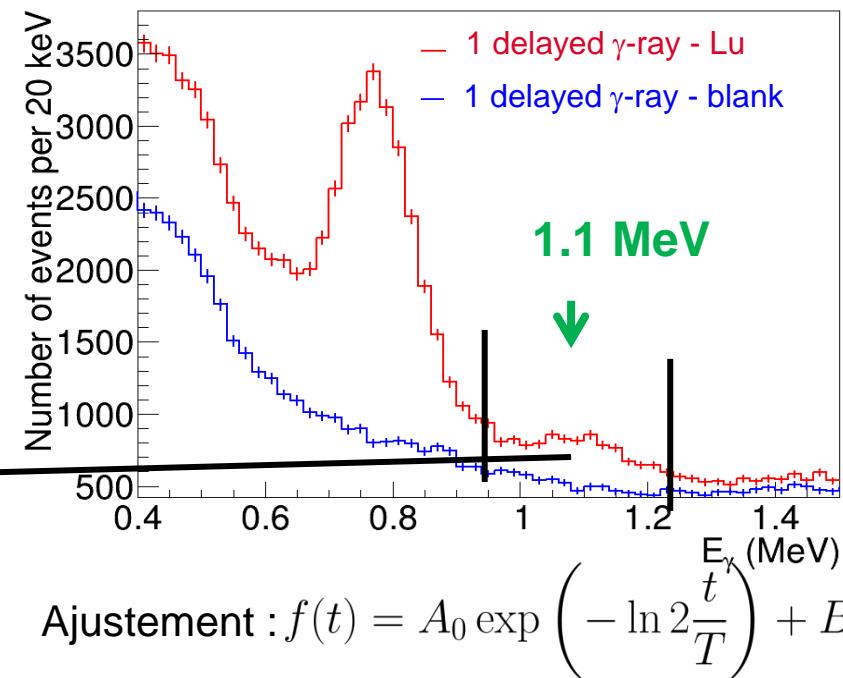
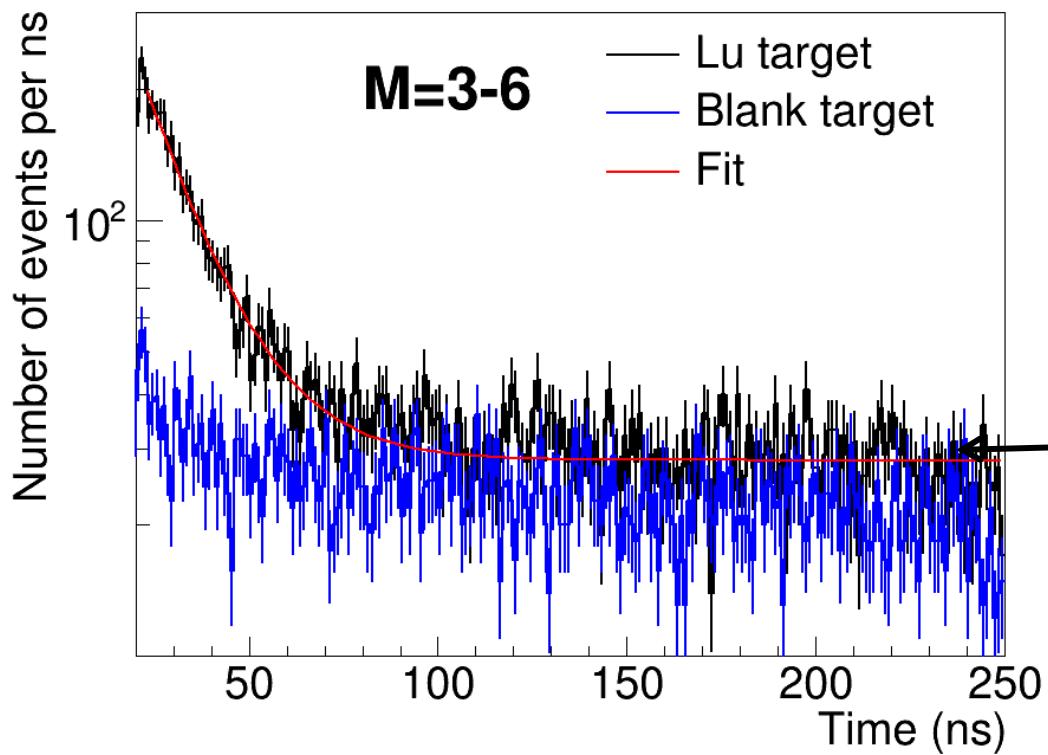
A_0 (cps/ns)	T (ns)	B (cps/ns)
522.8 ± 11.5	35.0 ± 0.9	43.1 ± 1.3

➤ $E_{iso}=761.7$ keV, $T_{1/2}=32.8 \pm 2.4$ ns, $J^\pi=5/2^-$

Isomer selections

Time and energy selections

$$R_{iso} = \frac{N_{iso}}{N_{casc}} \times \frac{\epsilon_{casc}}{\epsilon_{iso}}$$



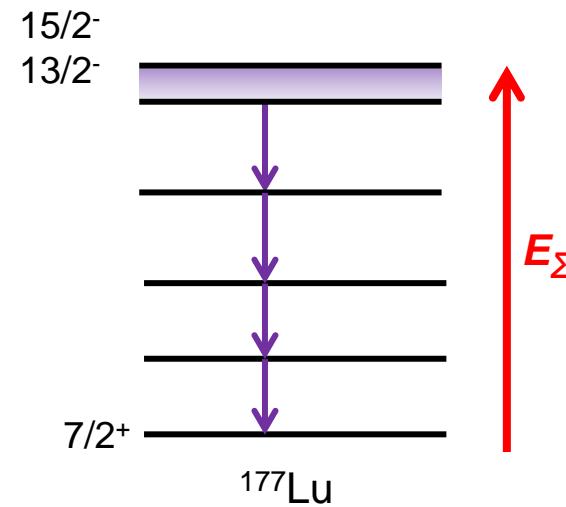
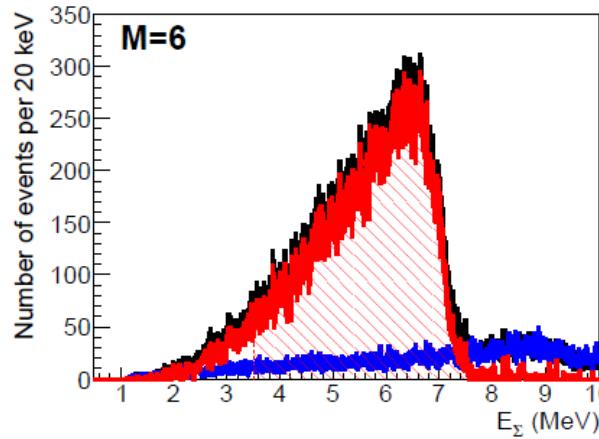
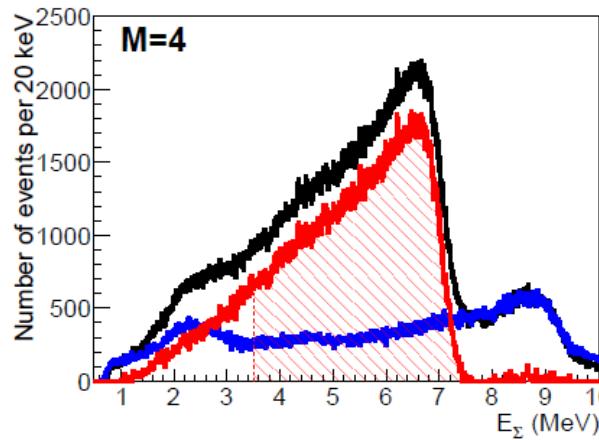
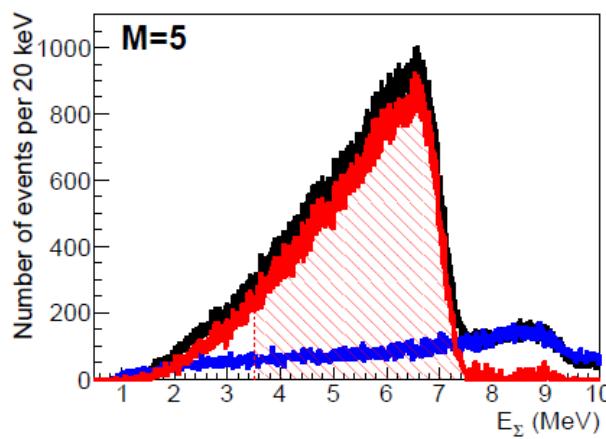
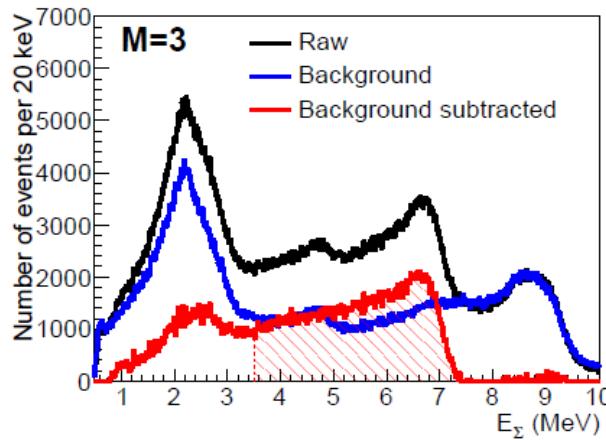
A_0 (cps/ns)	T (ns)	B (cps/ns)
750.3 ± 62.2	10.8 ± 0.5	28.2 ± 0.5

➤ $E_{iso}=1356.9$ keV, $T_{1/2}=11.1 \pm 1.0$ ns, $J^\pi=15/2^+$

Number of detected cascades

- Integration of the sum energy spectrum for each multiplicity
 - Background subtraction with the blank target

$$R_{iso} = \frac{N_{iso}}{N_{casc}} \times \frac{\epsilon_{casc}}{\epsilon_{iso}}$$

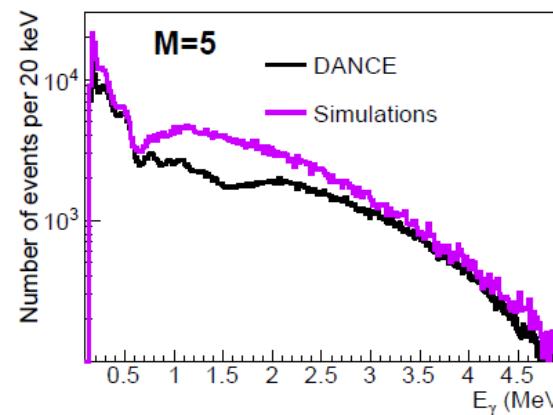
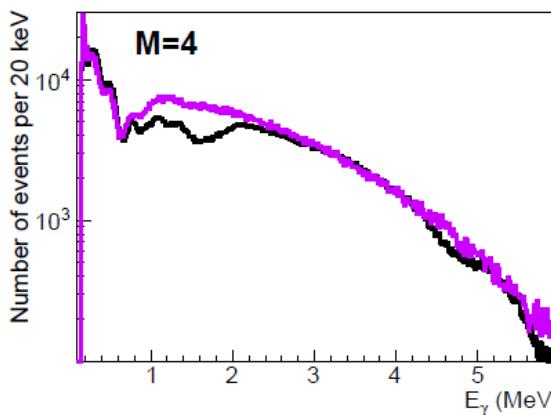
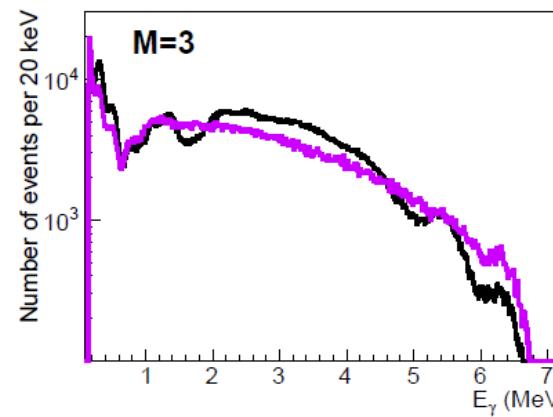
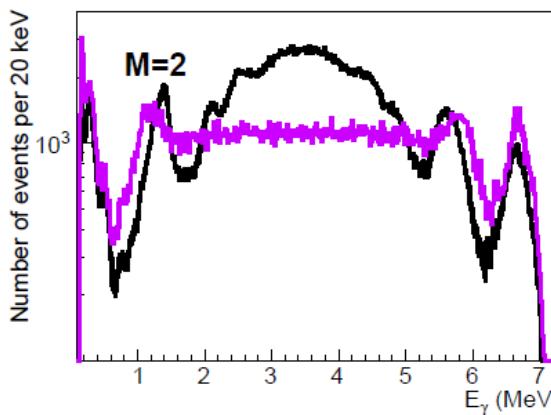


γ -cascade simulations with EVITA

Comparison between experimental and simulated spectra

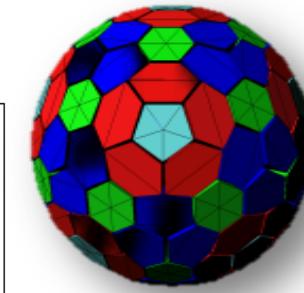
Initial level selection

- Selection on neutron energy: $J^\pi=13/2^-$ resonance at 0.14 eV
- Selection on sum energy



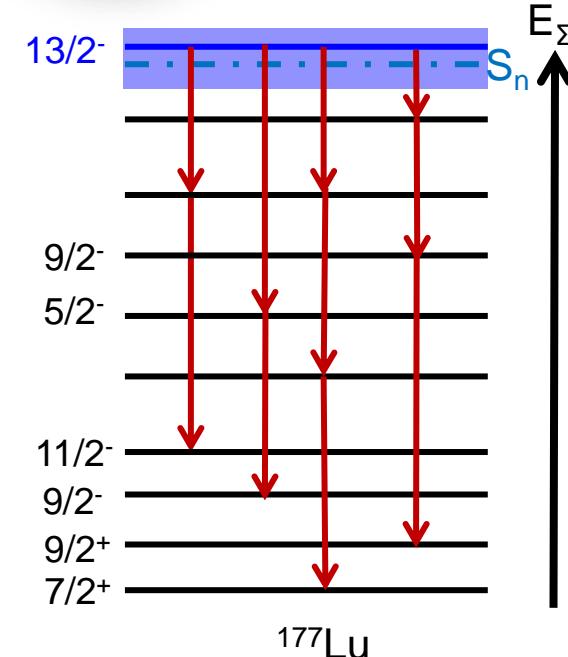
$$R_{iso} = \frac{N_{iso}}{N_{casc}} \times \frac{\epsilon_{casc}}{\epsilon_{iso}}$$

M. Jandel et al., NIM B, 261, 1117 (2007)



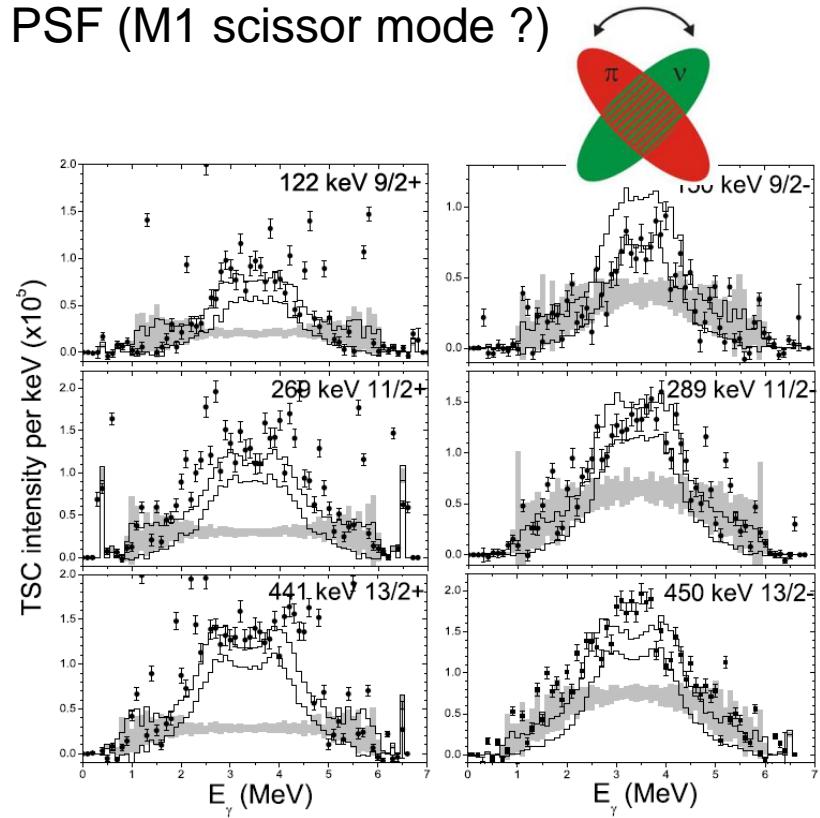
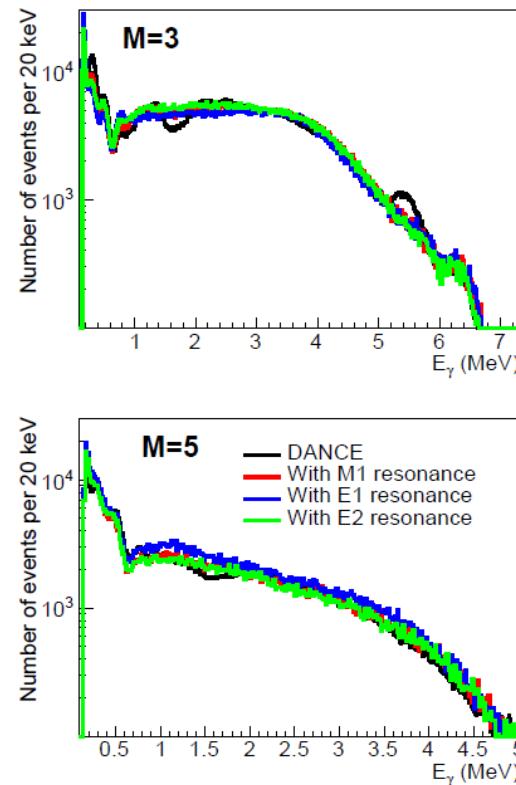
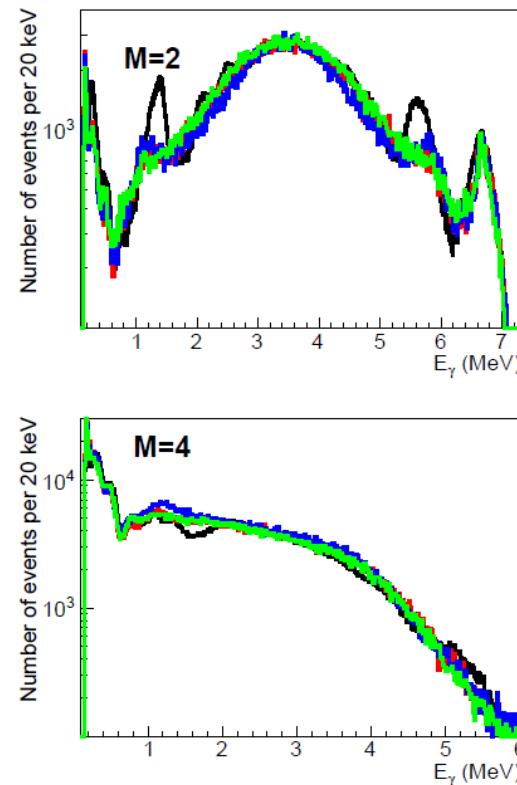
B. Morillon (2010)

EVITA: a Monte-Carlo code based Hauser-Feshbach formalism with inputs from TALYS code



Photon strength functions

■ Addition of a low-energy resonance in the PSF (M1 scissor mode ?)



Resonance parameters :

- $E=4.25$ MeV
- $\Gamma=2$ MeV
- $\sigma=3.75$ mb

M1 resonance parameters :

- $E=4.0$ MeV
- $\Gamma=1.0$ MeV
- $\sigma=2$ mb

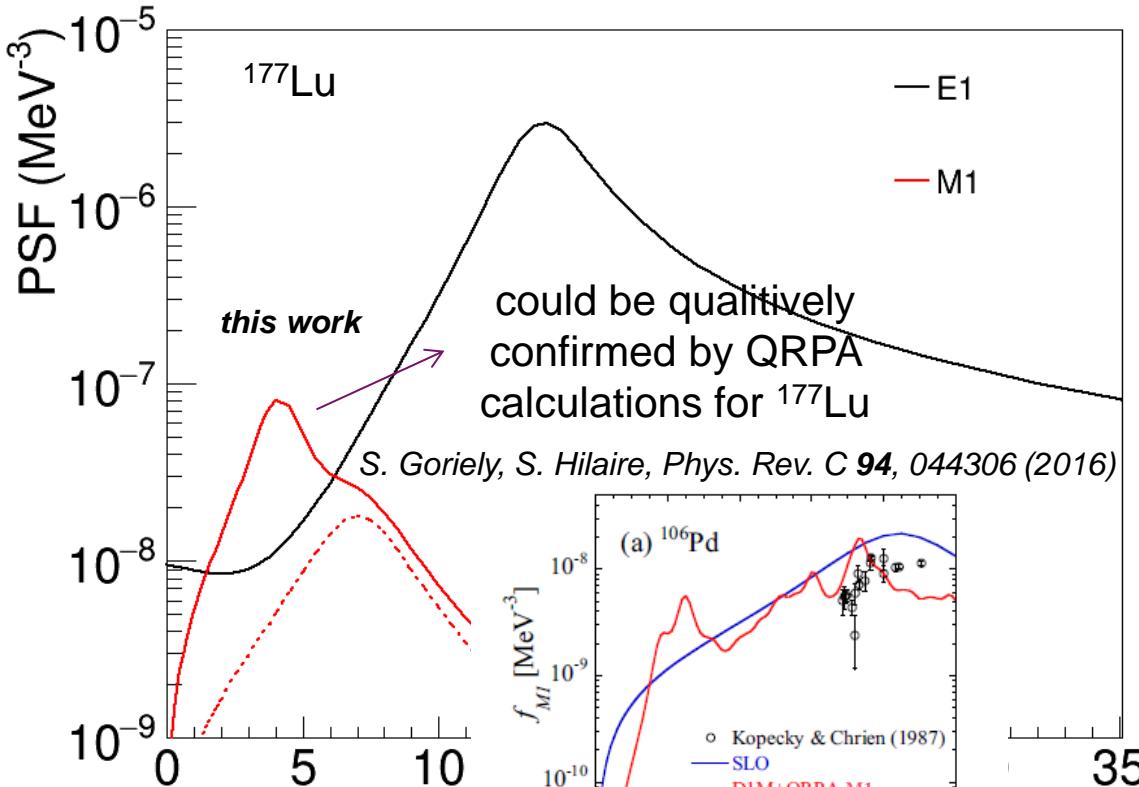
F. Bečvář et al., EPJ WOC, **93**, 01054 (2015)
 S. Valenta, Diploma thesis, Charles Univ., Prague (2010)

➤ **γ-ray spectra are now better reproduced**

Also for $^{152,154,156,158}\text{Gd}$: J. Kroll, Phys. Rev. C **88** 034317 (2013)

➤ **EM nature of the resonance not determined with our data**

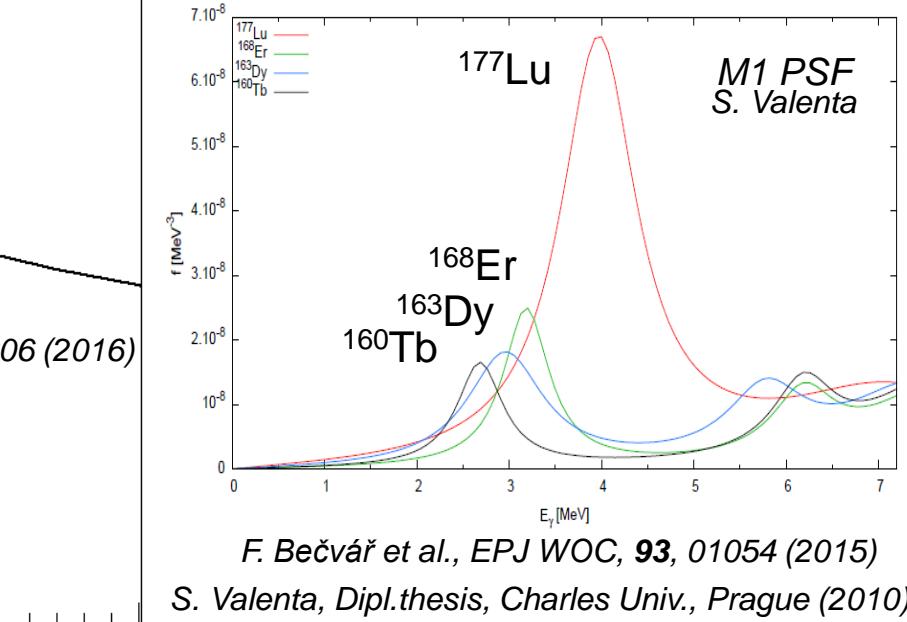
Photon strength functions



Resonance parameters

- $E=4.25$ MeV
- $\Gamma=2$ MeV
- $\sigma=3.75$ mb

confirmation of previous results



M1 resonance parameters :

- $E=4.0$ MeV
- $\Gamma=1.0$ MeV
- $\sigma=2$ mb

See talks of S. Goriely, S. Hilaire and M. Krtička

Also for $^{152,154,156,158}\text{Gd}$: J. Kroll, Phys. Rev. C **88** 034317 (2013)

Impact on the (n,γ) cross section

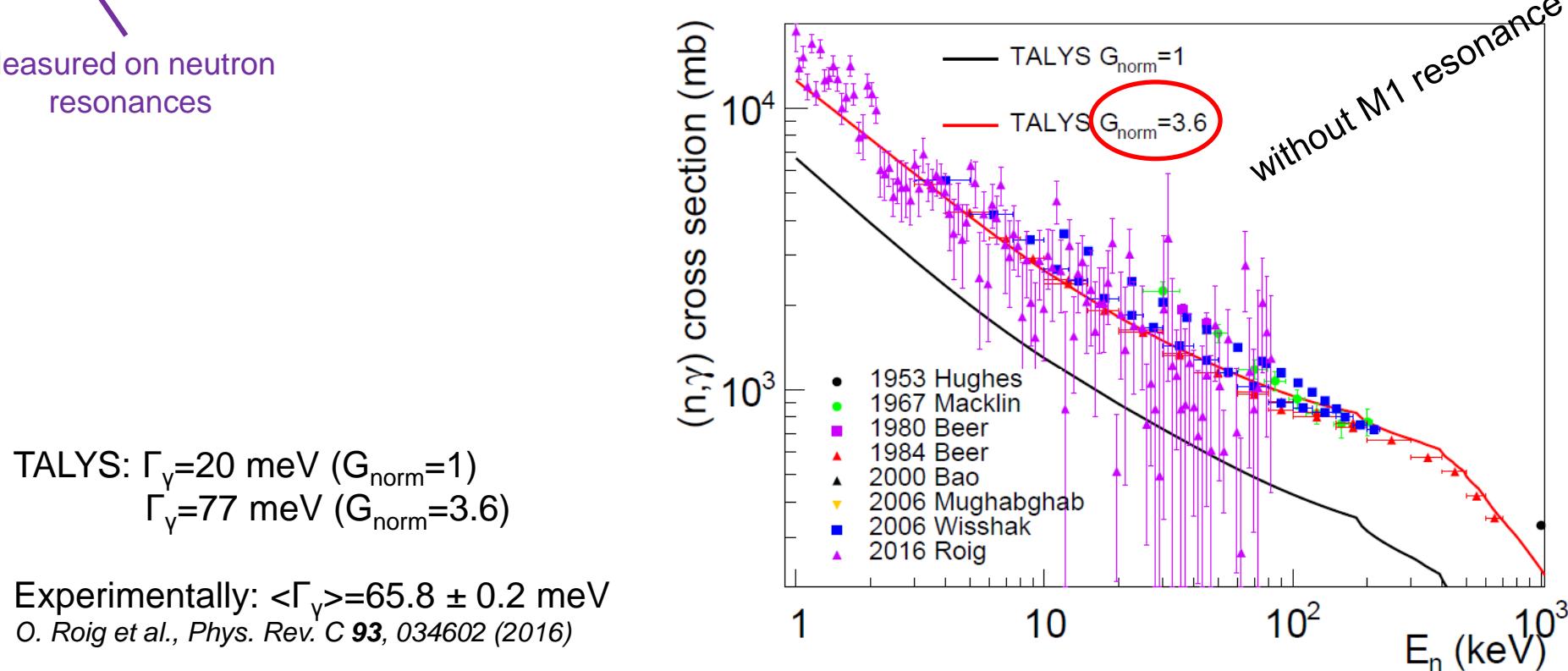
- PSF are renormalized to reproduce the experimental data

$$\frac{2\pi\Gamma_\gamma}{D_0} = G_{norm} \sum_J \sum_\Pi \sum_{X\ell} \sum_{I'=|J-\ell|}^{J+\ell} \sum_{\Pi'} \int_0^{S_n} dE_\gamma T_{X\ell}(E_\gamma) \rho(S_n - E_\gamma, I', \Pi') f(X, \Pi', \ell)$$

Measured on neutron resonances

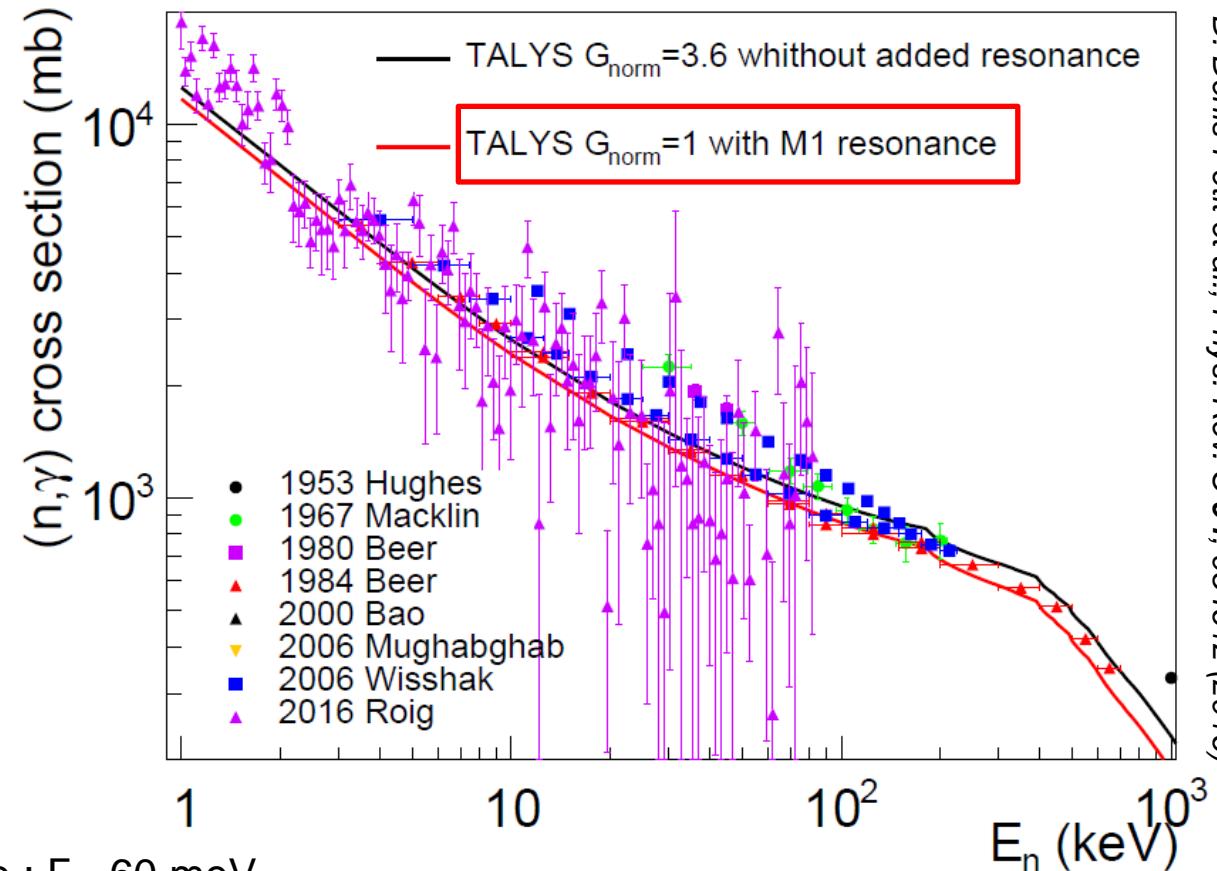
Level density

γ transmission coefficient \rightarrow PSF



Impact on the (n,γ) cross section

- With the low-energy resonance \rightarrow renormalization not required



Experimentally: $\langle \Gamma_\gamma \rangle = 65.8 \pm 0.2$ meV

O. Roig et al., Phys. Rev. C 93, 034602 (2016)

Seen also by J. Ullmann for ^{238}U , Phys. Rev. C 89, 034603 (2014)

Isomeric ratios

Comparisons between experiment and calculations

■ Experimental results *D. Denis-Petit et al., Phys. Rev. C 94, 054612 (2016)*

Isomer	Experimental R_{iso} (%)
$E_{iso}=761.7$ keV, $T_{1/2}=32.8$ ns	10.5 ± 0.6
$E_{iso}=1356.9$ keV, $T_{1/2}=11.1$ ns	4.8 ± 0.6

■ Calculations with TALYS for the different added resonances

Isomer	Calculated R_{iso} (%) for the added resonances			
	\emptyset	M1	E1	E2
$E_{iso}=761.7$ keV, $T_{1/2}=32.8$ ns	4.1	5.7	5.0	6.4
$E_{iso}=1356.9$ keV, $T_{1/2}=11.1$ ns	2.6	2.0	2.0	1.6

➤ Discrepancies between experimental and calculated values

Isomeric ratios for different level density models

■ Isomeric ratios from **phenomenological** level density models

- Back-shifted Fermi gas

Isomer	Calculated R_{iso} (%)				Exp R_{iso} (%)
	\emptyset	M1	E1	E2	
$E_{iso}=761.7$ keV, $T_{1/2}=32.8$ ns	4.9	4.6	4.3	5.0	10.5 ± 0.6
$E_{iso}=1356.9$ keV, $T_{1/2}=11.1$ ns	2.3	1.9	1.9	1.4	4.8 ± 0.6

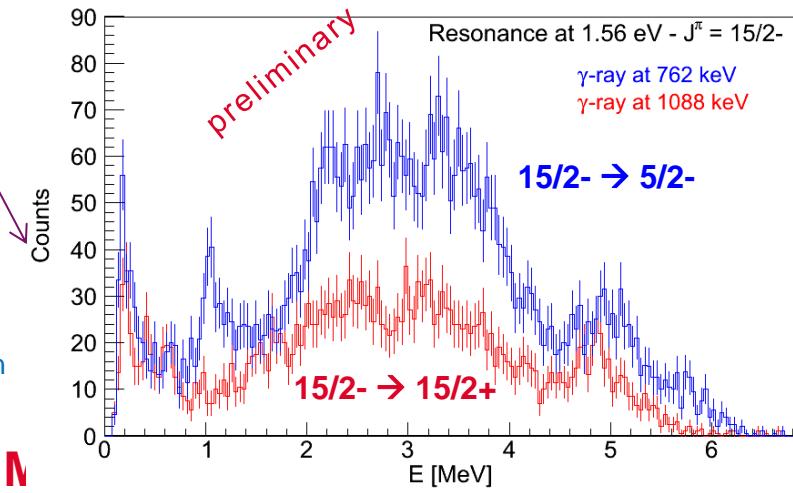
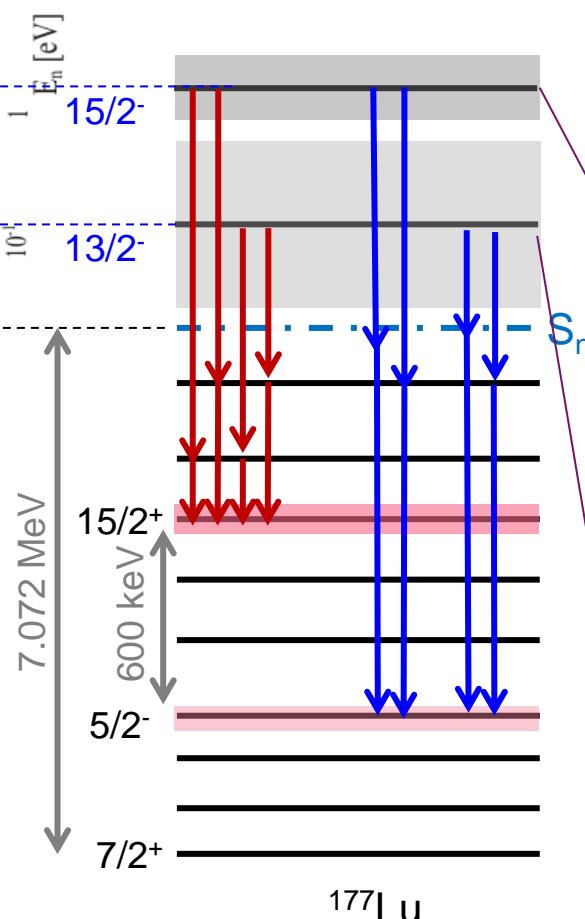
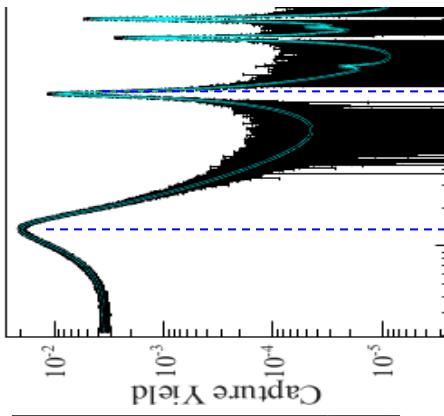
■ Isomeric ratios from **microscopic** level density models

- HFB with combinational method

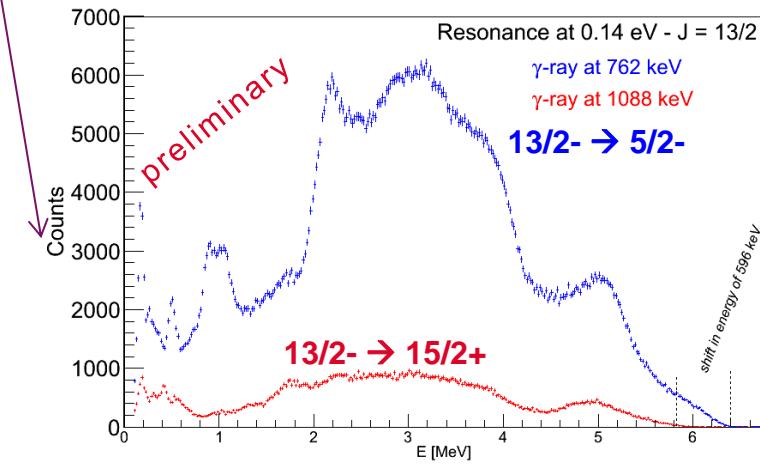
Isomer	Calculated R_{iso} (%)				Exp R_{iso} (%)
	\emptyset	M1	E1	E2	
$E_{iso}=761.7$ keV, $T_{1/2}=32.8$ ns	3.9	5.3	4.4	5.9	10.5 ± 0.6
$E_{iso}=1356.9$ keV, $T_{1/2}=11.1$ ns	2.4	1.7	1.7	1.3	4.8 ± 0.6

- **No strong impact of the levels density models on the isomeric ratios**
 - **Still discrepancies between experimental and calculated values**

More precise studies of gSF and isomers feeding



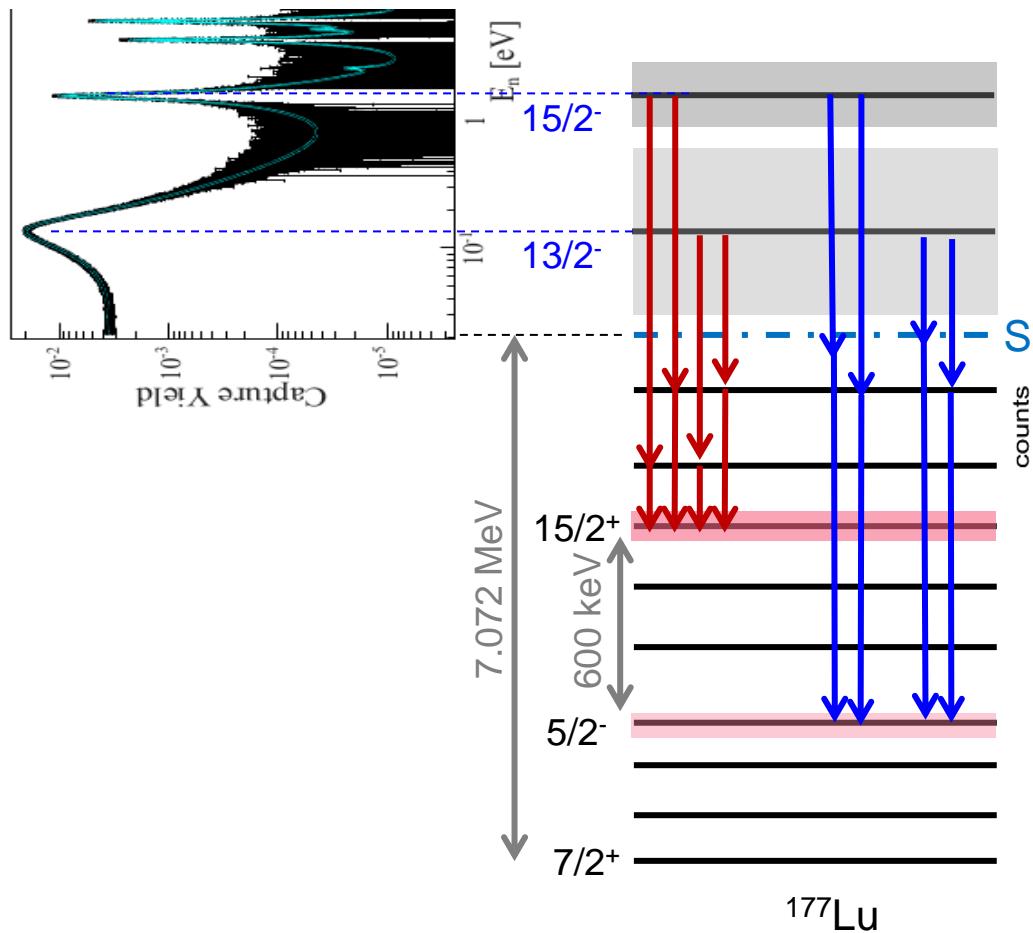
$$E_\Sigma \in [S_n - E_{\text{iso}} - e, S_n - E_{\text{iso}} + e]$$



Significant difference between isomers feeding

- Gamma spectrum with $M=2$
- Intensity

More precise studies of gSF and isomers feeding



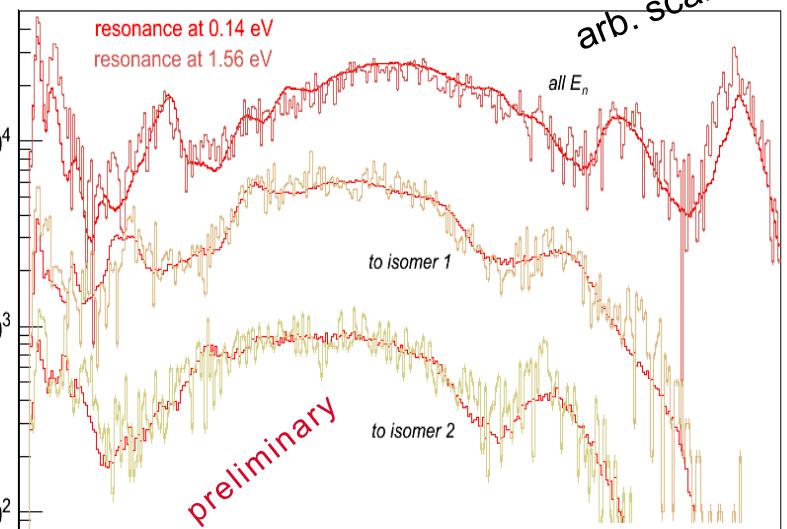
No significant difference between γ -cascades from the 2 resonances for gamma spectrum with $M=2, 4$

except intensities of feeding

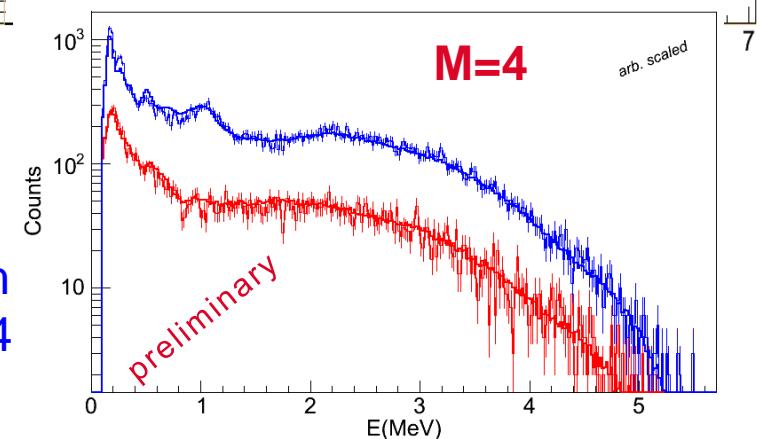
→ to be interpreted with the help of simulations

$$E_{\Sigma} \in [S_n - E_{\text{iso}} - e, S_n - E_{\text{iso}} + e]$$

$M=2$



$M=4$



Conclusion and perspectives

Conclusions

- Isomeric ratios determined for two isomers with **different spins**
- Discrepancies between experimental and calculated values: factor ~2-3
- Addition of a resonance in the PSF to reproduce the data
- Electromagnetic nature of this resonance cannot be determined with the DANCE data

New measurements of ^{177}Lu levels
scheme and TSC at FIPPS (ILL) in
Autumn 2017

Perspectives

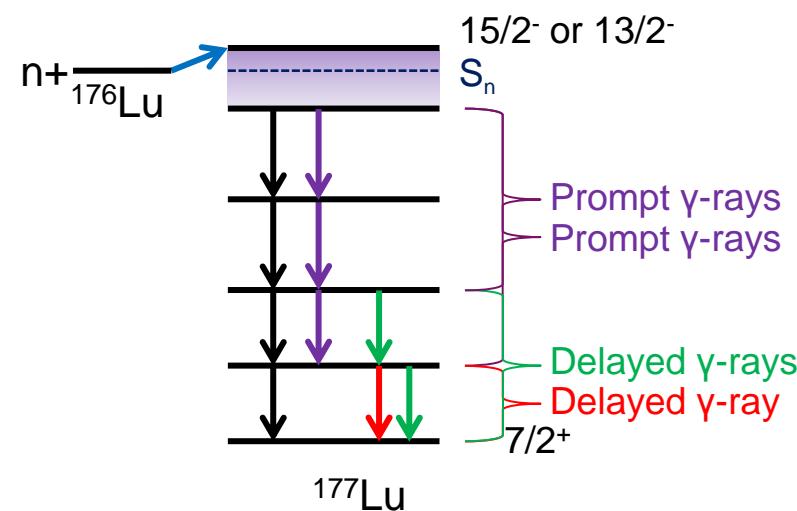
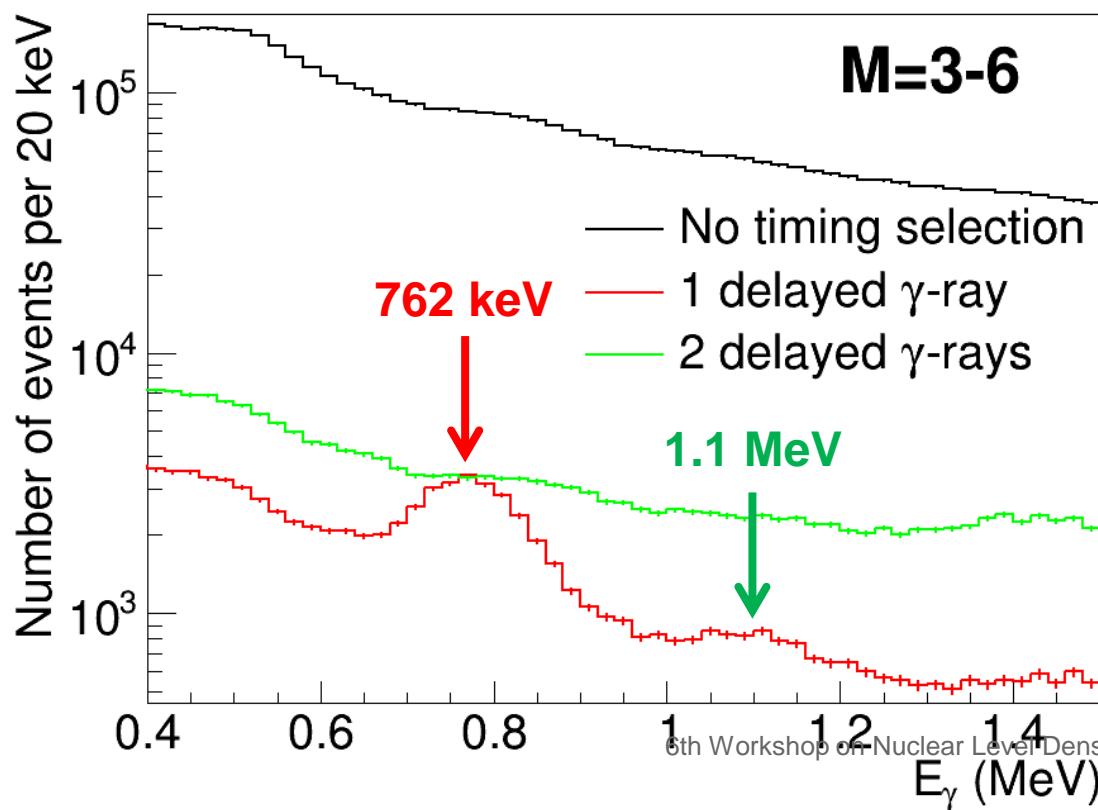
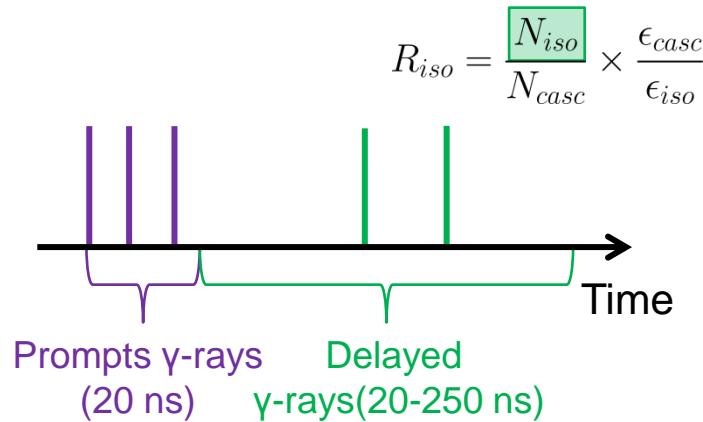
- Need to improve the data used in the evaluations: isomer feeding
- QRPA calculations are in progress to assess the PSF and the nature of the needed resonance
- Calculations with other reaction codes (DICEBOX,...)
- Analysis of DANCE measurements for **different neutron resonances** in progress
 - γ cascade well defined to compare with Hauser Feshbach calculations in progress
 - Could address the K mixing issue

Thank you for your attention

Isomer selections

Timing selection on cluster events

- For a given cluster multiplicity:
 - Prompt γ -cascade defined in the first 20 ns
 - Delayed γ -rays are in the 20-250 ns range



Isomer selections

Events with only one delayed γ -ray

Two isomers highlighted :

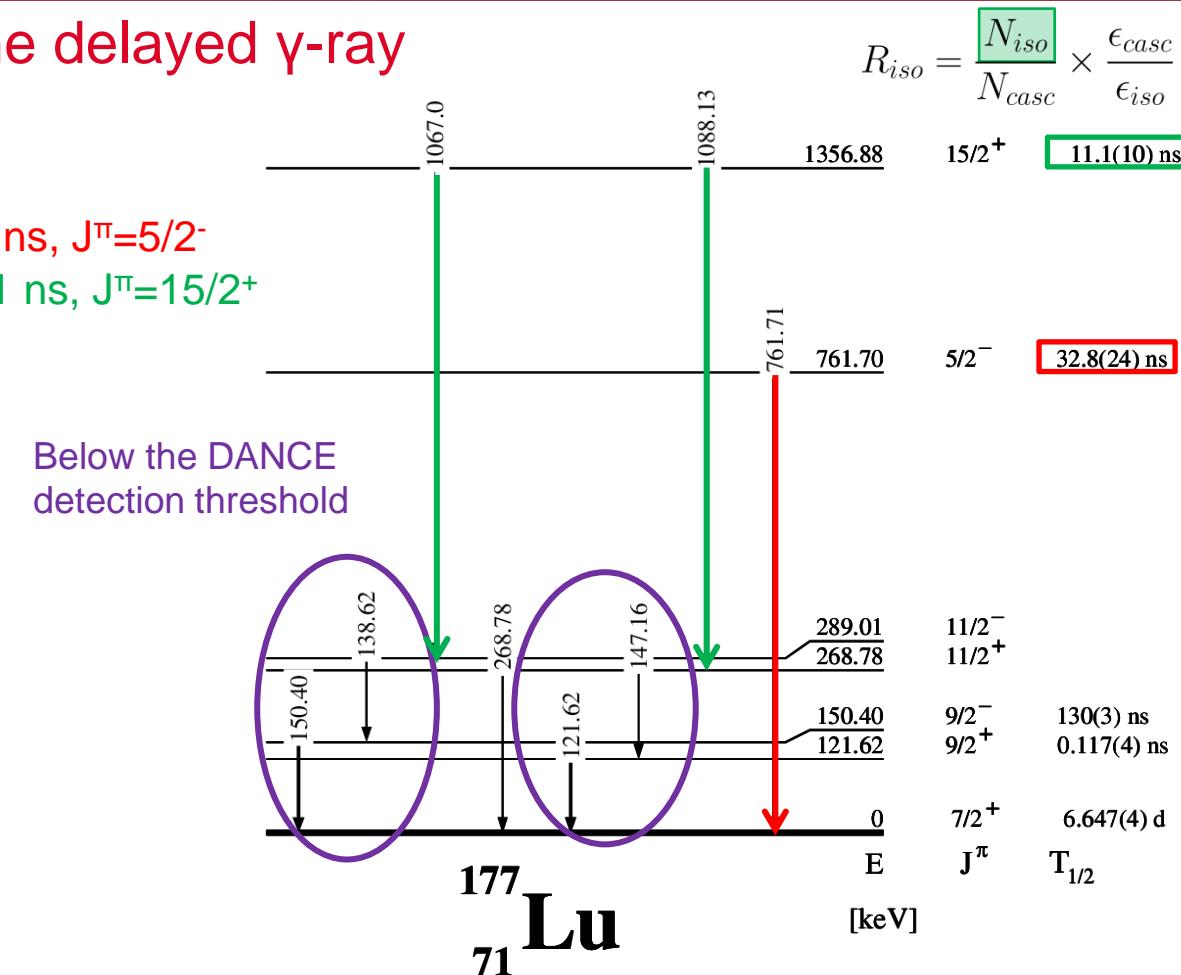
- $E_{iso} = 761.7 \text{ keV}, T_{1/2} = 32.8 \text{ ns}, J^\pi = 5/2^-$
- $E_{iso} = 1356.9 \text{ keV}, T_{1/2} = 11.1 \text{ ns}, J^\pi = 15/2^+$

$E_{iso} = 761.7 \text{ keV} :$

$$N_{iso} = \frac{A_0 T}{\ln 2} \frac{1}{I_\gamma(761.7)}$$

$E_{iso} = 1356.9 \text{ keV} :$

$$N_{iso} = \frac{A_0 T}{\ln 2} \frac{1}{I_\gamma(1088.1)(1 - I_\gamma(168.8)) + I_\gamma(1067.0)}$$



Detection efficiencies

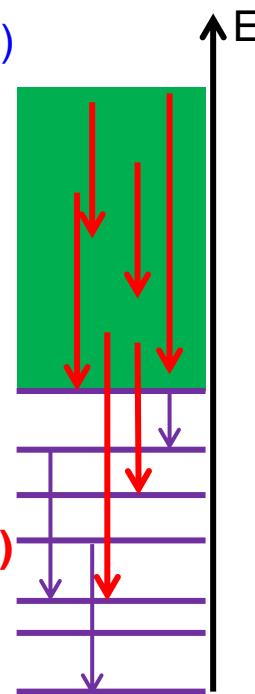
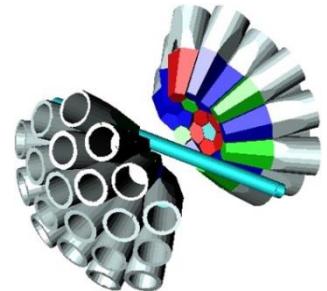
- Detection efficiencies obtained with Geant4 simulation of DANCE
M. Jandel et al., NIM B, 261, 1117 (2007)

- Simulations of the γ -cascade with the Monte Carlo EVITA code
 - Developped by B. Morillon et al. from CEA/DAM/DIF
 - Based on Hauser-Feshbach formalism
 - Uses somes TALYS outputs

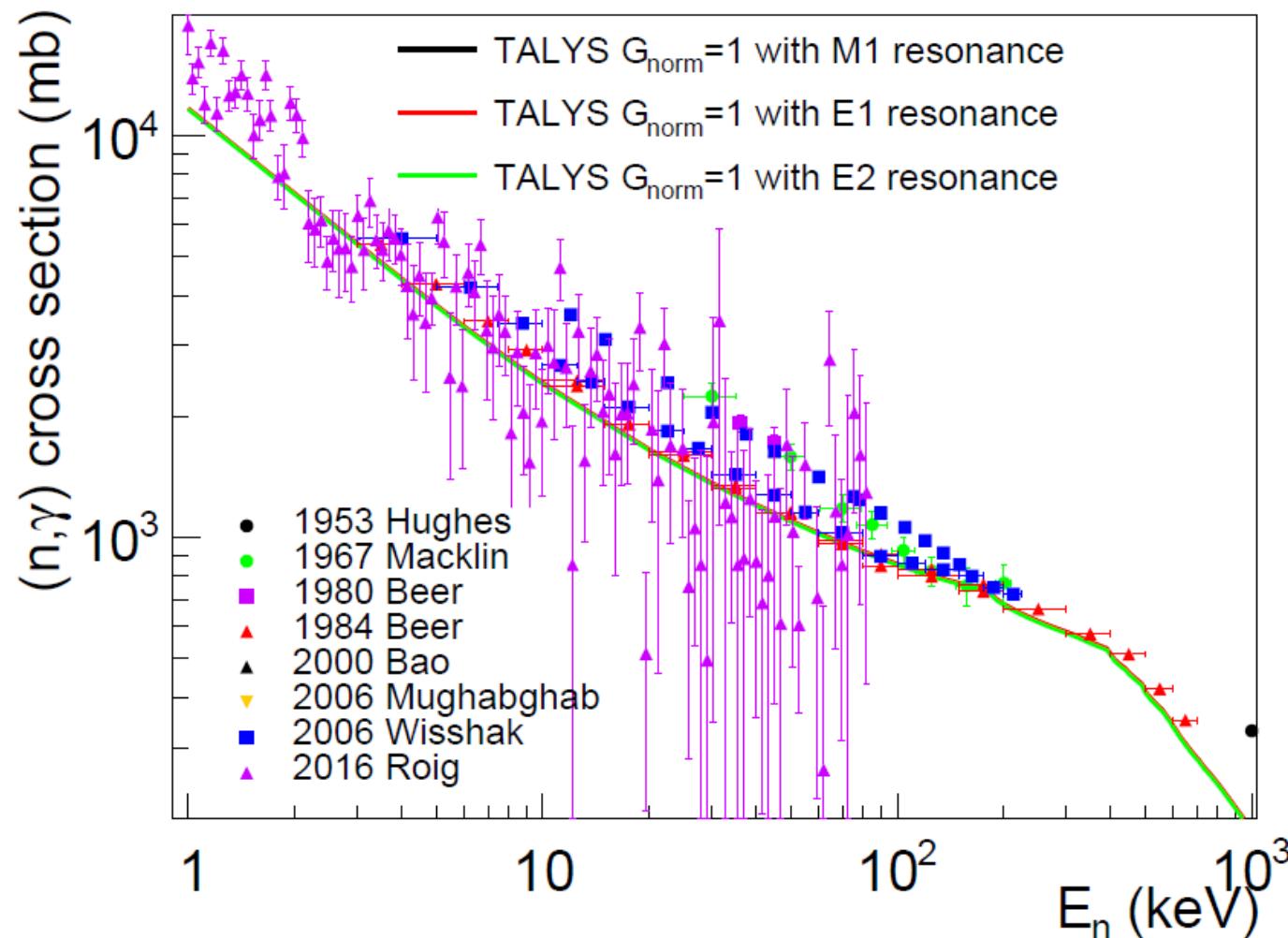
- Parameters of the EVITA and TALYS calculations

- Optical potential → **Deformed OP developped at CEA** (P. Romain et al.)
 - Describe the neutron-nucleus interaction
- Experimental level scheme → **80 discrete levels (1.5 MeV)**
 - Isomer feeding
 - Discrete transitions
- Nuclear level density model → **Gilbert & Cameron**
 - Describe the level scheme above a chosen excitation energy
 - Choice of the last discrete level important
- Photon strength functions → **RIPL-3 systematics (E1:GLO, Other:SLO)**
 - γ de-excitation of the compound nucleus
 - One PSF for each multipolarity: E1,M1,E2,...
 - Linked to the reduced transition probabilities

$$R_{iso} = \frac{N_{iso}}{N_{casc}} \times \frac{\epsilon_{casc}}{\epsilon_{iso}}$$



Impact on the (n,γ) cross section



Isomer detection efficiencies

■ Cascade detection efficiency ϵ_{casc} :

- Simulations of the total energy spectra and the EVITA result

$$\epsilon_{casc} = \frac{\sum_{M=3}^6 \text{Number cascades detected by DANCE in the Q gate (3.5-7.5 MeV)}}{\sum_{M \geq 1} \text{Number of } \gamma\text{-cascades in the EVITA result}}$$

■ Impact of the added resonance on the detection efficiencies

ϵ_{casc} (%) for the added resonances		
M1	E1	E2
54.8	56.0	54.0

$54.9 \pm 1.1 \%$

➤ **Cascade detection efficiencies weakly sensitive to the γ -cascade**

$$R_{iso} = \frac{N_{iso}}{N_{casc}} \times \frac{\epsilon_{casc}}{\epsilon_{iso}}$$

Isomer detection efficiencies

■ Isomer detection efficiency ϵ_{iso} :

- Simulations of the γ -ray spectra and the EVITA result

$$\epsilon_{iso} = \frac{\sum_{M=3}^6 \text{number of } \gamma\text{-rays from the isomer detected by DANCE}}{\sum_{M \geq 1} \text{number } \gamma\text{-rays from the isomer in the EVITA result}}$$

■ Impact of the added resonance on the detection efficiencies

ϵ_{iso} (%) for the added resonances			
Isomer	M1	E1	E2
$E_{iso}=761.7 \text{ keV}, T_{1/2}=32.8 \text{ ns}$	31.9	31.2	32.0
$E_{iso}=1356.9 \text{ keV}, T_{1/2}=11.1 \text{ ns}$	38.1	38.5	37.4

$$31.7 \pm 0.5 \%$$

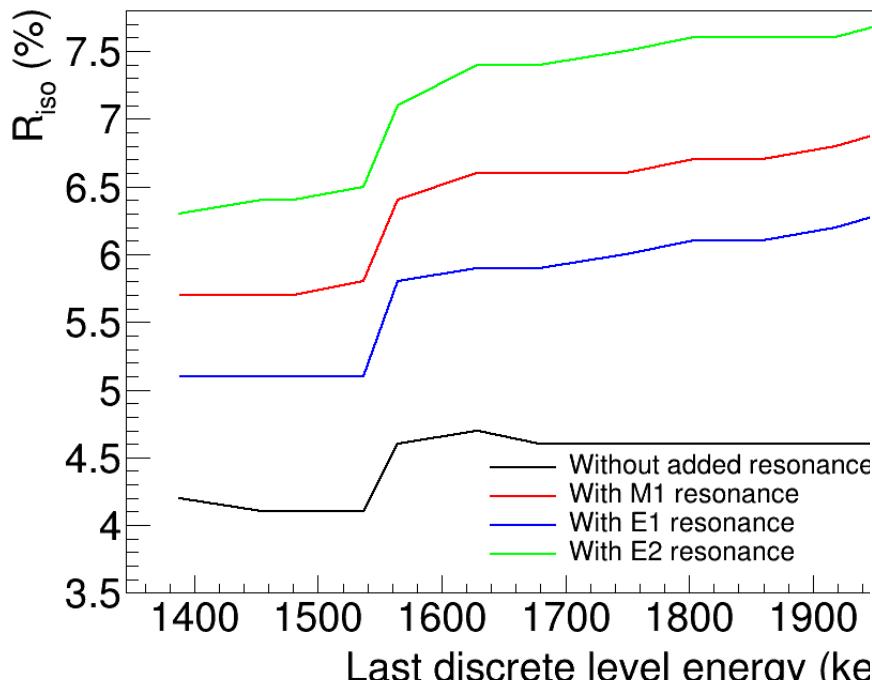
$$38.0 \pm 0.6 \%$$

➤ Isomer detection efficiencies also weakly sensitive to the γ -cascade

Isomeric ratios as a function of the last discrete level

- Choice of the last discrete level important: link between the level scheme and the level density model

Isomer	Experimental R_{iso} (%)
$E_{iso}=761.7 \text{ keV}, T_{1/2}=32.8 \text{ ns}$	10.5 ± 0.6
$E_{iso}=1356.9 \text{ keV}, T_{1/2}=11.1 \text{ ns}$	4.8 ± 0.6



$E_{iso}=761.7 \text{ keV}, T_{1/2}=32.8 \text{ ns}$

- Strong impact on the isomeric ratio but still large discrepancies
- Need to improve the level scheme ?

